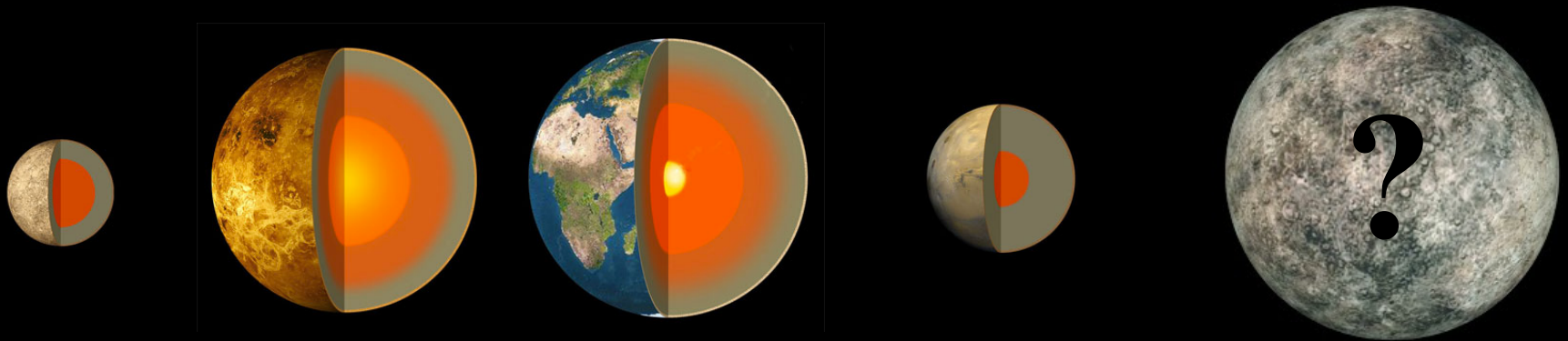


Using Stellar Abundances to Constrain Exoplanet Compositions



[Si/Fe] as a case study

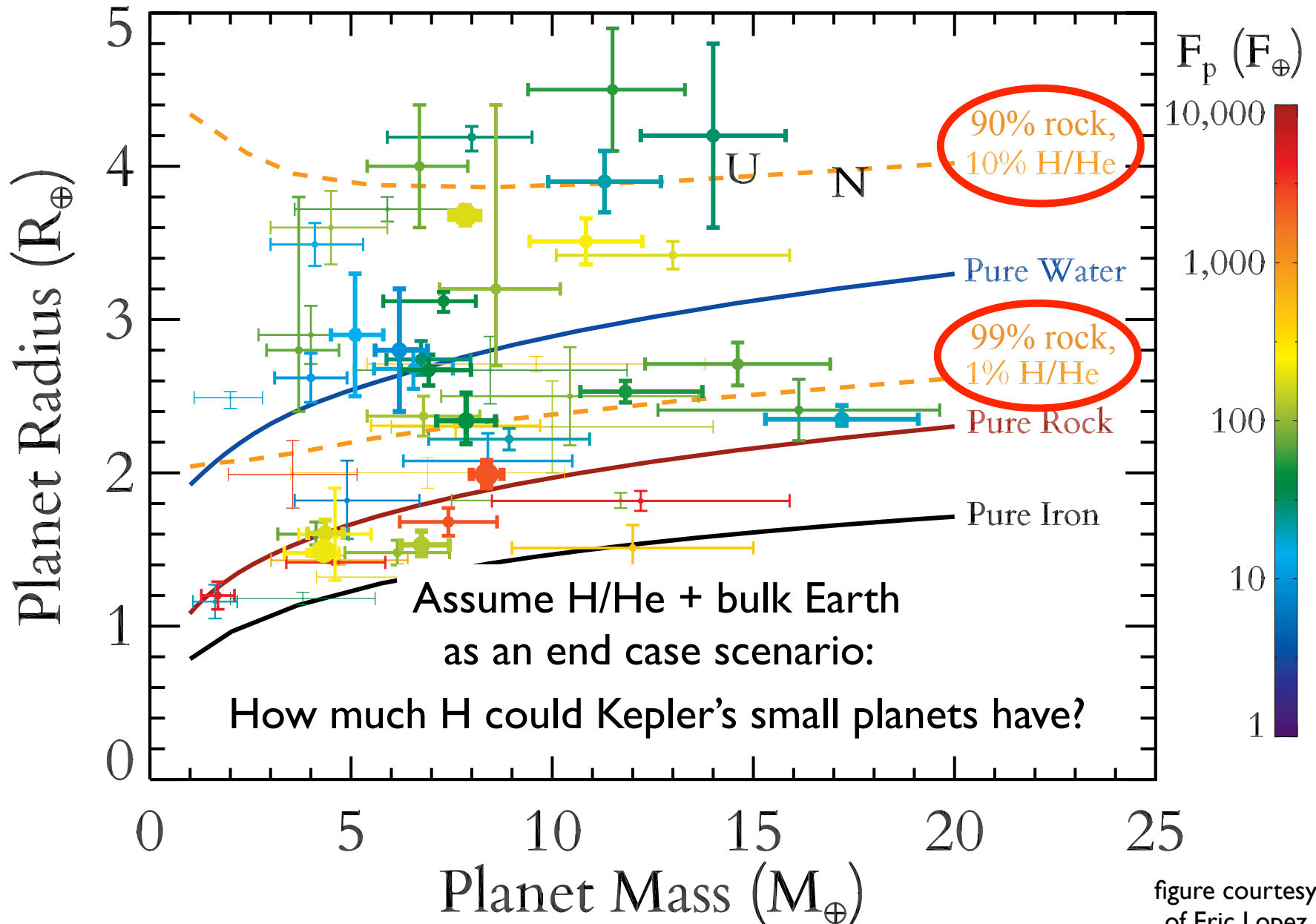
Angie Wolfgang

Penn State

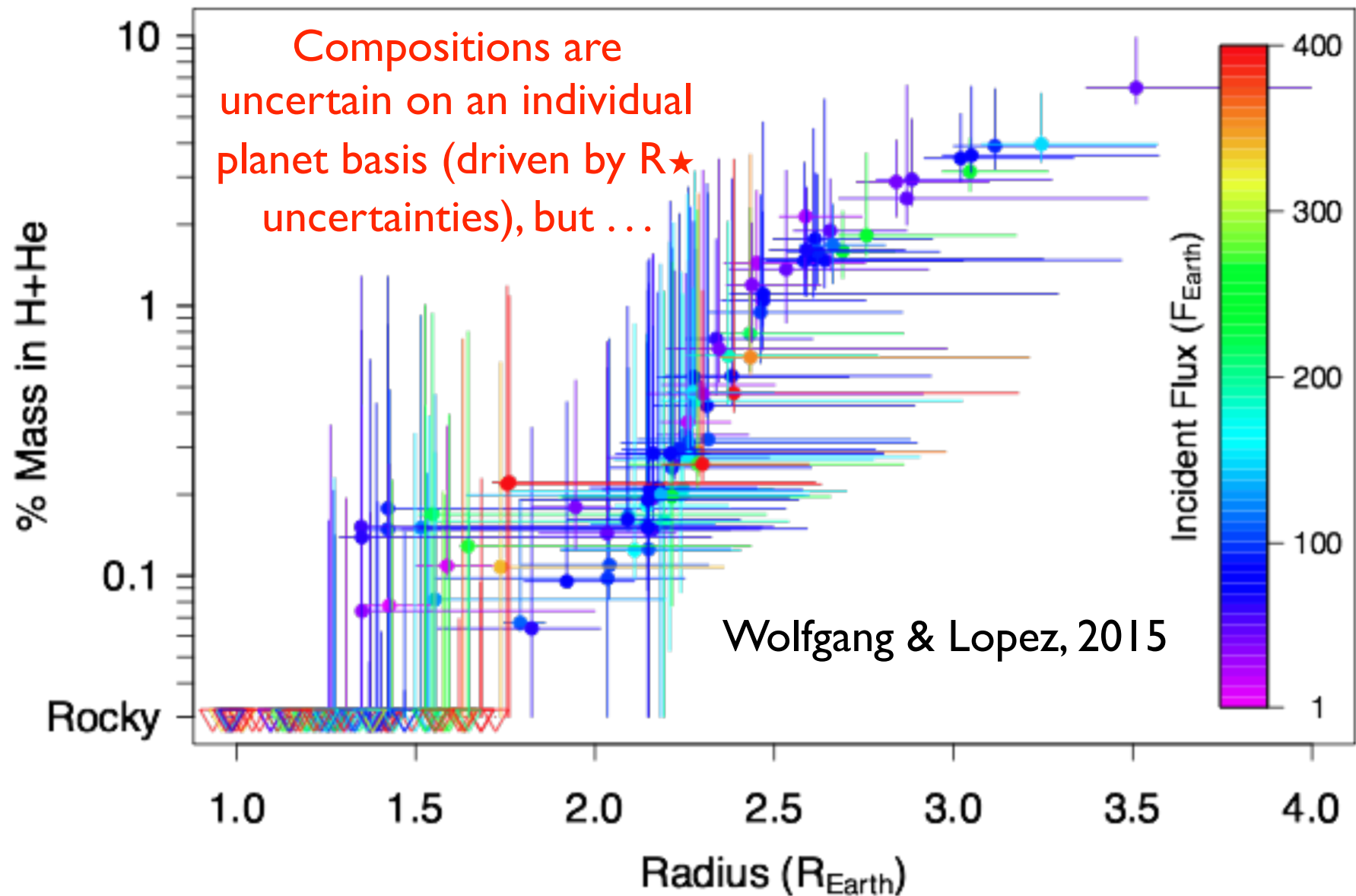
NSF Postdoctoral Fellow

Jonathan Fortney, UC Santa Cruz

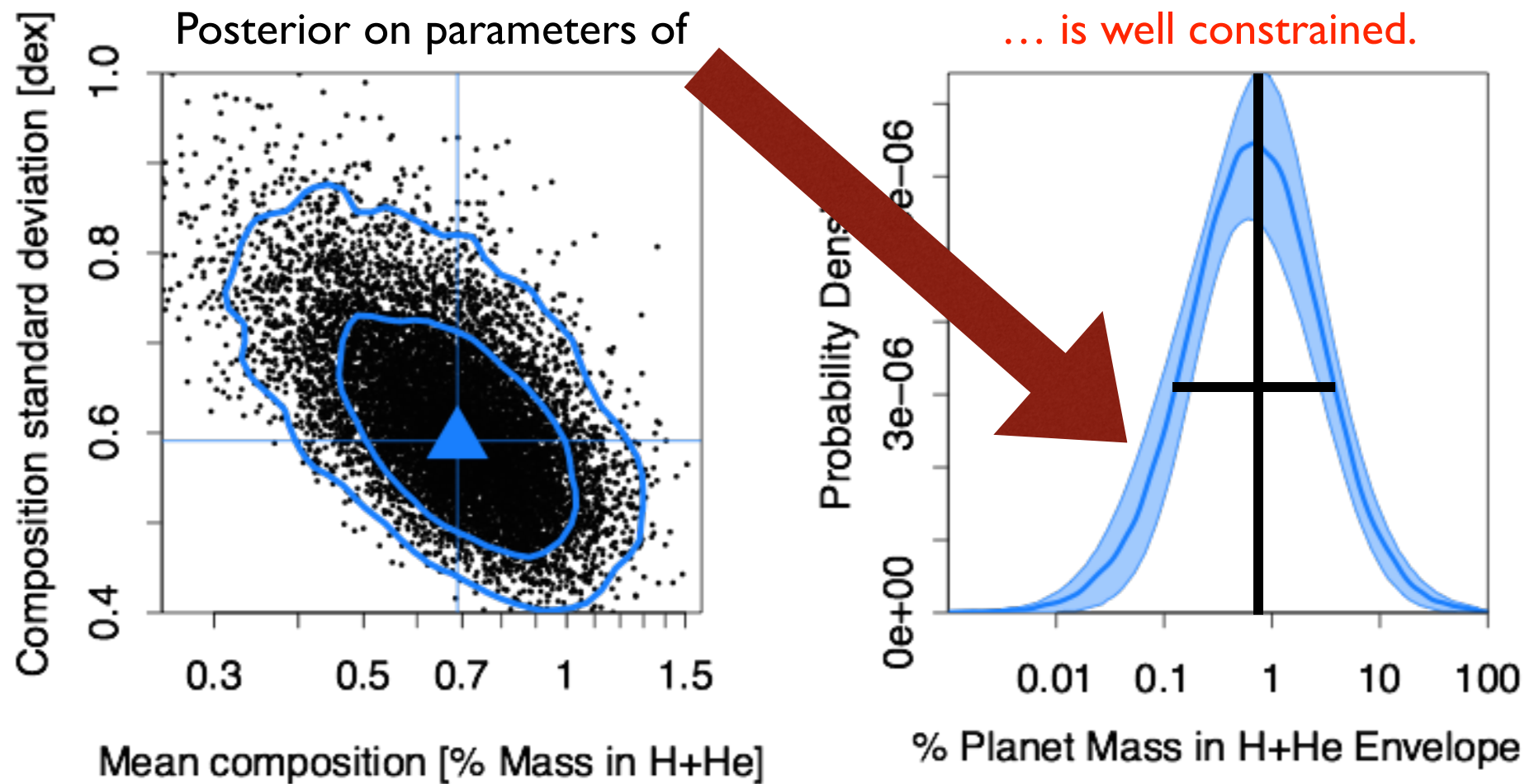
Mass, Radius \rightarrow Compositions



Sub-Neptunes: $\sim 1\%$ Mass in H/He



Population Distribution of Compositions

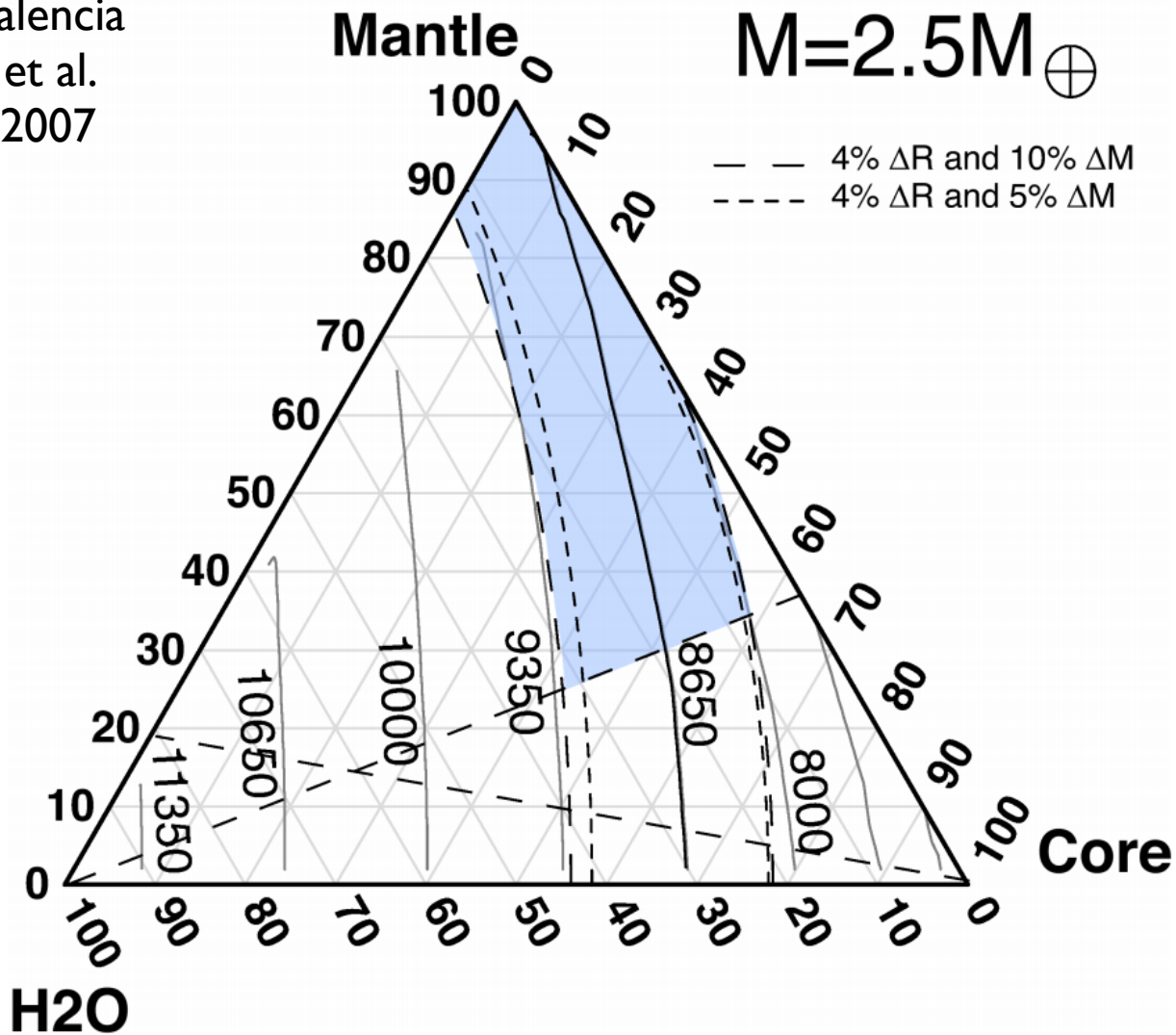


~ 1% envelope mass fractions are the most likely

Most sub-Neptunes have envelope fractions between 0.1 - 10%

But Depends on Assumed Structure

Valencia
et al.
2007



Inferring planetary
compositions from
M, R becomes a
degenerate
problem with > 2
layers:

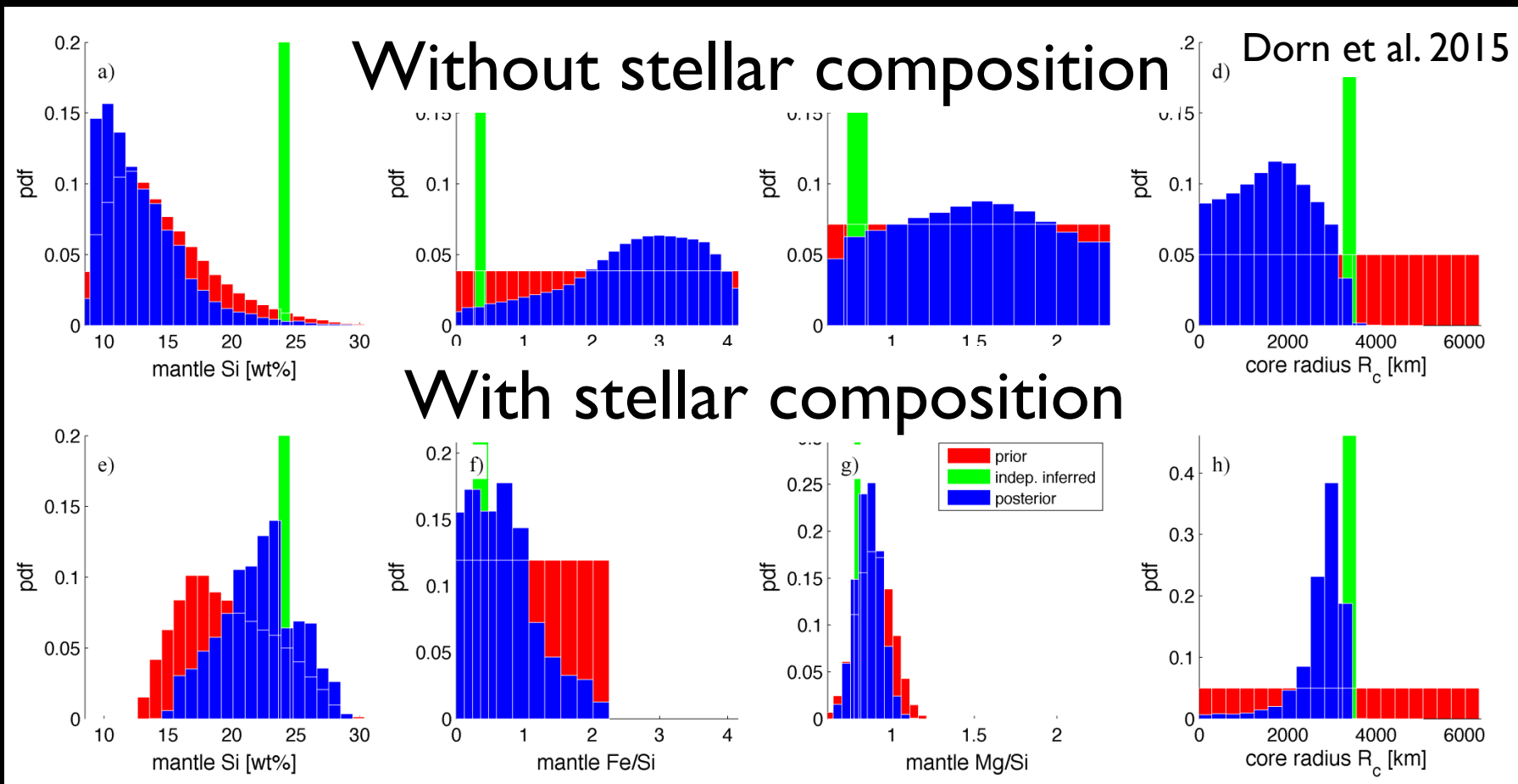
Many
compositions give
the same mass
and radius.

Invoke the Star-Planet Connection

The protostar accretes material from the disk; planets form in that disk.

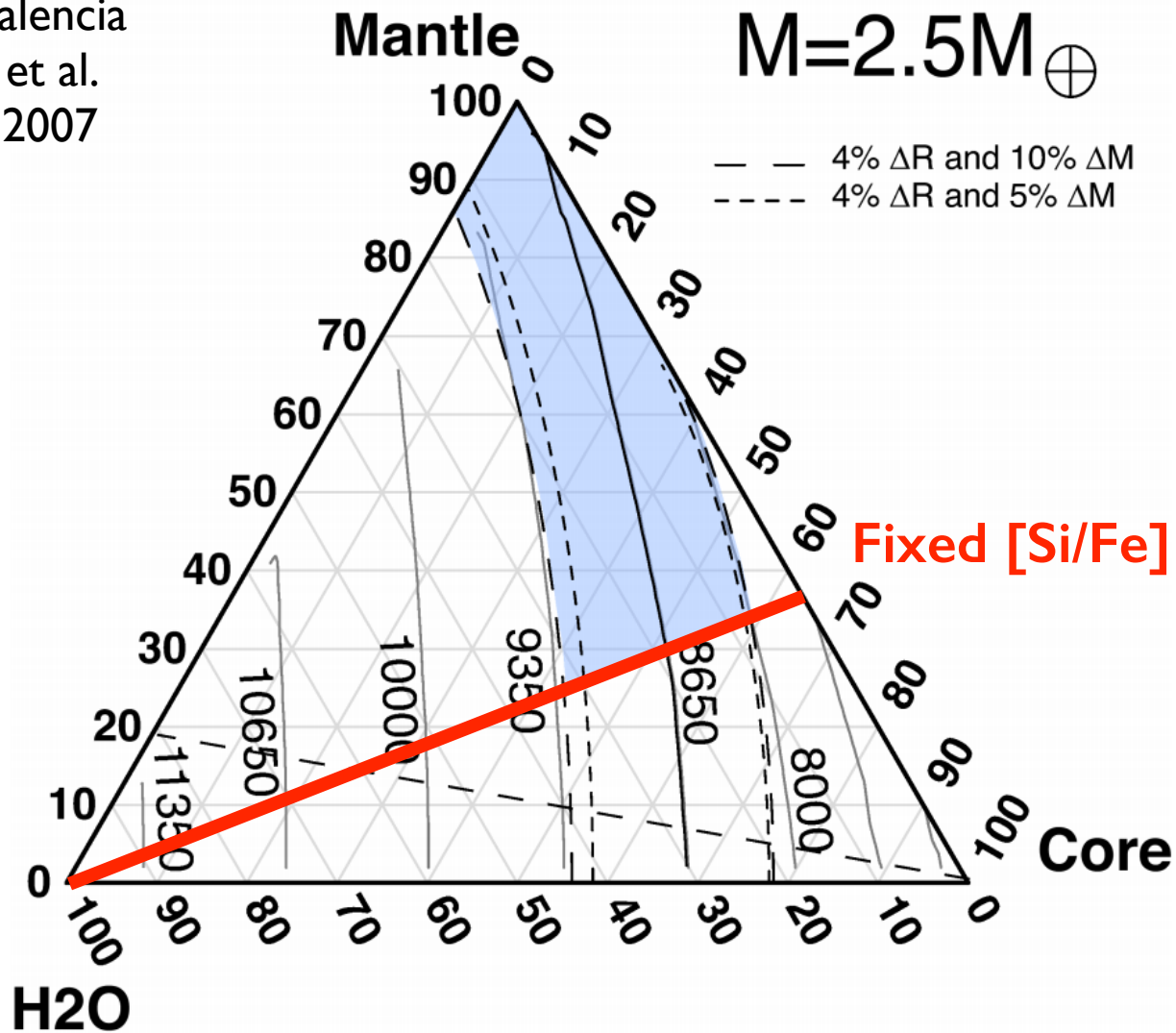
Compositions of planets correlate with compositions of their stars (?)

Exoplanet composition models now incorporate stellar composition:



How does $[\text{Si}/\text{Fe}]_{\text{pl}} = [\text{Si}/\text{Fe}]_{\star}$ help?

Valencia
et al.
2007



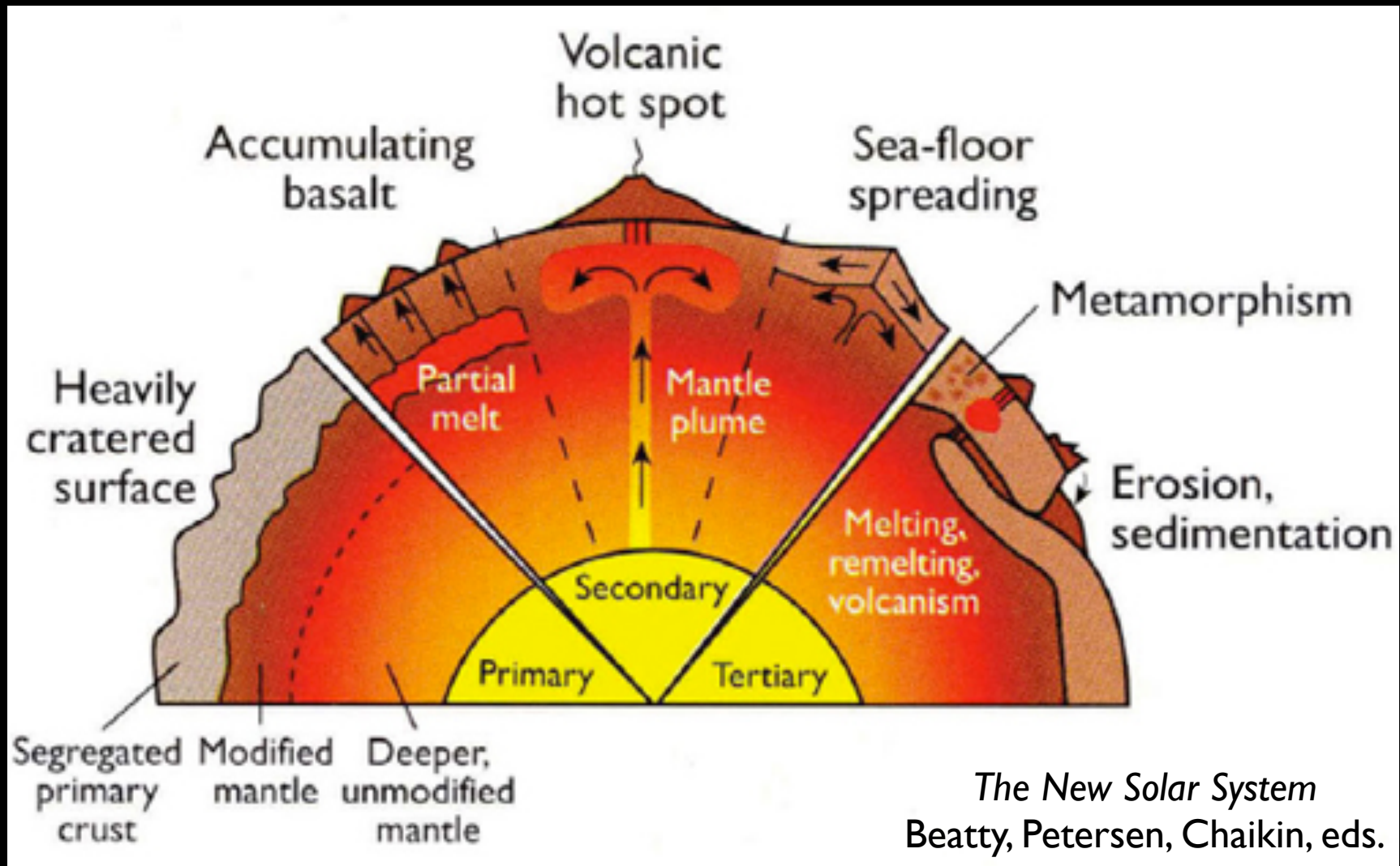
Inferring planetary compositions from M, R becomes a degenerate problem with > 2 layers:

Many compositions give the same mass and radius.

Assuming a $[\text{Si}/\text{Fe}]$ helps limit possibilities.

Why talk about Si, Fe?

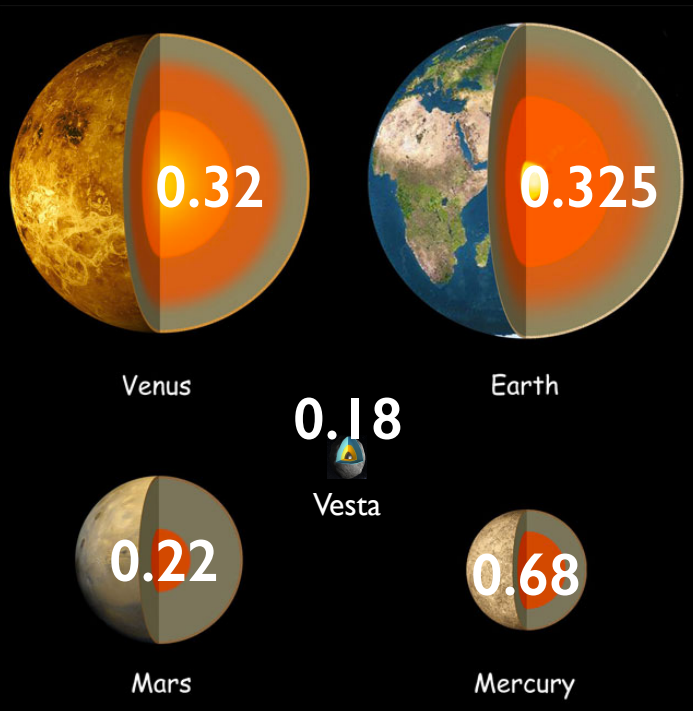
Composition of interior affects interior-surface interactions and the resulting atmosphere: Which volatiles? How much?



What about the observations?

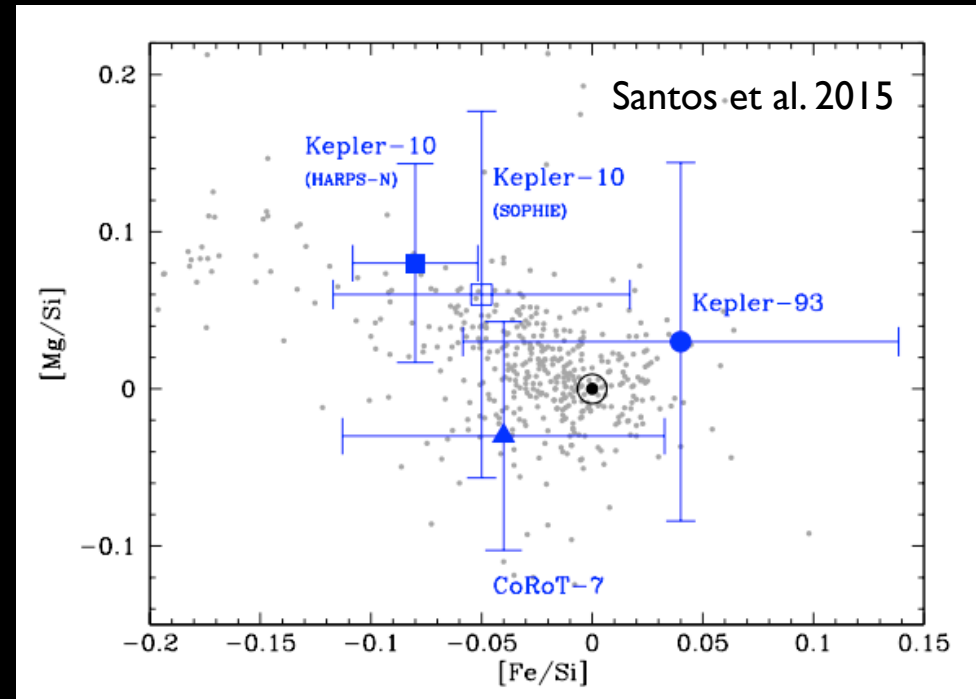
Solar System iron mass fractions:

chondrites ~ 0.34



Fe mass fraction has **significant variation** across terrestrial bodies

[Fe/Si] for exoplanets:



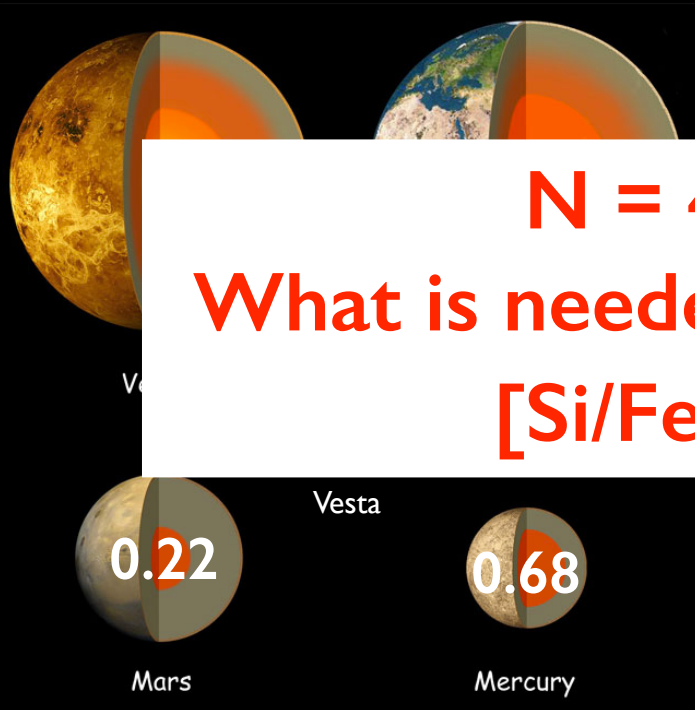
Planet iron/rock mass fraction agrees with stellar iron abundance ... **but large error bars!**

What about the observations?

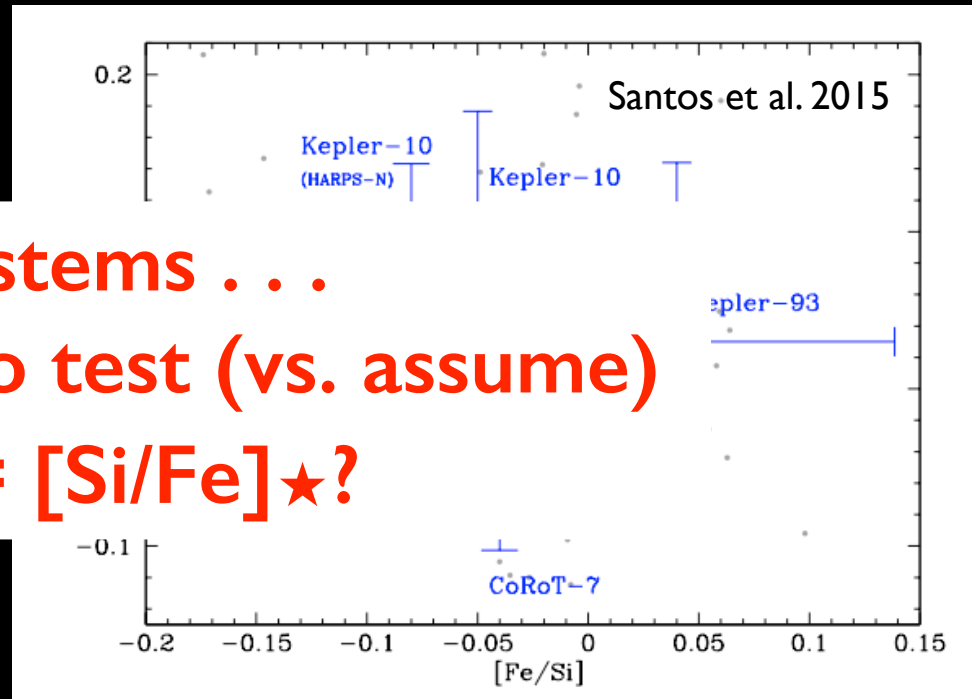
Solar System iron mass fractions:

[Fe/Si] for exoplanets:

chondrites ~ 0.34



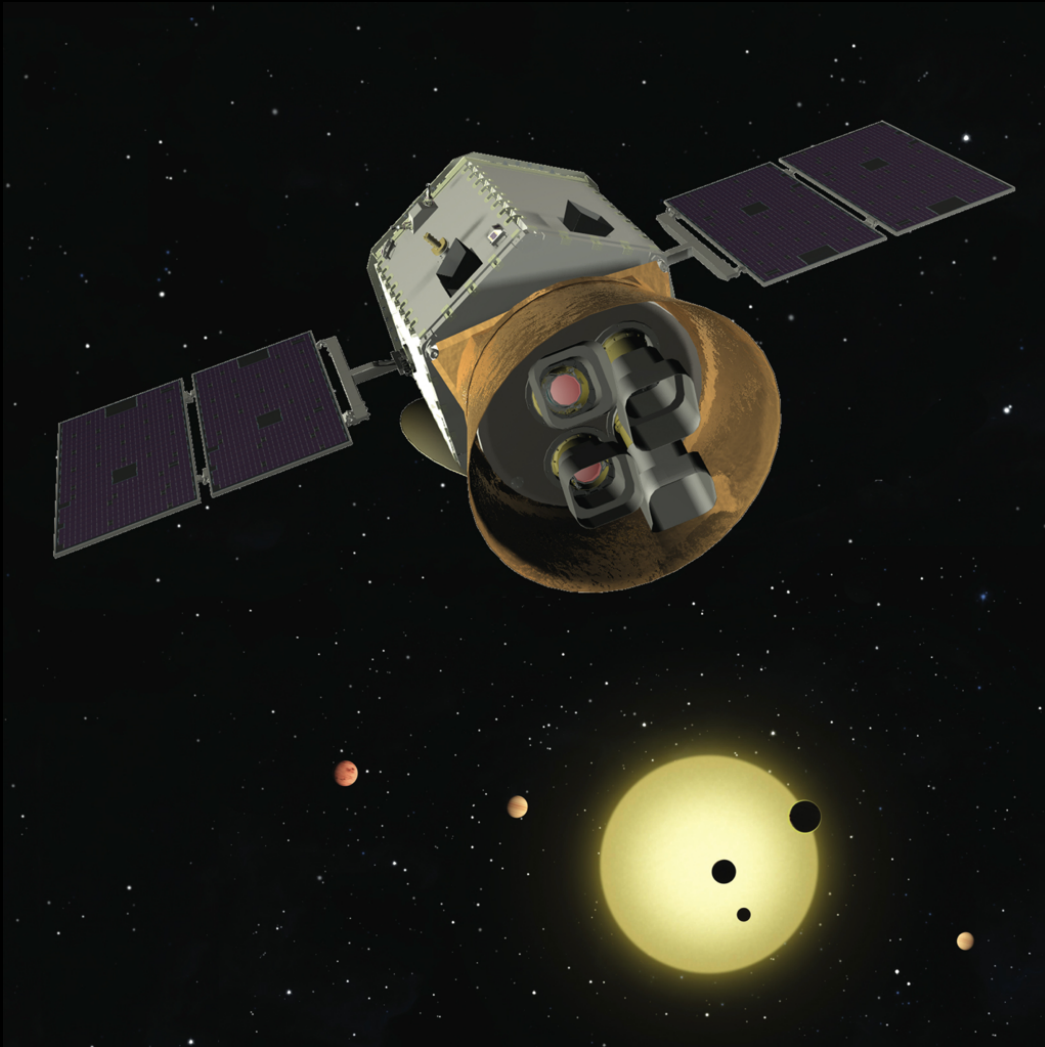
N = 4 systems . . .
What is needed to test (vs. assume)
 $[\text{Si}/\text{Fe}]_{\text{pl}} = [\text{Si}/\text{Fe}]_{\star}$?



Fe mass fraction has
significant variation
across terrestrial bodies

Planet iron/rock mass
fraction agrees with stellar
iron abundance . . . **but large**
error bars!

Transiting Exoplanet Survey Satellite:

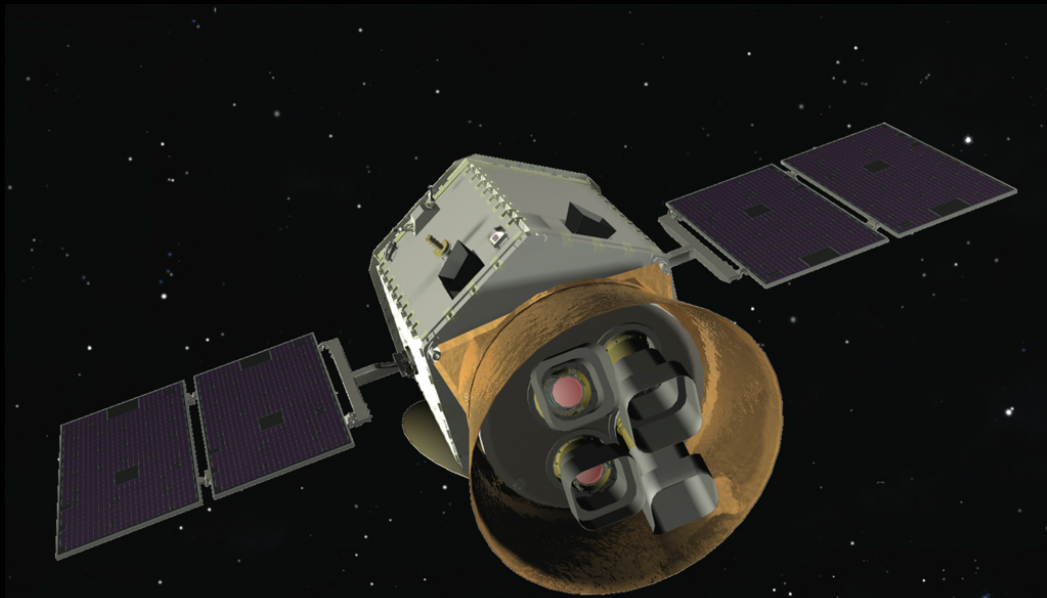


Launches 2018:
find planets around
nearby stars

Then: **follow up**
from ground to get
precise masses

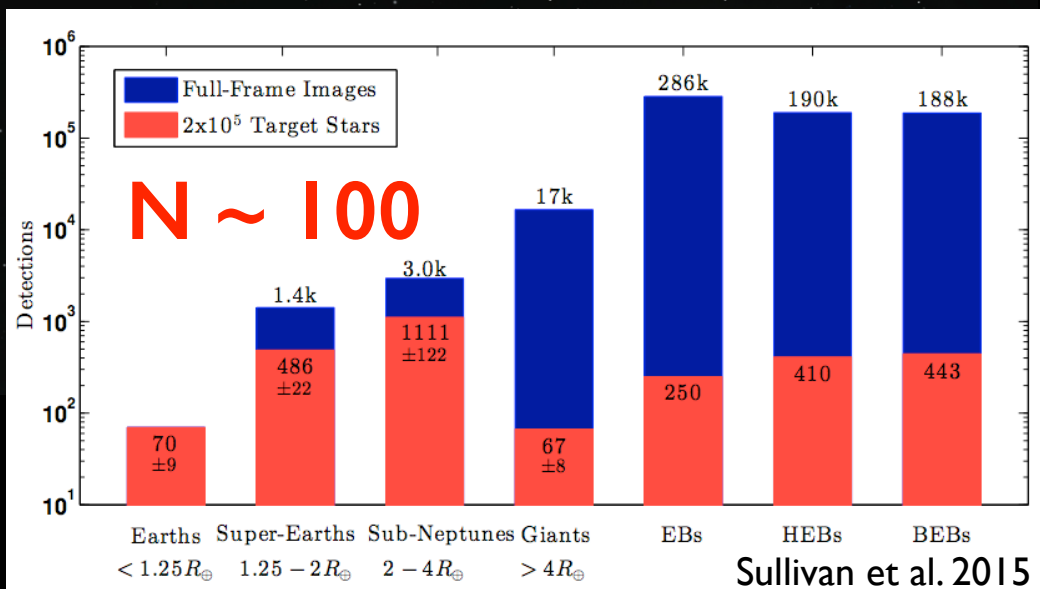
Goal: fill out
M-R space;
understand planet
compositions

Transiting Exoplanet Survey Satellite:



Launches 2018:
find planets around
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from ground to get
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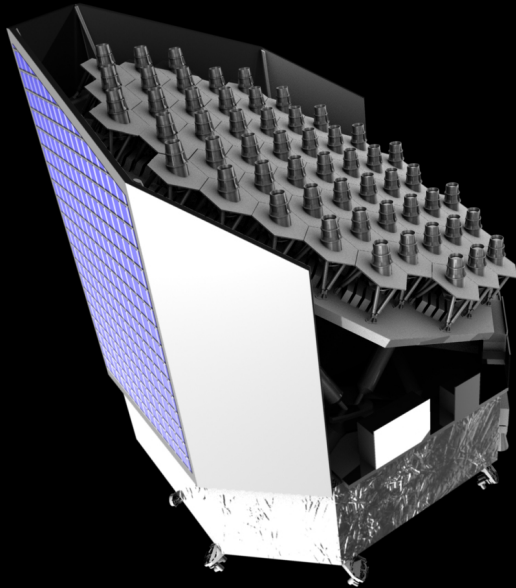


Goal: fill out
M-R space;
understand planet
compositions

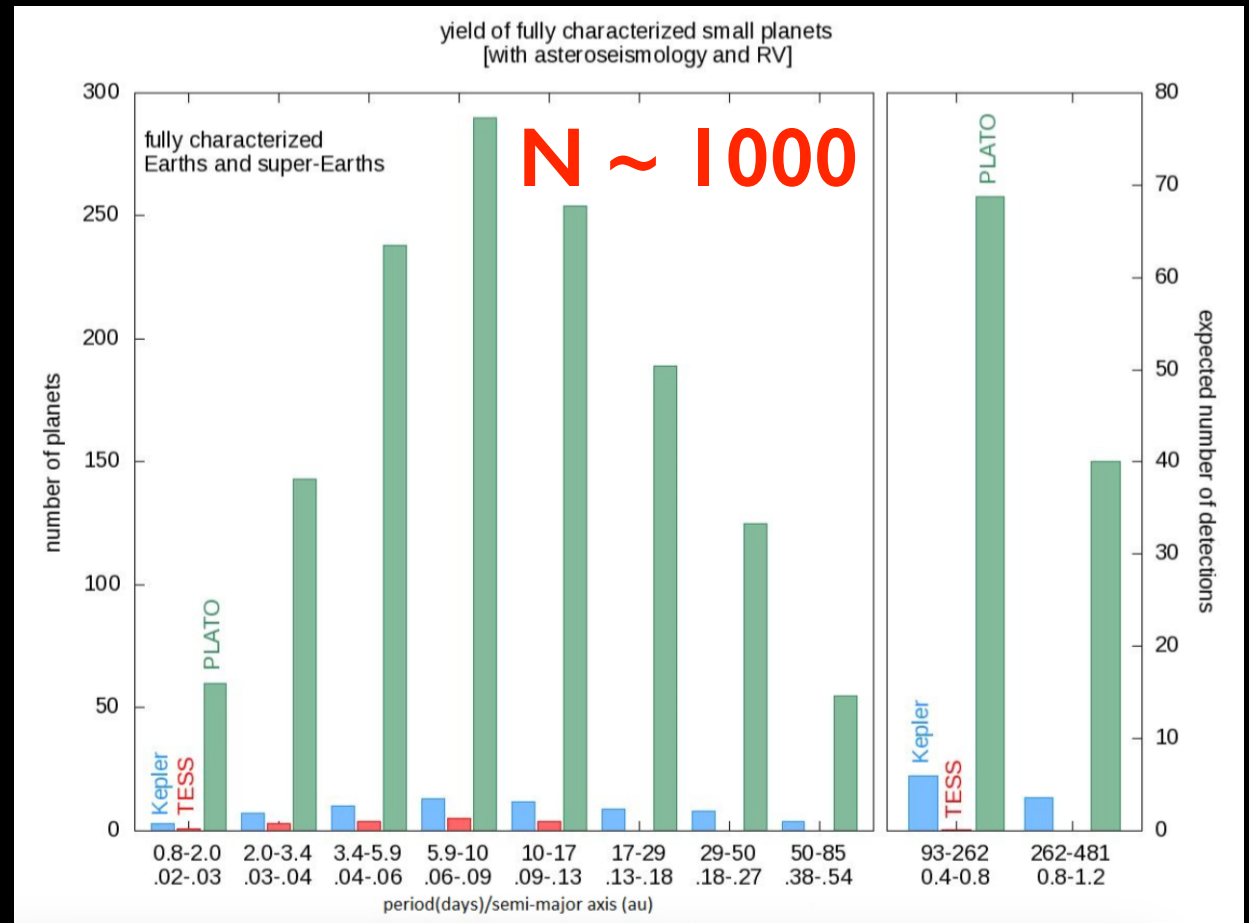
PLANetary Transits & Oscillations of stars:

Goal:

statistical planet characterization
with asteroseismology



ESA M-class,
4-year mission,
target launch
2026



Framing the Question

Do rocky planet compositions actually correlate with the refractory abundances of their host stars?

$$[\text{Si/Fe}]_{\text{pl}} = a * [\text{Si/Fe}]_{\star} + b$$

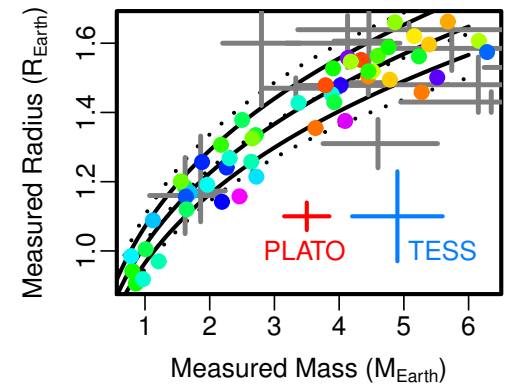
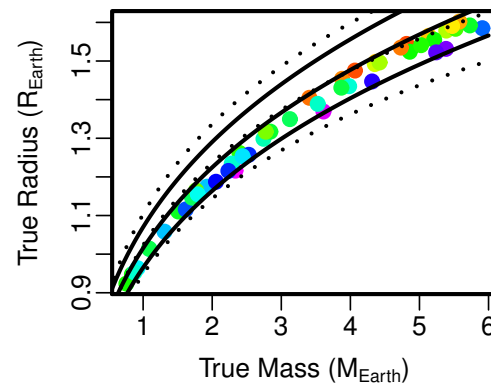
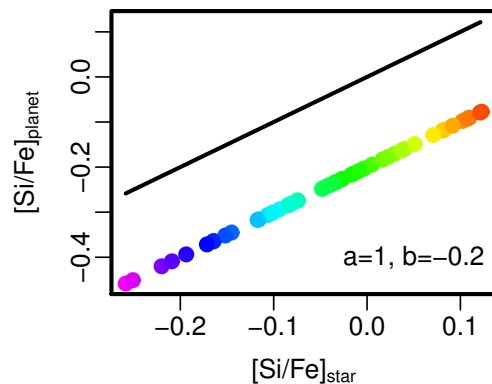
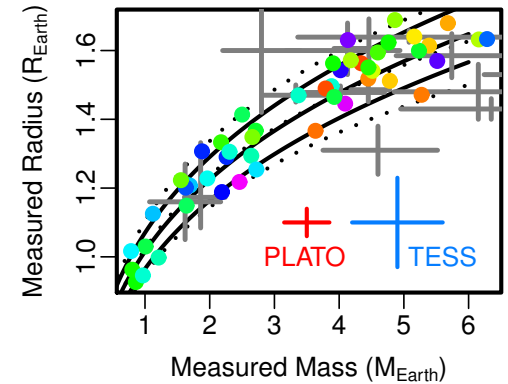
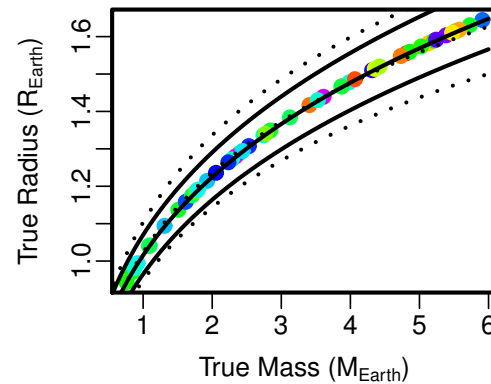
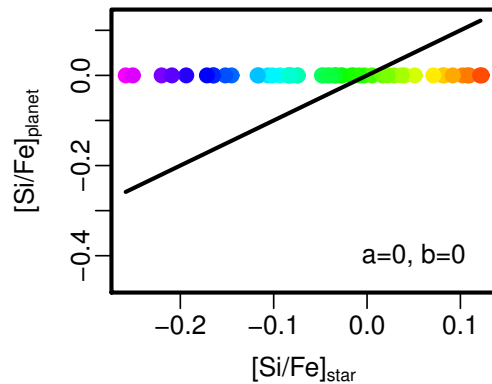
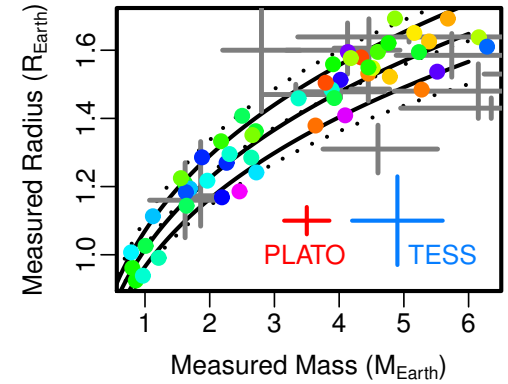
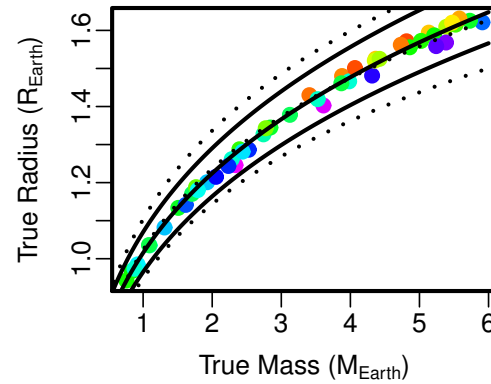
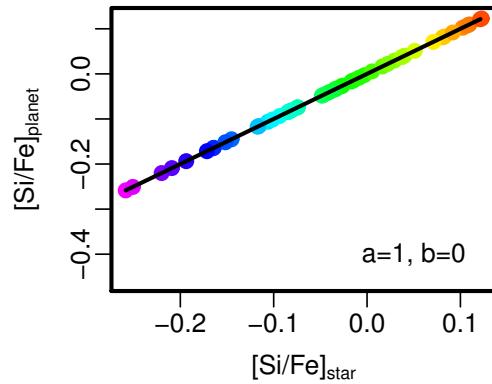
(current assumption: $a = 1, b = 0$)

How well would we know the correlation parameters given the future data?

- 1) **Generate population** assuming $a=1, b=0$.
($[\text{Si/Fe}]_{\text{pl}} \rightarrow \text{rock/iron} + \text{internal structure} \rightarrow M, R$)
- 2) Apply error bars to **simulate uncertain $M, R, [\text{Si/Fe}]$** .
- 3) **Perform hierarchical inference** to get m, b constraints.

Simulating [Si/Fe] for star & planets

What number and quality of observations do we need to test $[\text{Si}/\text{Fe}]_{\text{pl}} = [\text{Si}/\text{Fe}]_{\star}$ with TESS and PLATO?



Results

How well would we know the correlation parameters given the **quality of the future data?**

TESS:

$$\sigma_M = 20\%$$

$$\sigma_R = 10\%$$

$$\sigma_{[\text{Si}/\text{Fe}]} = 0.1$$

(current techniques)

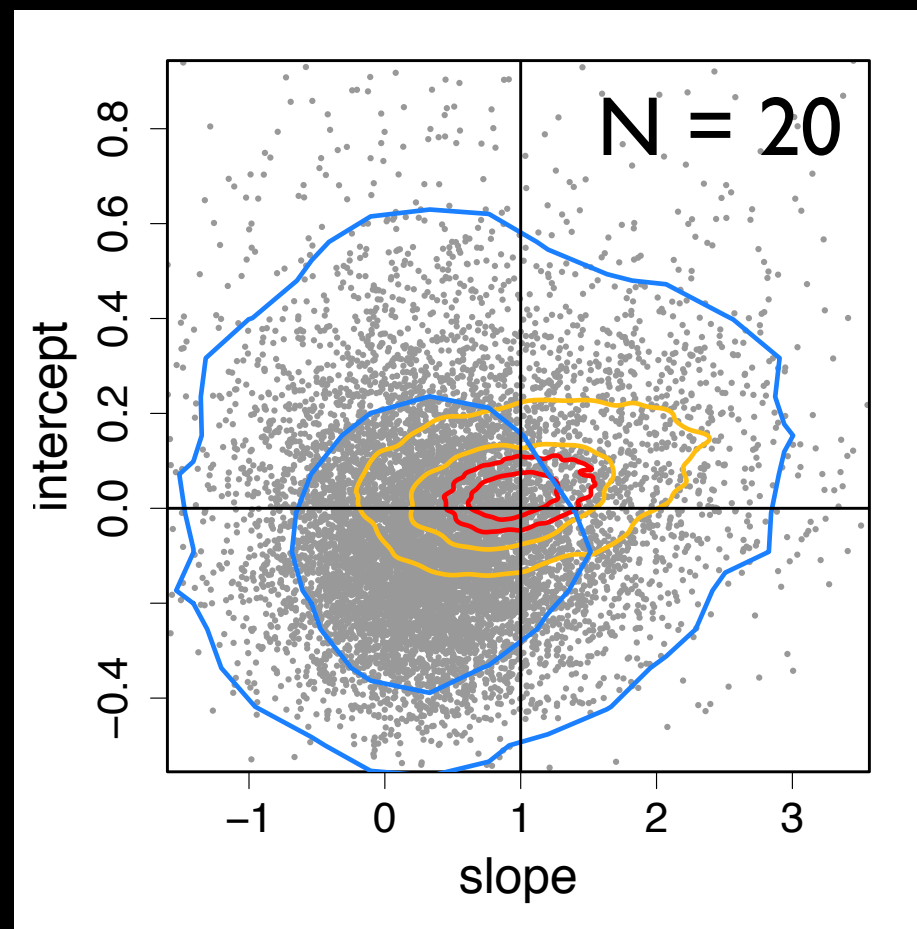
PLATO

$$\sigma_M = 10\%$$

$$\sigma_R = 3\%$$

$$\sigma_{[\text{Si}/\text{Fe}]} = 0.05$$

(asteroseismology,
improvements in stellar
atmosphere modeling)



Gaia + 30 cm/s
RVs

$$\sigma_M = 5\%$$

$$\sigma_R = 1\%$$

$\sigma_{[\text{Si}/\text{Fe}]} = 0.05$
(Gaia parallaxes,
next-generation radial
velocity instrumentation,
improvements in stellar
atmosphere modeling)

Results

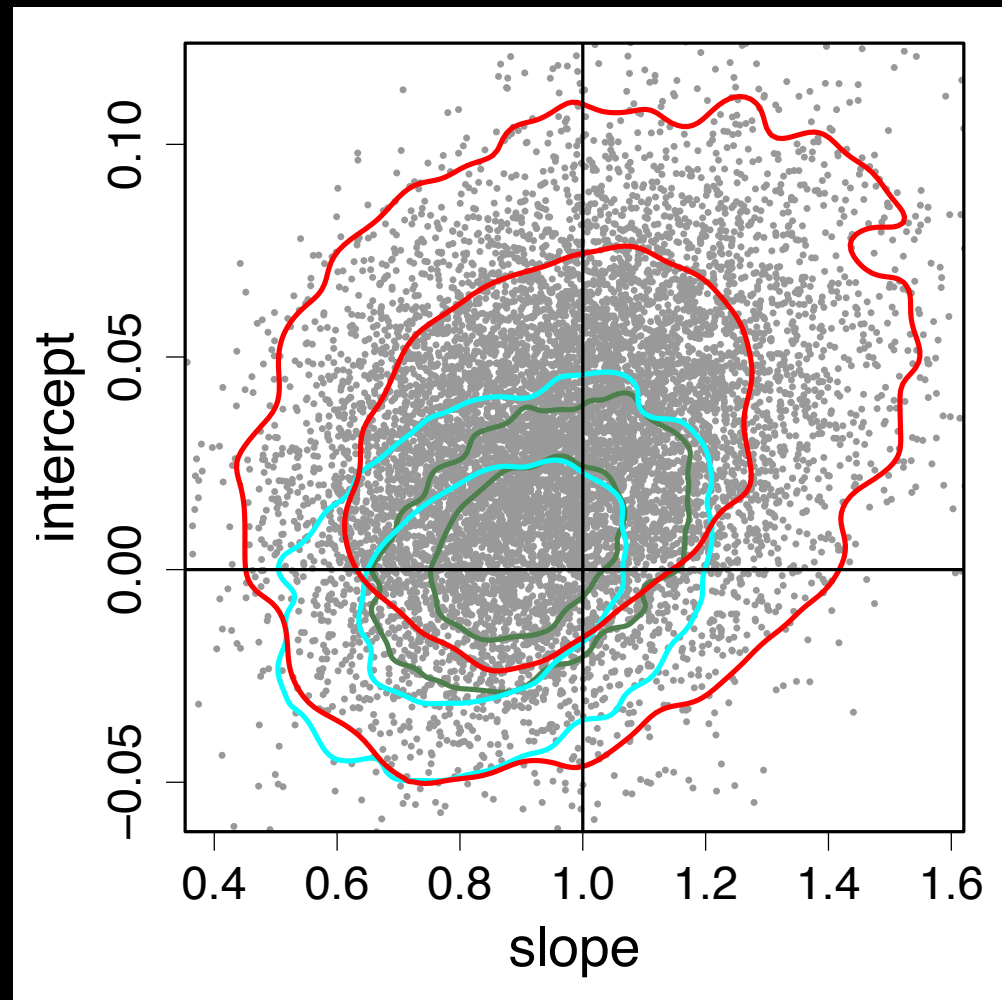
How well would we know the correlation parameters given the **size of the future dataset?**

Gaia + 30 cm/s
RVs:

$$\sigma_M = 5\%$$

$$\sigma_R = 1\%$$

$$\sigma_{[\text{Si}/\text{Fe}]} = 0.05$$



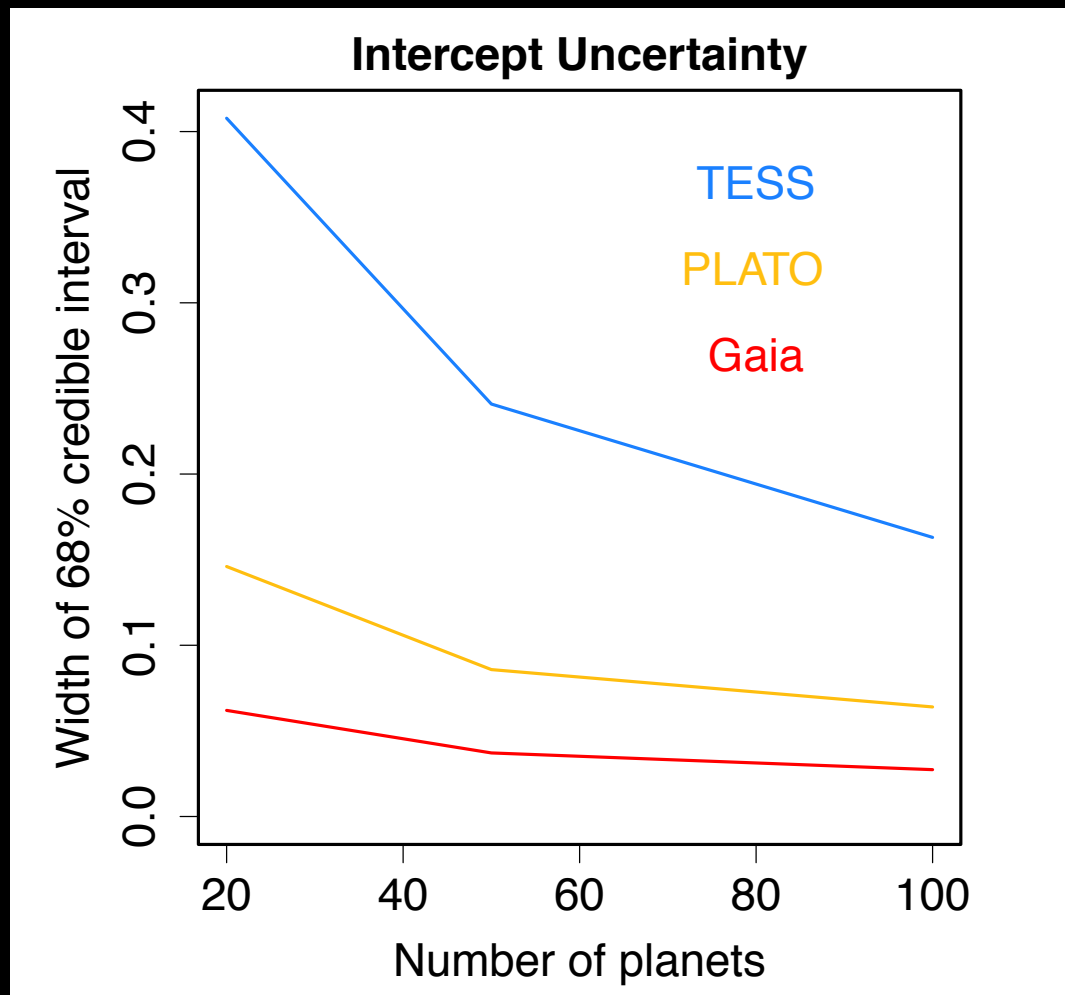
$$N = 20$$

$$N = 50$$

$$N = 100$$

But intercept interesting too!

If stellar $[\text{Si}/\text{Fe}]$ is systematically offset from planet rock mass fraction, then giant impacts could be important for exo-Earths!



How well can we constrain intercept?

With radii constrained to 1-3% and masses constrained to $< 5\%$, could find systematic differences between $[\text{Si}/\text{Fe}]_{\text{pl}} - [\text{Si}/\text{Fe}]_{\star} \sim 0.05$

Conclusions

Composition distribution of Kepler's sub-Neptunes:
the typical $1 < R_{\text{Earth}} < 4$ planet has $\sim 1\%$ mass in H+He envelope;
95% have envelope fractions between 0.1% and 10 %

BUT this **result is non-unique** when constrained by mass and radius.
Modelers are using **stellar abundances to break degeneracies.**

Empirically testing $[\text{Si}/\text{Fe}]_{\text{pl}} = [\text{Si}/\text{Fe}]_{\star}$ is possible with
1% errors on R_{pl} (Gaia is needed)

Lower precision datasets could test for systematic offsets in stellar $[\text{Si}/\text{Fe}]$ versus planet rock mass fraction (rmf), which can probe the **prevalence of giant impacts** on a population level.

Stay tuned for a 2030 thesis near you!!