



The search for new physics with rare kaon decays at the CERN SPS

University of Michigan
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for the NA62 Collaboration

How can we extend the search for new physics to high effective scales?

Energy frontier Direct search

Create new degrees of freedom in lab
Explore spectroscopy of new d.o.f.
 $\Lambda \sim 1-10$ TeV

Intensity frontier Indirect investigation

Evidence of new degrees of freedom
as alteration of SM rates
Explore symmetry properties
of new d.o.f.
 $\Lambda \sim 1-1000$ TeV

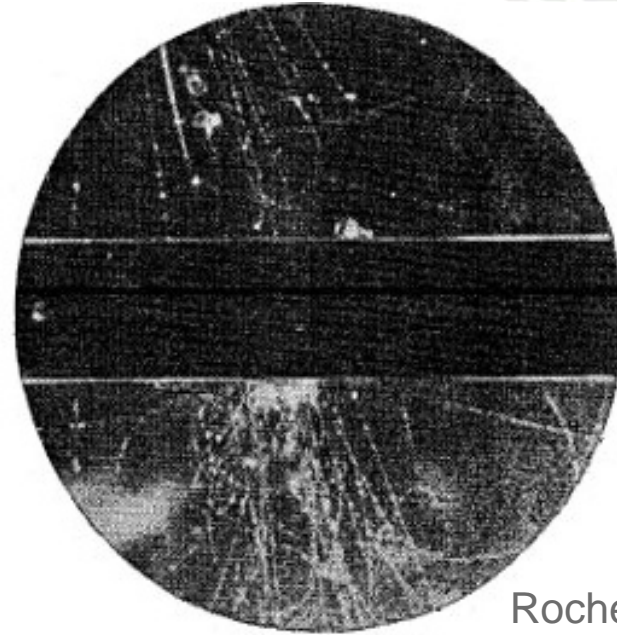
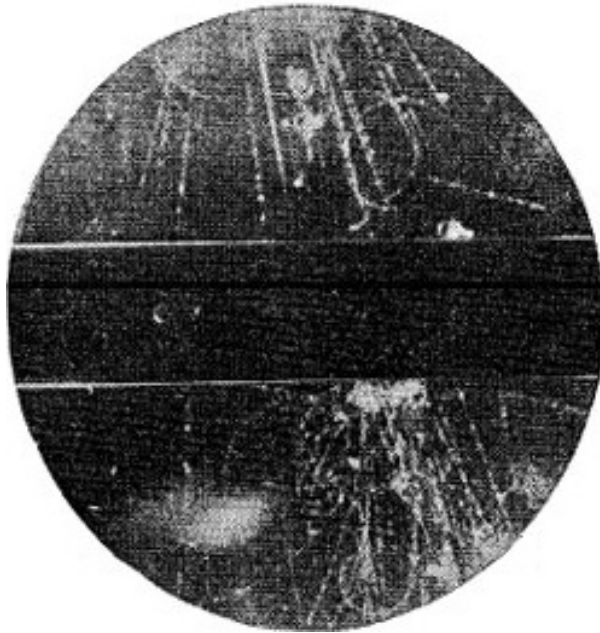
**A rare decay
is useful as an
NP probe if:**

- Process is (strongly) suppressed in the SM
- Parameter to be measured precisely calculated in SM
- There are specific predictions for NP contributions

Examples of what may be studied with rare decays:

- Explicit violations of the SM (e.g., lepton flavor violation)
- Tests of fundamental symmetries such as CP and CPT
- Search for new d.o.f. in the flavor sector, e.g., in FCNC processes
- Strong interaction dynamics at low energy using exclusive processes

What have kaons taught us?



Rochester & Butler
Nature 160 (1947)

Strangeness, concept of flavor quark model

τ - θ puzzle: hint of P violation, confirmation of weak $V - A$ structure

CP violation in mixing of neutral kaons

Suppression of $K_L \rightarrow \mu^+ \mu^-$: GIM mechanism and the charm quark

Direct CP violation in $K \rightarrow \pi\pi$ and the CKM paradigm

Quiet successes of confirmation: conservation of lepton flavor, V_{us} , etc.

Kaons have been fundamental in the development of the SM flavor sector

A history of kaons at the SPS



NA31 1982-1993: 1st generation experiment to measure $\text{Re } \varepsilon'/\varepsilon$

NA48 1992-2000: Next generation measurement of $\text{Re } \varepsilon'/\varepsilon$

NA48/1 2000-2002: Rare K_S decays, e.g., $K_S \rightarrow \pi^0 \ell^+ \ell^-$

NA48/2 2003-2007: Direct CPV in $K^\pm \rightarrow \pi^+ \pi^- \pi^\pm$

2007-2008: Measurement of $R_K = \Gamma(K \rightarrow e\nu)/\Gamma(K \rightarrow \mu\nu)$ with NA48

NA62 2007-2013: Design, construction, installation

From 2014: Measurement of $K^\pm \rightarrow \pi^\pm \nu \nu$

Rare kaon decays



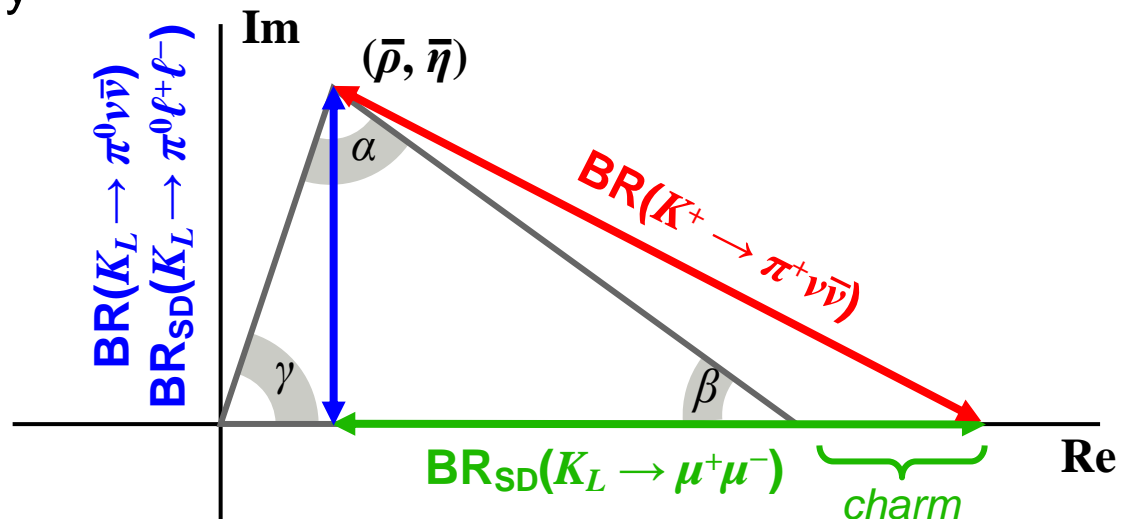
Decay	$\Gamma_{\text{SD}}/\Gamma$	Theory err.*	SM BR $\times 10^{11}$	Exp. BR $\times 10^{11}$ (Sep 2019)
$K_L \rightarrow \mu^+\mu^-$	10%	30%	79 ± 12 (SD)	684 ± 11
$K_L \rightarrow \pi^0 e^+ e^-$	40%	10%	3.2 ± 1.0	$< 28^\dagger$
$K_L \rightarrow \pi^0 \mu^+ \mu^-$	30%	15%	1.5 ± 0.3	$< 38^\dagger$
$K^+ \rightarrow \pi^+ \nu \bar{\nu}$	90%	4%	8.4 ± 1.0	$< 18.5^\dagger$
$K_L \rightarrow \pi^0 \nu \bar{\nu}$	$> 99\%$	2%	3.4 ± 0.6	$< 300^\dagger$

*Approx. error on LD-subtracted rate excluding parametric contributions $\dagger 90\%$ CL

FCNC processes dominated by Z-penguin and box diagrams

Highly suppressed in Standard Model

Rates related to V_{CKM} with minimal non-parametric uncertainty



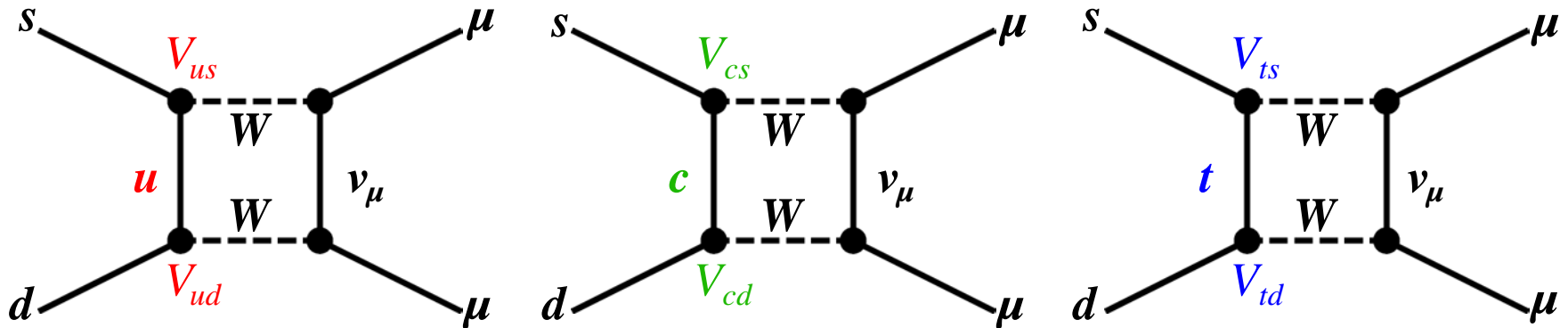
Rare kaon decays



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Rates for FCNC decays are suppressed by GIM mechanism:



$$\mathbf{V}^\dagger \mathbf{V} = \mathbf{1} \quad V_{us}^* V_{ud} L(x_u) + V_{cs}^* V_{cd} L(x_c) + V_{ts}^* V_{td} L(x_t) \approx 0$$

$$x_q = m_q^2/m_W^2$$

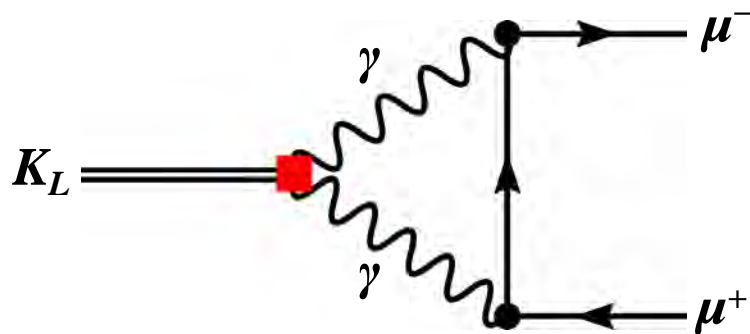
$$L(x_q) \sim x_q \ln x_q \quad (x_q \rightarrow 0)$$

Rare kaon decays

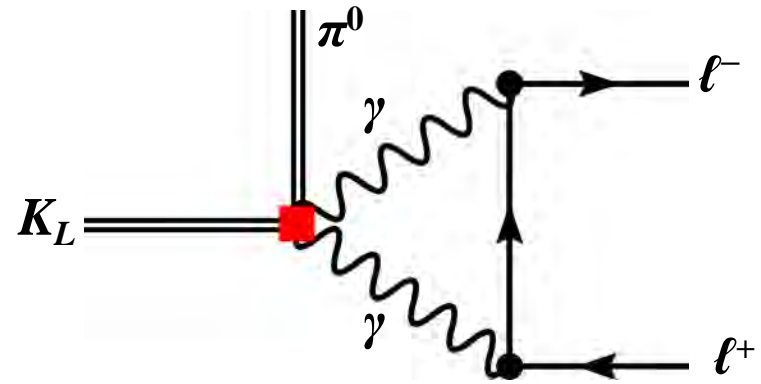
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No LD contributions from states with intermediate γ s for $K \rightarrow \pi \nu \bar{\nu}$

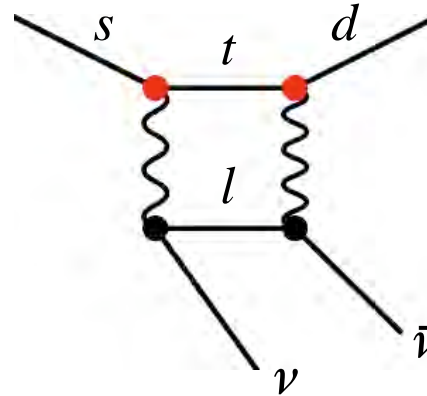
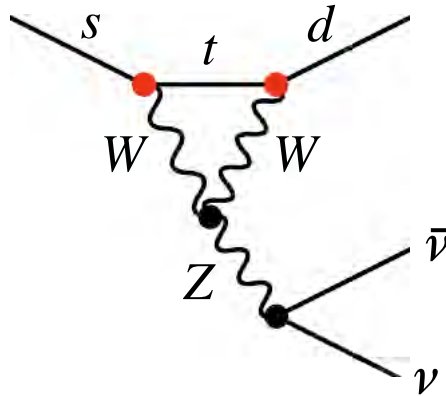
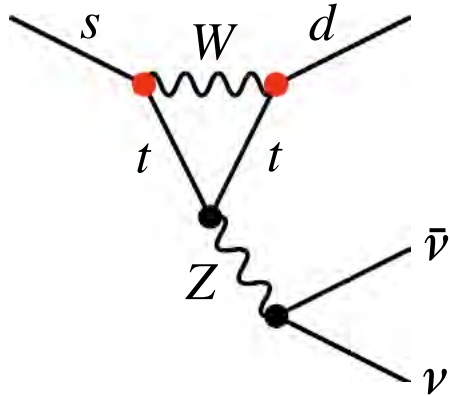


$$K_L \rightarrow \mu^+ \mu^-$$



$$K_L \rightarrow \pi^0 \ell^+ \ell^-$$

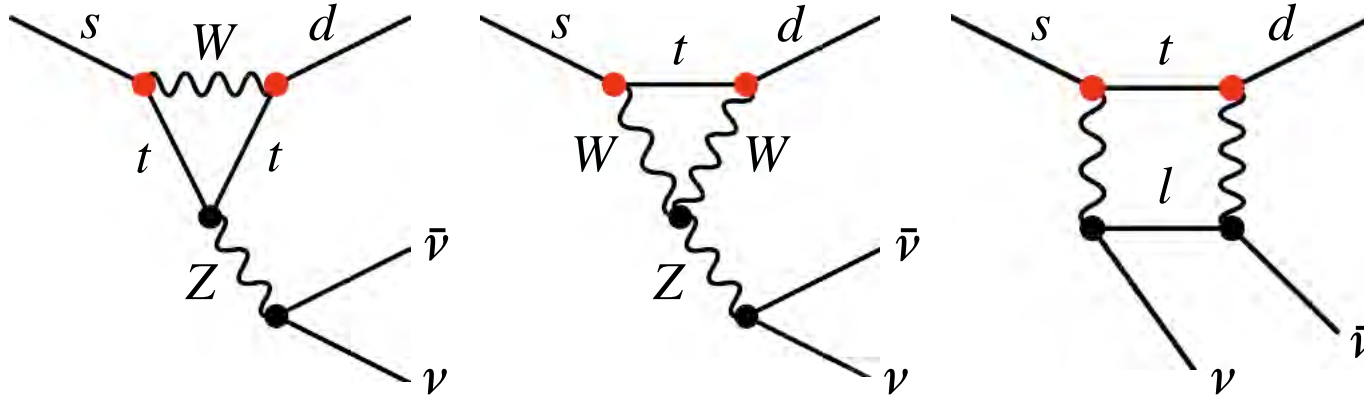
$K \rightarrow \pi \nu \bar{\nu}$ in the Standard Model



$$\begin{aligned} \lambda &= V_{us} \\ \lambda_c &= V_{cs}^* V_{cd} \\ \lambda_t &= V_{ts}^* V_{td} \\ x_q &\equiv m_q^2 / m_W^2 \end{aligned}$$

$$\begin{aligned} \text{BR}(K^+ \rightarrow \pi^+ \nu \bar{\nu}) &= \kappa_+ \left[\left(\frac{\text{Im} \lambda_t}{\lambda^5} X(x_t) \right)^2 + \left(\frac{\text{Re} \lambda_t}{\lambda^5} X(x_t) + \frac{\text{Re} \lambda_c}{\lambda} P_c(X) \right)^2 \right] \\ \text{BR}(K_L \rightarrow \pi^0 \nu \bar{\nu}) &= \kappa_L \left(\frac{\text{Im} \lambda_t}{\lambda^5} X(x_t) \right)^2 \end{aligned}$$

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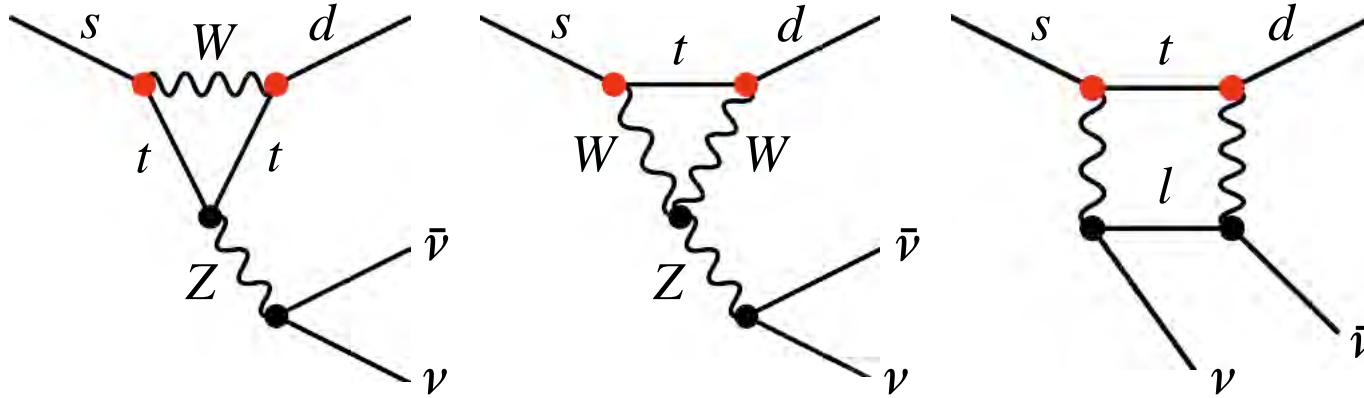


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Loop functions favor top contribution

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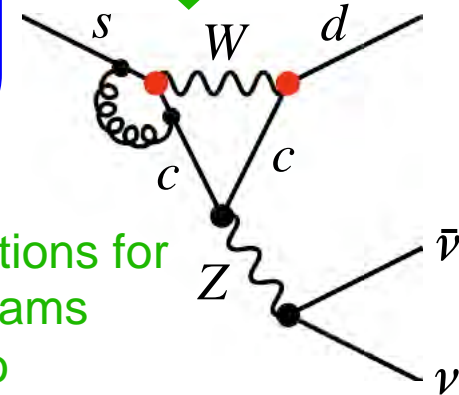
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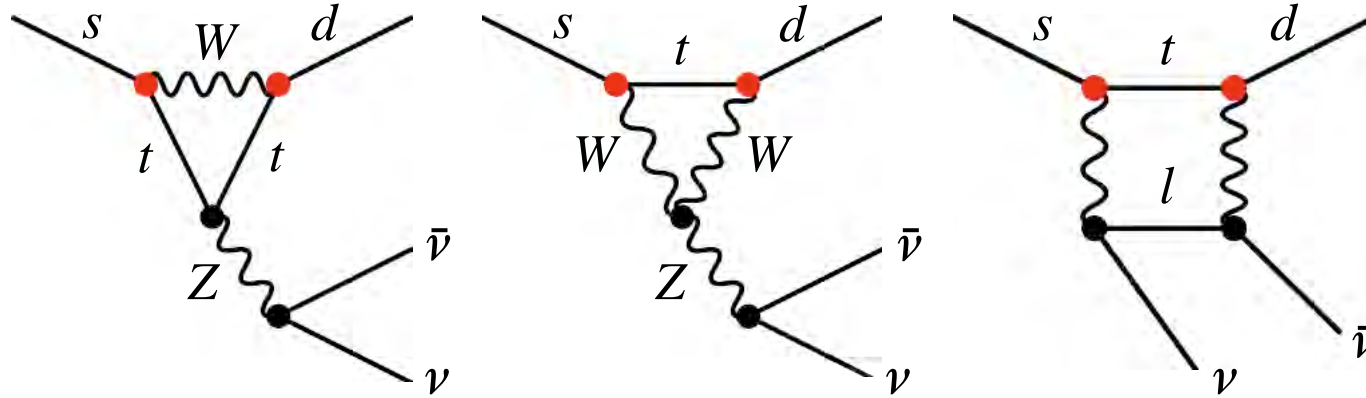
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QCD corrections for charm diagrams contribute to uncertainty

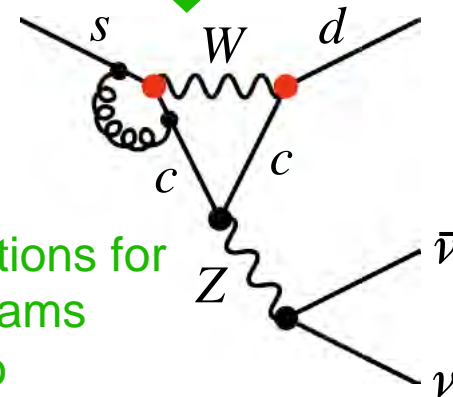
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$$\kappa_+ = r_{K^+} \frac{3\alpha^2 \text{BR}(K^+ \rightarrow \pi^0 e^+ \nu)}{2\pi^2 \sin^4 \theta_W} \lambda^8$$

Hadronic matrix element obtained from $\text{BR}(K_{e3})$ via isospin rotation

QCD corrections for charm diagrams contribute to uncertainty

$K \rightarrow \pi \nu \bar{\nu}$ and the unitarity triangle



$$\text{BR}(K^+ \rightarrow \pi^+ \nu \bar{\nu}) = (8.39 \pm 0.30) \times 10^{-11} \cdot \left[\frac{|V_{cb}|}{0.0407} \right]^{2.8} \cdot \left[\frac{\gamma}{73.2^\circ} \right]^{0.74}$$

Buras et al.,
JHEP 1511

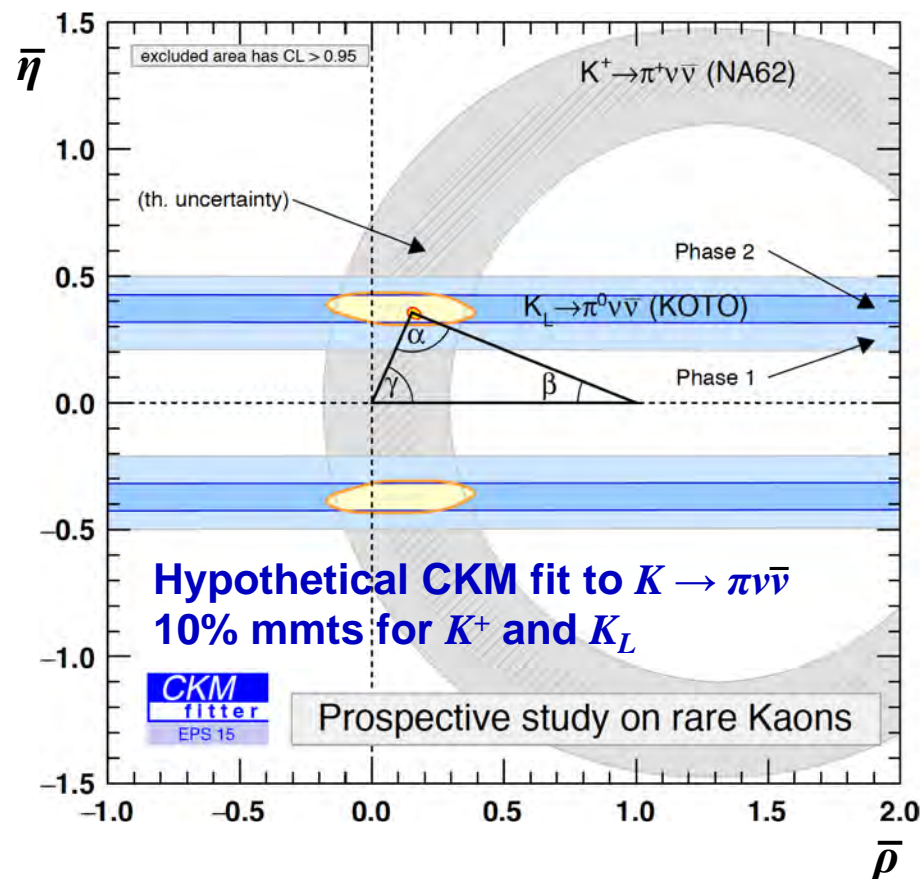
$$\text{BR}(K_L \rightarrow \pi^0 \nu \bar{\nu}) = (3.36 \pm 0.05) \times 10^{-11} \cdot \left[\frac{|V_{ub}|}{3.88 \times 10^{-3}} \right]^2 \cdot \left[\frac{|V_{cb}|}{0.0407} \right]^2 \cdot \left[\frac{\sin \gamma}{\sin 73.2^\circ} \right]^2$$

Dominant uncertainties for SM BRs are from CKM matrix elements

Intrinsic theory uncertainties 1.5-3.5%

Measuring BRs for both $K^+ \rightarrow \pi^+ \nu \nu$ and $K_L \rightarrow \pi^0 \nu \nu$ can determine the CKM unitarity triangle independently from B inputs:

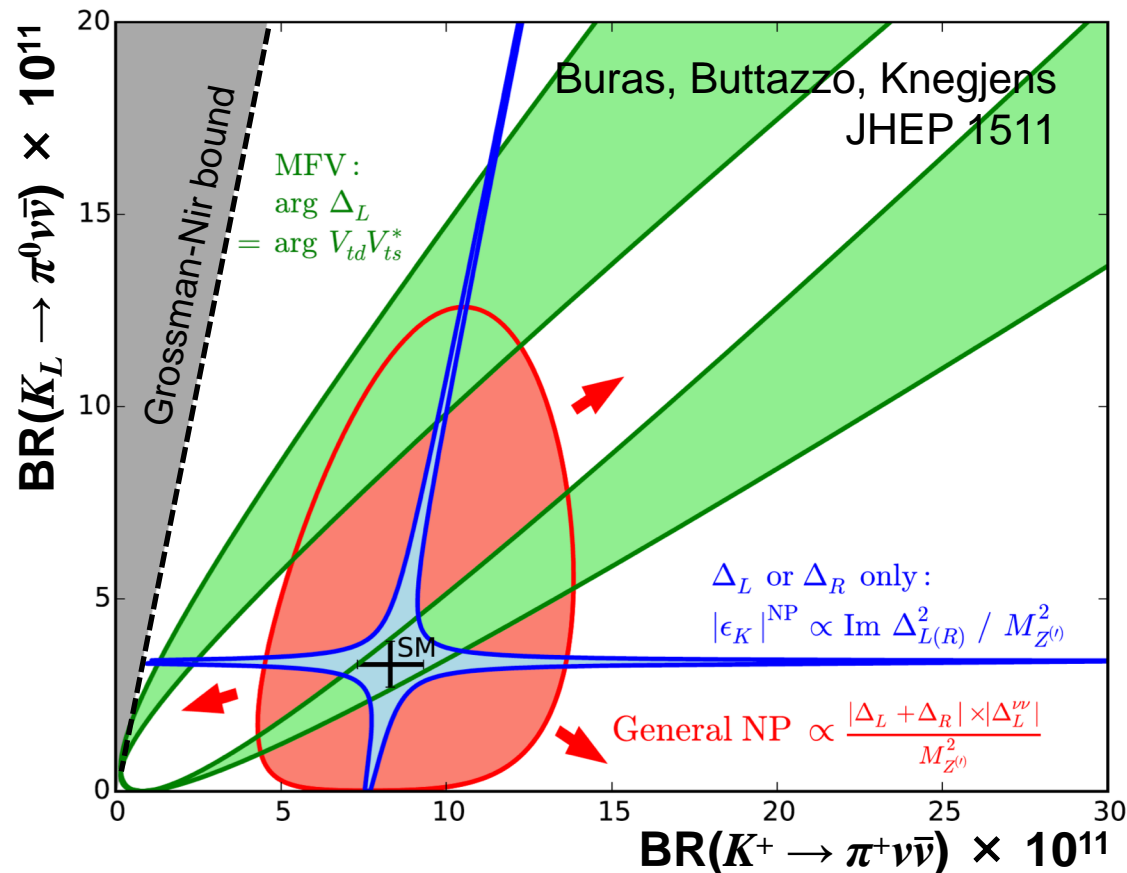
- Over-constrain CKM matrix \rightarrow reveal NP effects
- Sensitivity complementary to B decays



$K \rightarrow \pi \nu \bar{\nu}$ and new physics



New physics affects K^+ and K_L BRs differently
 Measurements of both can discriminate among NP scenarios



- Models with CKM-like flavor structure
 - Models with MFV
- Models with new flavor-violating interactions in which either LH or RH couplings dominate
 - Z/Z' models with pure LH/RH couplings
 - Littlest Higgs with T parity
- Models without above constraints
 - Randall-Sundrum
- **Grossman-Nir bound**
 Model-independent relation

$$\frac{\text{BR}(K_L \rightarrow \pi^0 \nu \bar{\nu})}{\text{BR}(K^+ \rightarrow \pi^+ \nu \bar{\nu})} \times \frac{\tau_+}{\tau_L} \leq 1$$

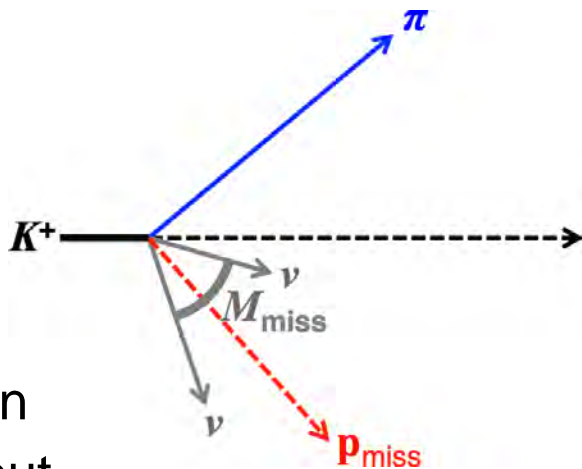
The NA62 experiment at the CERN SPS



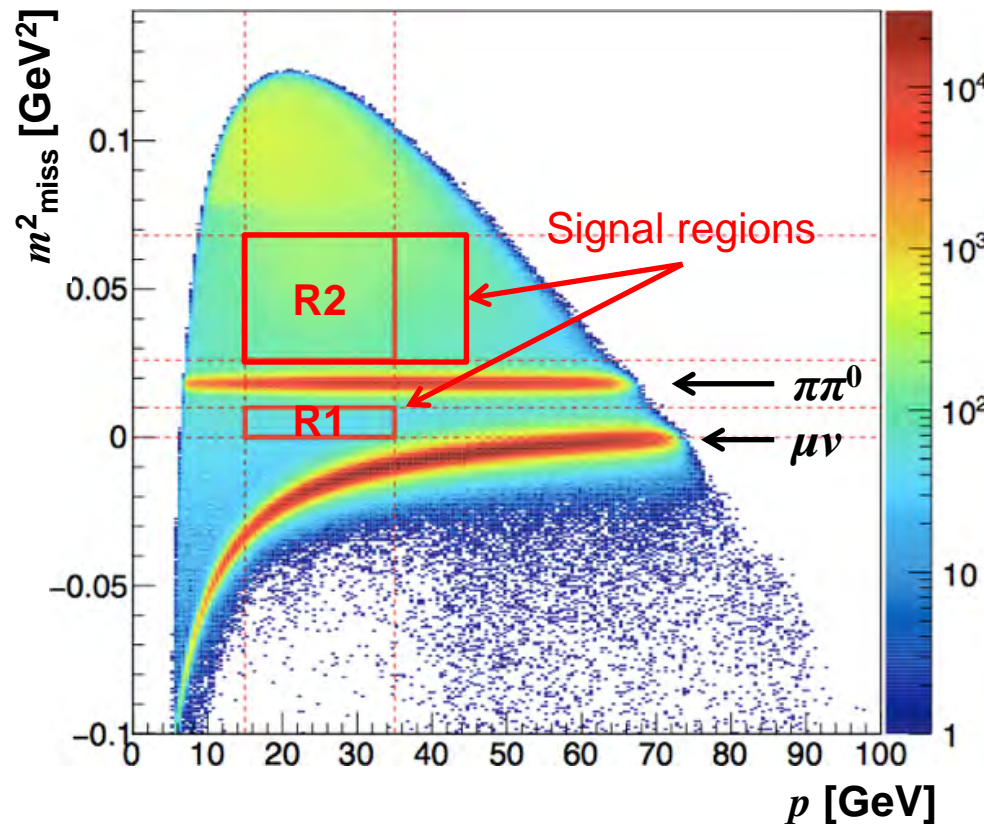
$K^+ \rightarrow \pi^+ \nu \bar{\nu}$ with decay in flight

Signal:

$$\text{BR} = (8.4 \pm 1.0) \times 10^{-11}$$



- K track in
- π track out
- No other particles in final state
- $M_{\text{miss}}^2 = (p_K - p_\pi)^2$



Selection criteria:

- K^+ beam identification
- Single track in final state
- π^+ identification ($\epsilon_\mu \sim 1 \times 10^{-8}$)
- γ rejection ($\epsilon_{\pi^0} \sim 3 \times 10^{-8}$)

Main backgrounds:

$$K^+ \rightarrow \mu^+ \nu(\gamma) \quad \text{BR} = 63.5\%$$

$$K^+ \rightarrow \pi^+ \pi^0(\gamma) \quad \text{BR} = 20.7\%$$

K12 high-intensity K^+ beamline



Primary SPS proton beam:

- $p = 400$ GeV protons
- Nominal intensity: 3.3×10^{12} protons/pulse (ppp)
- Typical duty cycle: 4.8 s/16.8 s
Flat-top: 3 eff. s

High-intensity, unseparated secondary beam

- $p = 75$ GeV with $\Delta p/p \sim 1\%$

Total rate { **525 MHz π**
750 MHz { **170 MHz p**
 { **45 MHz K**

Decay volume:

- 60 m long, starting at $z = 102$ m from target
- 10% of K^+ decay in FV ($\beta\gamma c\tau = 560$ m)

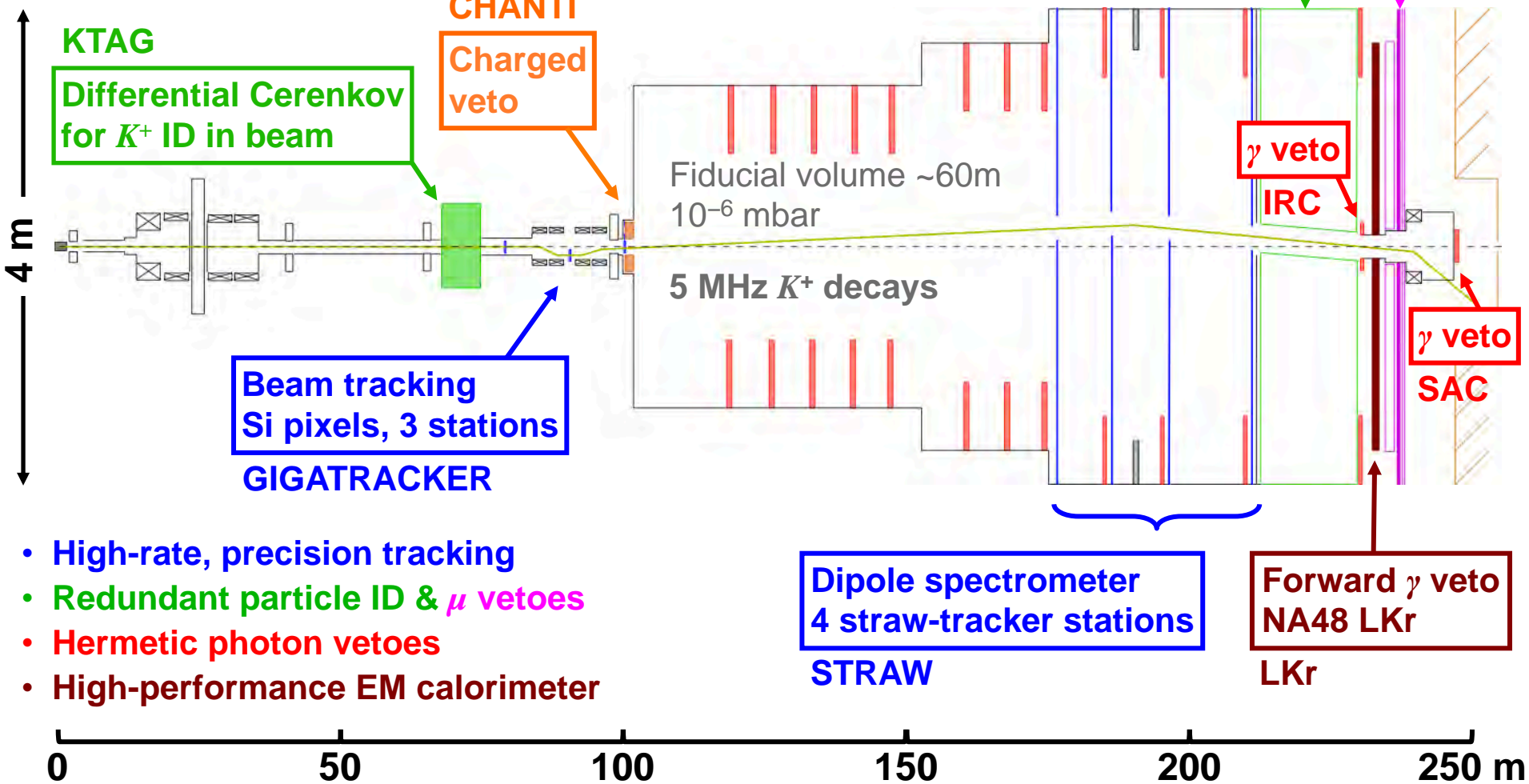
Up to 5×10^{12} K^+ decays/yr

The NA62 experiment at the SPS



400 GeV primary p from SPS
 75 GeV positive secondary beam

- 750 MHz total rate
- 45 MHz K^+ in beam

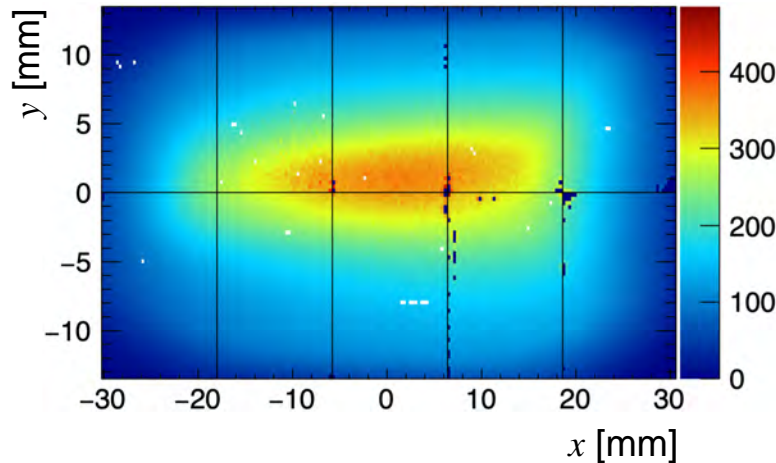
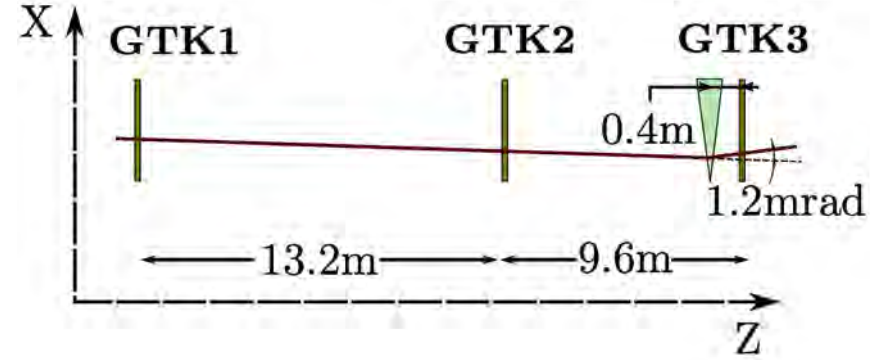
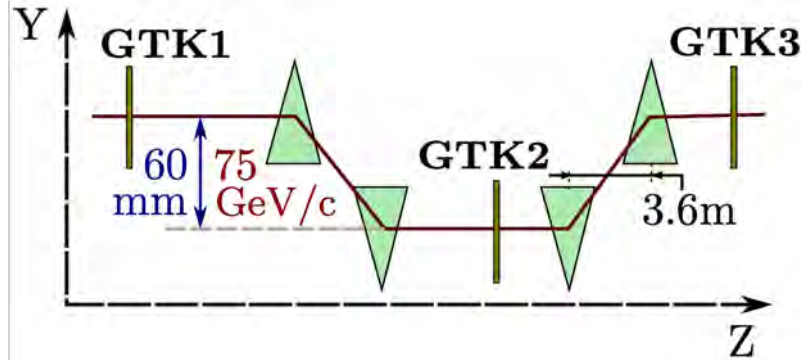


- High-rate, precision tracking
- Redundant particle ID & μ vetoes
- Hermetic photon vetoes
- High-performance EM calorimeter

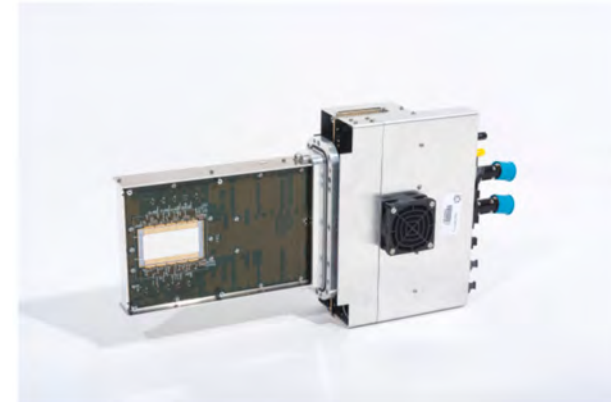
High-rate beam tracking

Gigatracker (GTK) beam spectrometer:
3 stations of hybrid silicon pixel detectors
installed in beamline achromat

$$\begin{aligned}\sigma_t &= 100 \text{ ps} \\ \sigma_p &= 0.15 \text{ GeV} \\ \sigma_\theta &= 16 \text{ mrad}\end{aligned}$$



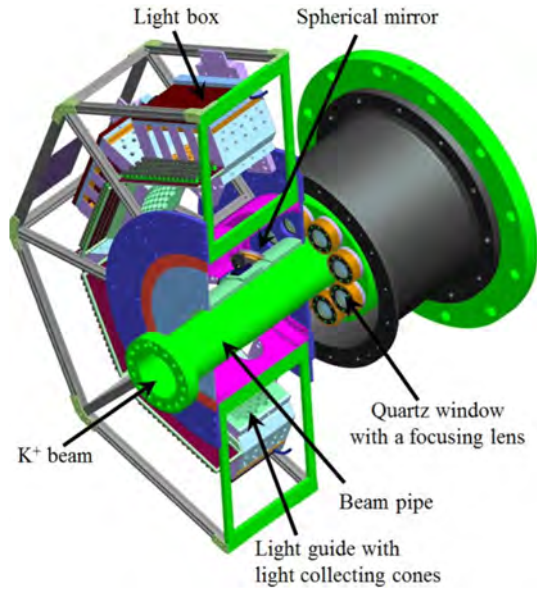
$62 \times 27 \text{ mm}^2$ sensor area
 $300 \times 300 \text{ }\mu\text{m}^2$ pixels



Thickness in active area $510 \text{ }\mu\text{m}$:

- Sensor $200 \text{ }\mu\text{m}$ + readout chip $100 \text{ }\mu\text{m}$
- Cooling plate $210 \text{ }\mu\text{m}$

Beam particle identification

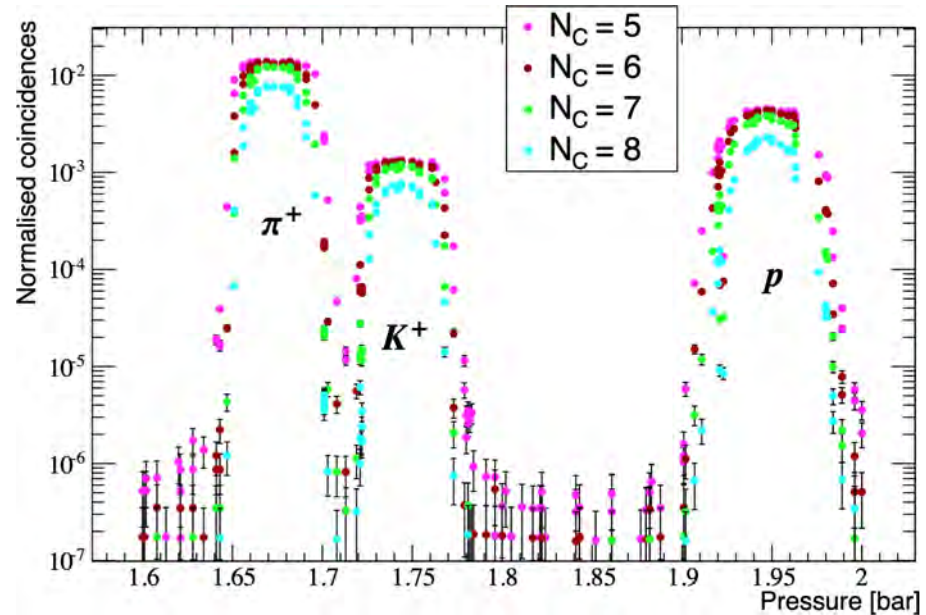
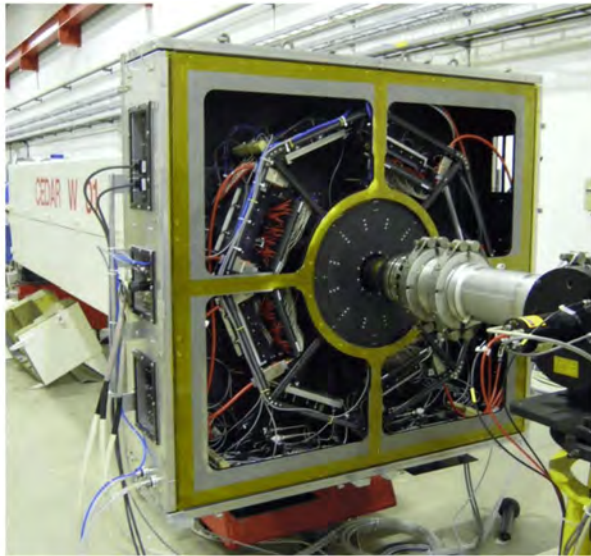


- Must identify 45 MHz of K^+ in 750 MHz beam
- Good time resolution ($\sigma_t < 100$ ps) needed to determine event t_0
- **KTAG: Differential Cerenkov detector** based on CEDAR-W with new light collection system

$$\sigma_t = 70 \text{ ps}$$

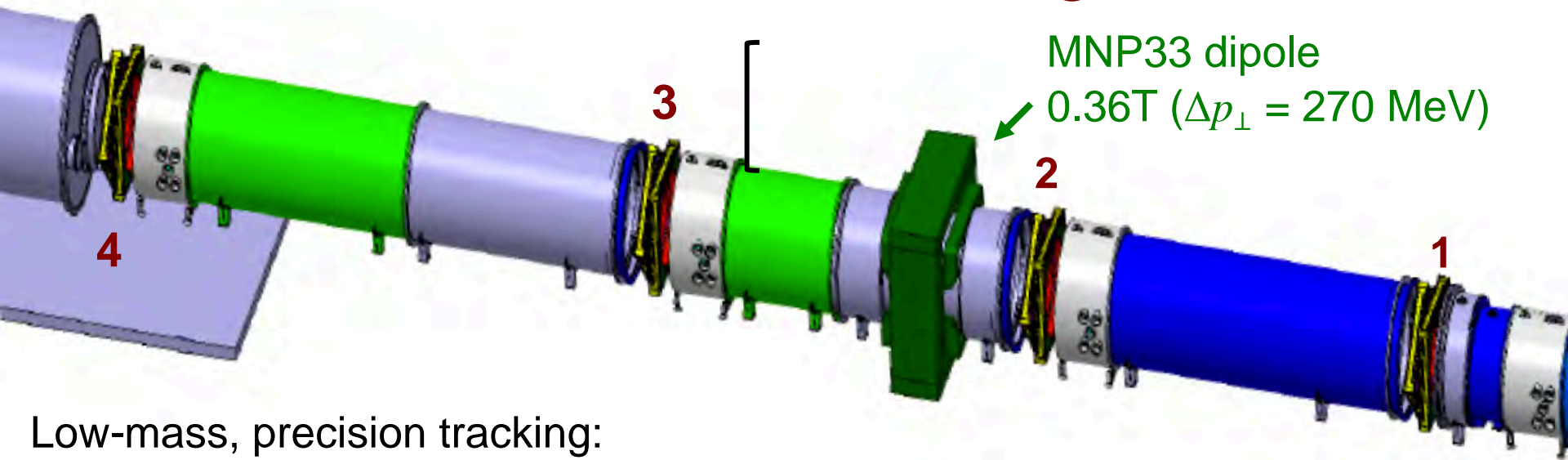
$$\varepsilon_K > 95\% (N_C \geq 5)$$

$$\varepsilon_\pi < 10^{-4}$$

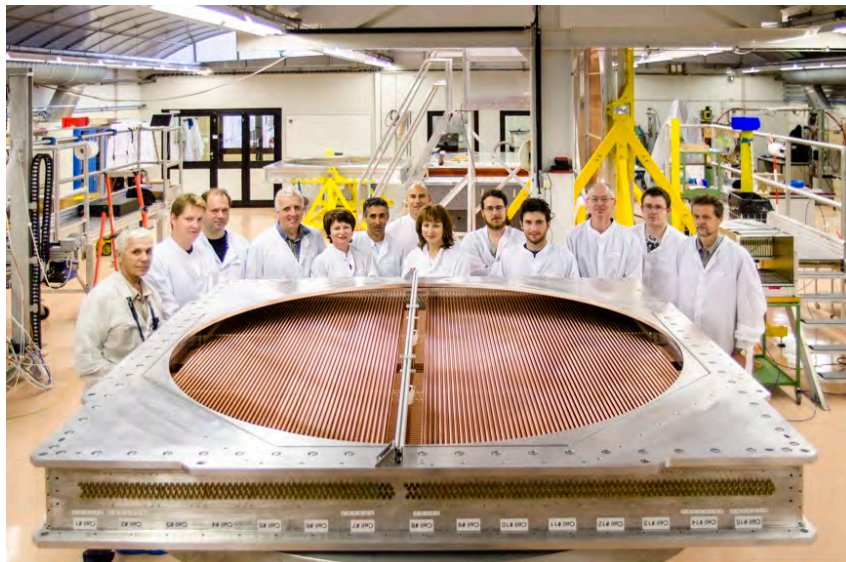


Nominal N_2 gas pressure = 1.75 bar

Precision downstream tracking



Low-mass, precision tracking:
4 straw chambers in vacuum

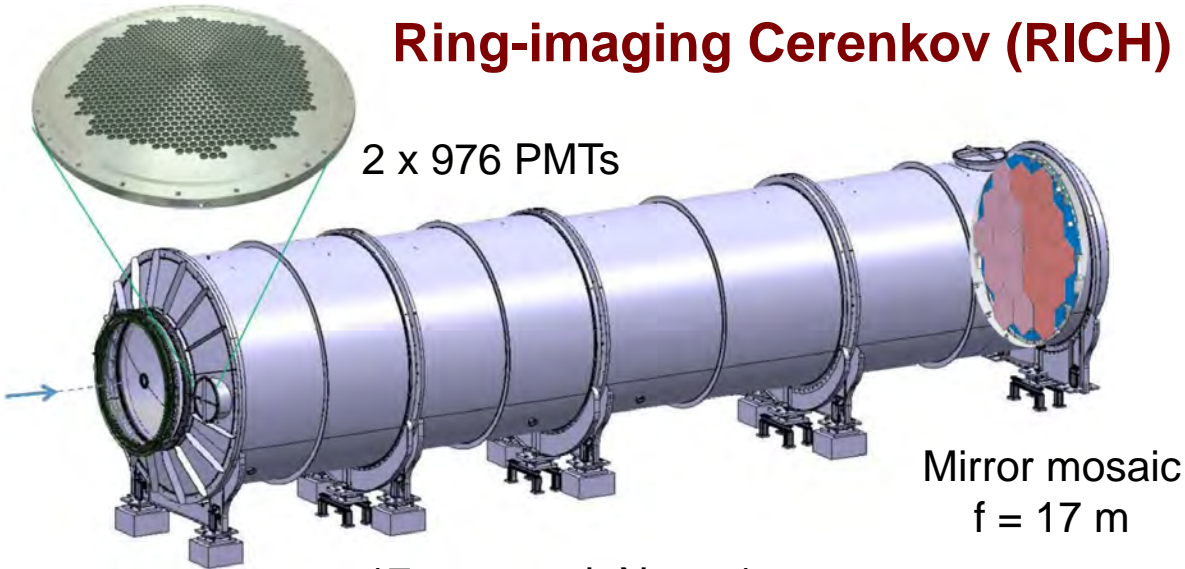


4 views per chamber (xy, uv)
4 staggered layers of straws per view
2.1 m long, 9.6 mm \varnothing mylar tubes
Central gap in each view for beam
Gas mixture 70% Ar + 30% CO₂
1.8% X_0 total

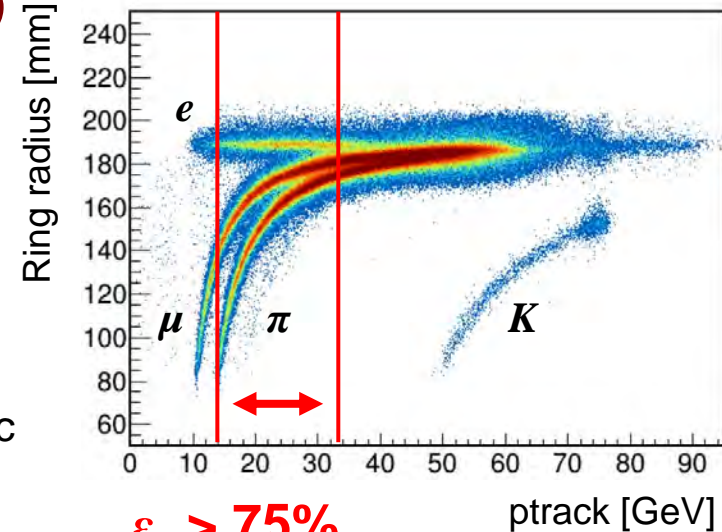
$\sigma \leq 130 \mu\text{m}$ (1 view) $\sigma_p/p \sim 0.3\text{-}0.4\%$
99% hit eff $\sigma_\theta \sim 20\text{-}60 \mu\text{rad}$

Redundant downstream PID

Ring-imaging Cerenkov (RICH)



17-m vessel: Ne at 1 atm
 $n - 1 = 6.7 \times 10^{-5}$



$\epsilon_\pi > 75\%$

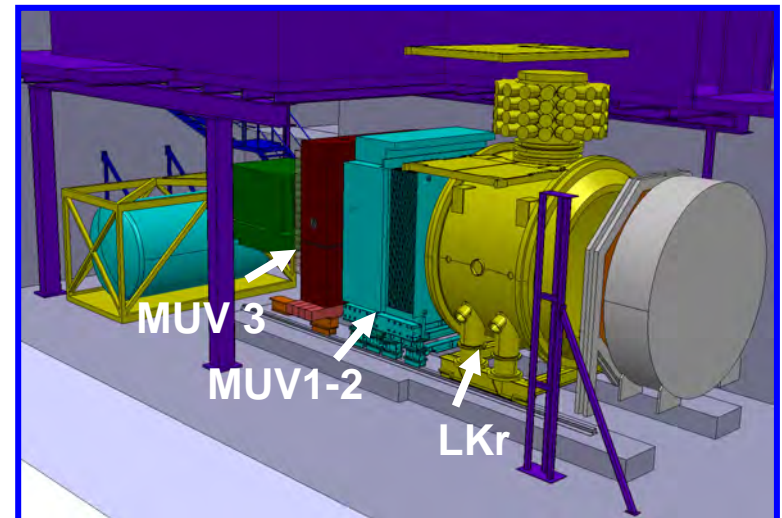
$\epsilon_\mu \sim 10^{-3}$

$\sigma_t = 100 \text{ ps}$

Hadronic calorimeters and muon vetoes

MUV1	Iron/scintillator	$4.1 \lambda_{\text{int}}$
MUV2	Iron/scintillator	$3.7 \lambda_{\text{int}}$
Muon filter	80 cm iron	$4.8 \lambda_{\text{int}}$
MUV3	Scintillator tiles	–

Overall μ rejection from LKr + MUV1-2 $\sim 10^{-6}$
 MUV3 provides low-level trigger veto



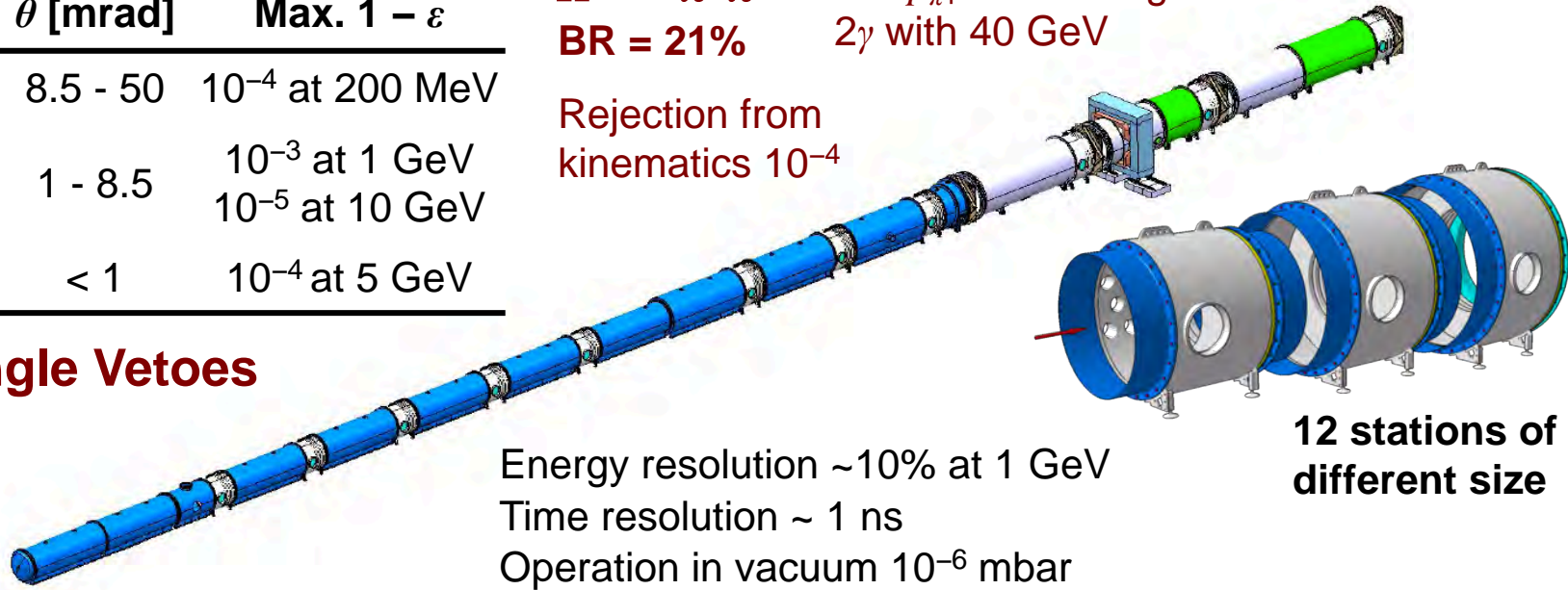
Hermetic photon veto

Detector	θ [mrad]	Max. $1 - \epsilon$
LAV	8.5 - 50	10^{-4} at 200 MeV
LKr	1 - 8.5	10^{-3} at 1 GeV 10^{-5} at 10 GeV
IRC & SAC	< 1	10^{-4} at 5 GeV

$K^+ \rightarrow \pi^+ \pi^0$
BR = 21%

Cut $p_{\pi^+} < 35$ GeV gives
 2γ with 40 GeV

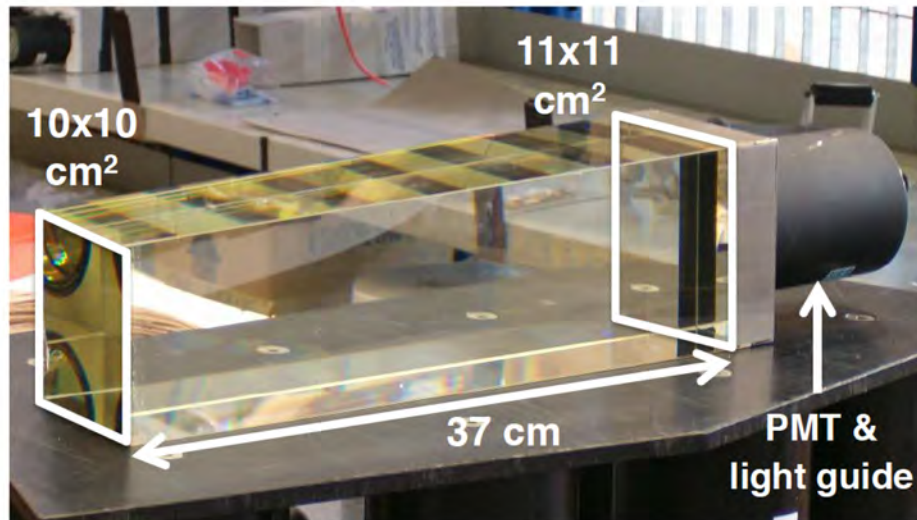
Rejection from
kinematics 10^{-4}



Large-Angle Vetoes (LAV)

Energy resolution $\sim 10\%$ at 1 GeV
Time resolution ~ 1 ns
Operation in vacuum 10^{-6} mbar

12 stations of
different size



NA48 liquid krypton calorimeter



Forward veto ($1 < \theta < 8.5$ mrad)

Need $1 - \varepsilon < 10^{-5}$ for $E_\gamma > 5$ GeV

Quasi-homogeneous ionization calorimeter

13248 channels

Readout towers 2×2 cm²

Depth 127 cm = 27 X_0

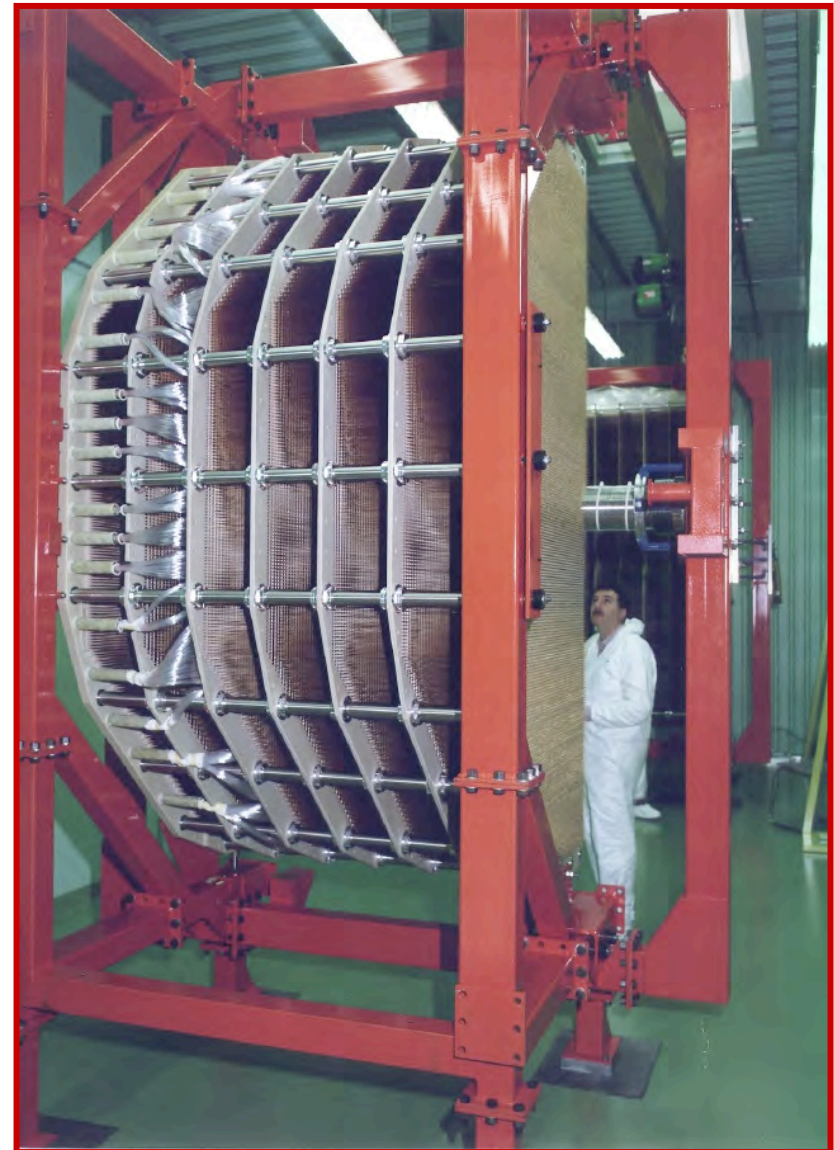
$$\frac{\sigma_E}{E} = \frac{3.2\%}{\sqrt{E}} \oplus \frac{9\%}{E} \oplus 0.42\%$$

$$\sigma_x = \sigma_y = \frac{4.2 \text{ mm}}{\sqrt{E}} \oplus 0.06 \text{ mm}$$

$$\sigma_t = \frac{2.5 \text{ ns}}{\sqrt{E}}$$

NA62 readout electronics:

14-bit 40 MHz FADCs with large buffers to handle 1 MHz L0 rate

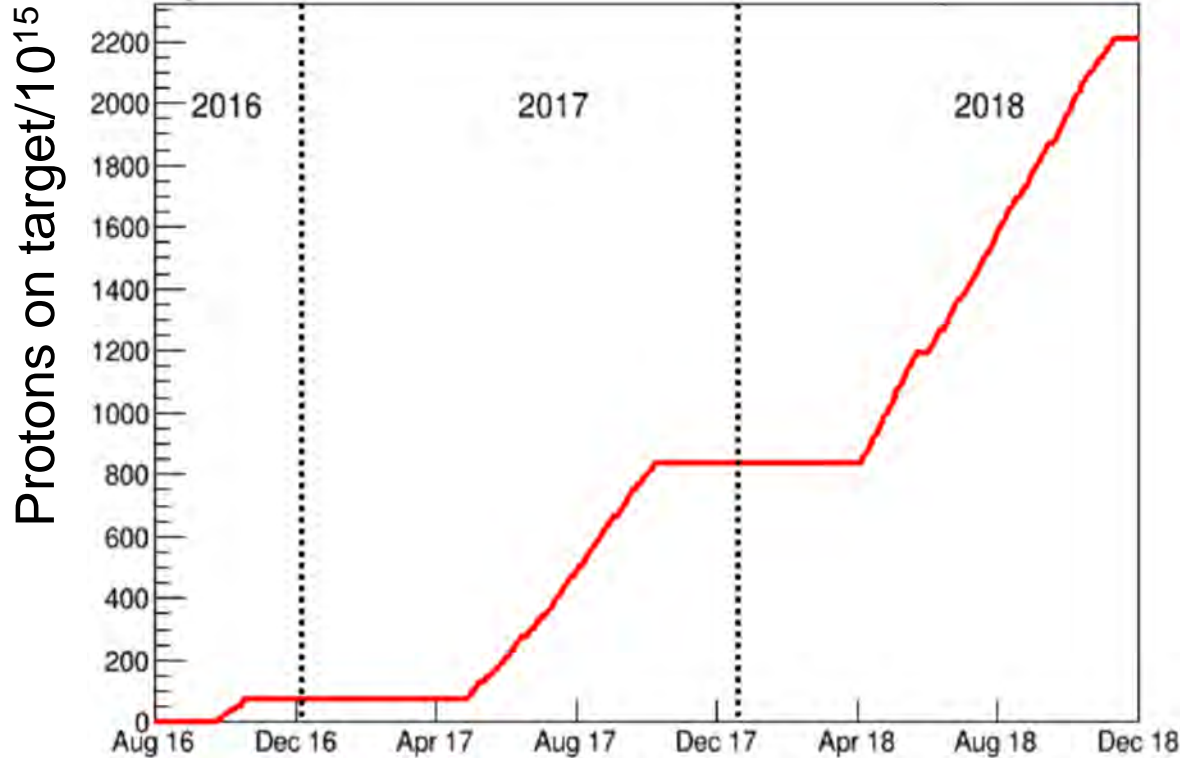


NA62 data taking, 2016-2018



After commissioning in 2014-2015, NA62 Run 1 from 2016-2018 (until LS2)

2.2×10^{18} protons on target in total - three rounds of $K^+ \rightarrow \pi^+ \nu \nu$ analysis



2016

40% of nominal intensity
 0.12×10^{12} K^+ decays in FV
PLB 791 (2019) 156-166

2017

60% of nominal intensity
 1.5×10^{12} K^+ decays in FV
JHEP 11 (2020) 042

2018

60-70% of nominal intensity
 2.6×10^{12} K^+ decays in FV
JHEP 06 (2021) 093

Nominal intensity = 3.3×10^{12} pot/3 eff sec

Instantaneous beam intensity can vary by up to a factor of 2

$K^+ \rightarrow \pi^+ \nu \bar{\nu}$ analysis scheme



PNN trigger: 1 track + missing energy

Level 0

FPGAs in TEL62 acquisition boards

RICH signal (provides time reference)

1-4 CHOD hits, not in opposite quadrants

$E(\text{LKr}) < 30 \text{ GeV}$ and ≤ 1 LKr clusters

No MUV3 hits

Level 1

Fast online reconstruction

K^+ identification from KTAG

≤ 2 LAV hits in time

1 positive track with $p < 50 \text{ GeV}$

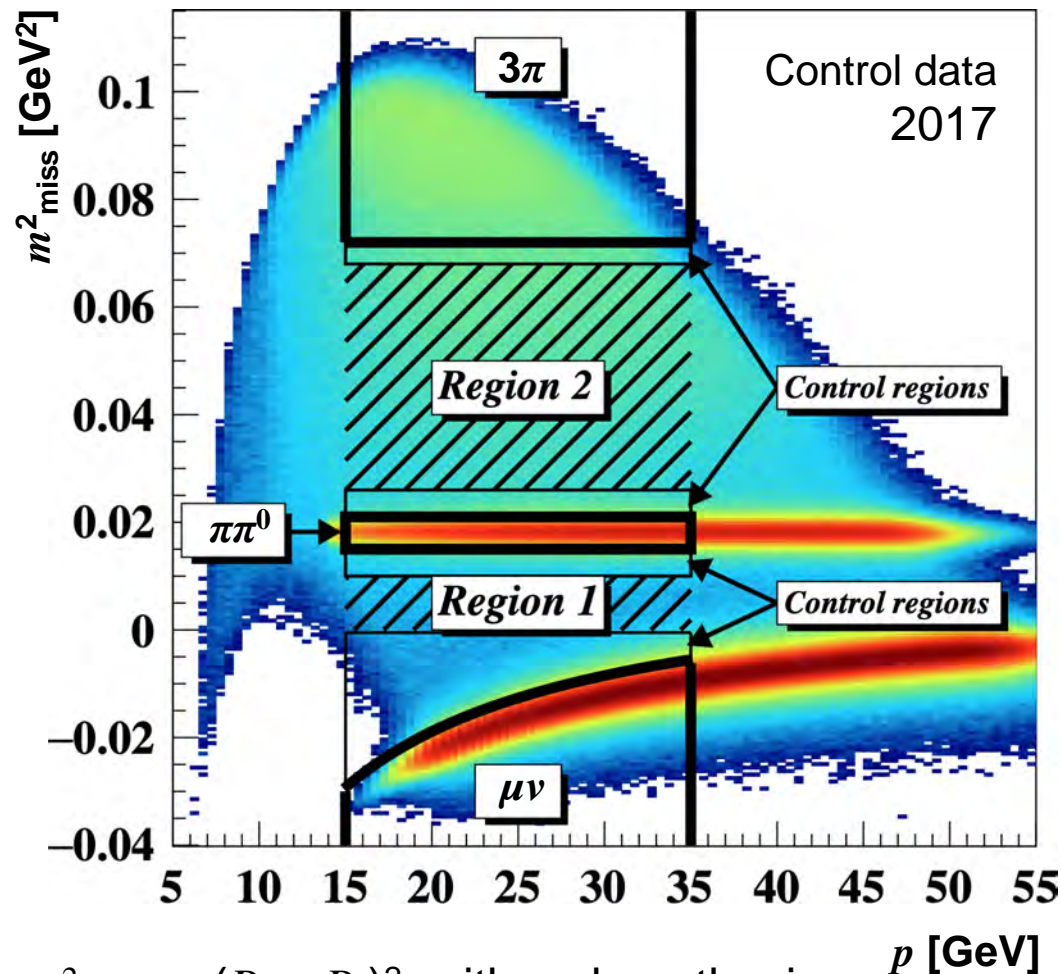
Offline selection:

1. Reconstruct vertex between beam and secondary tracks
2. Kinematic selection
3. π identification/ μ rejection (RICH + LKr/MUV1-2 + MUV3)
4. Veto any extra activity (LAV, LKr, IRC-SAC, multiplicity conditions, etc.)

Normalize to $K^+ \rightarrow \pi\pi^0(\gamma)$ events collected with minimum-bias trigger

- Similar selection criteria as for $\pi^+ \nu \bar{\nu}$ but no photon veto

$K \rightarrow \pi$ vertex selection



$$m^2_{\text{miss}} = (P_K - P_\pi)^2 \text{ with } m_\pi \text{ hypothesis}$$

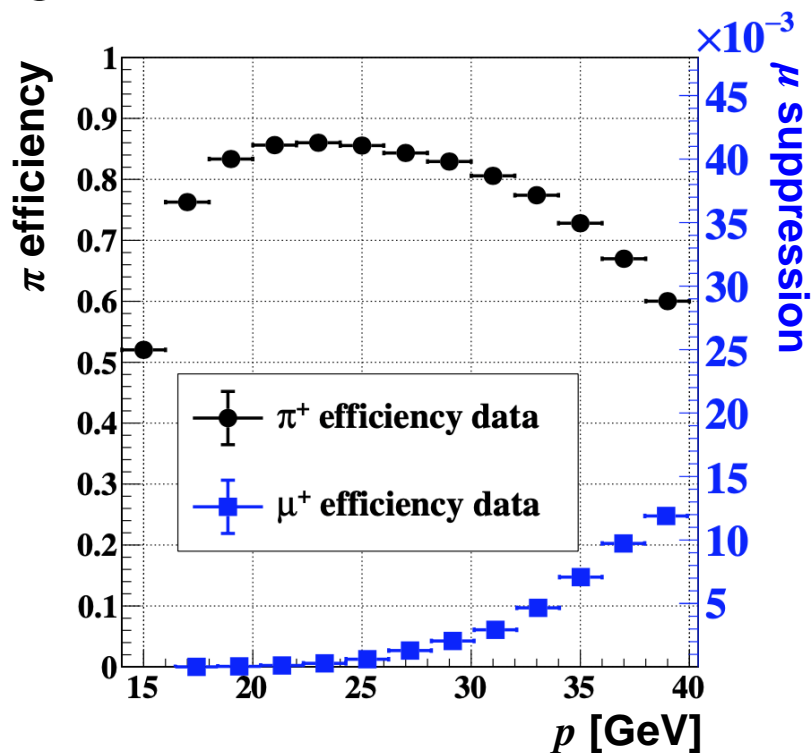
$$\sigma(m^2_{\text{miss}}) \sim 10^{-3} \text{ GeV}^2$$

$$\text{R1: } 0 < m^2_{\text{miss}} < 0.10 \text{ GeV}^2 \quad 15 < p < 35 \text{ GeV}$$

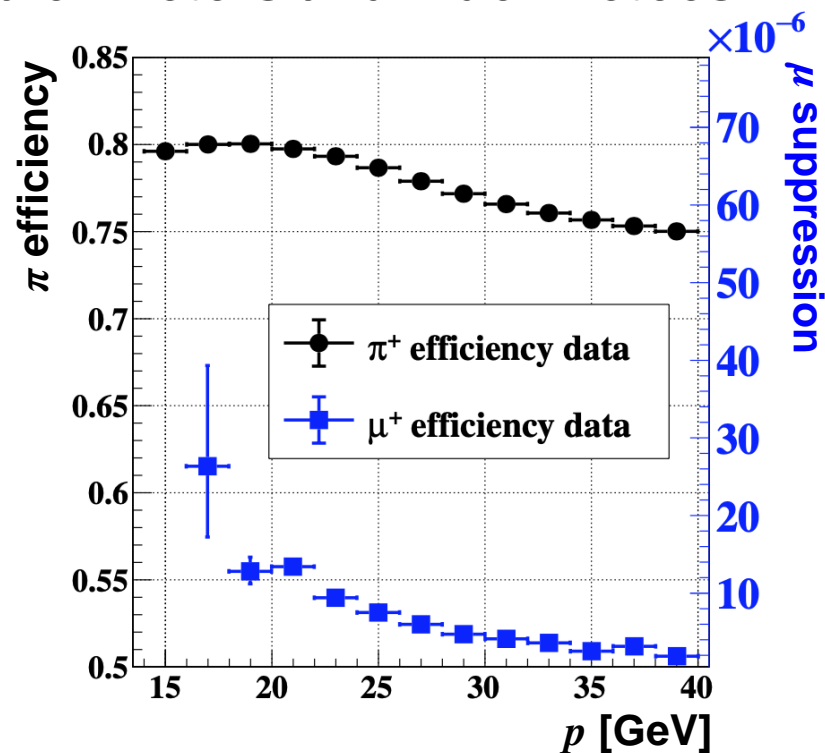
$$\text{R2: } 0.26 < m^2_{\text{miss}} < 0.68 \text{ GeV}^2 \quad 15 < p < 35 \text{ GeV (45 GeV for 2018)}$$

- Track in GTK in time with KTAG signal
- Single positive track in downstream detectors (straw, RICH)
- Upstream-downstream timing cuts ($\sigma_t \sim 100$ ps)
- Vertex reconstruction:
Closest approach < 4 mm
 $110 \text{ m} < z_{\text{reco}} < 165 \text{ m}$
- Kinematic cuts to define:
Signal regions
Background control regions
Control samples
- Signal and background control regions blinded

RICH



Calorimeters and muon vetoes



Track-driven likelihood discriminant:

- Direction from spectrometer track
- Estimate ring radius for $\mu/\pi/e$
- Obtain likelihood from ring fit
- Additional cuts on m_{track} from free ring fit and straw momentum measurement

Veto activity in MUV3

BDT classifier with 13 variables:

- Electromagnetic calorimeter (LKr),
- Hadronic calorimeters (MUV1-2)
- Energy, energy sharing, cluster shape

Photon veto efficiency



Evaluate π^0 rejection with $K \rightarrow \pi\pi^0$ decays, $0.15 < m^2_{\text{miss}} < 0.21 \text{ GeV}^2$

Single-photon efficiencies from tag-and-probe study:

- Selection and trigger stream same as for $K^+ \rightarrow \pi^+\nu\nu$ (1/3 of data set)
- Reconstruct K^+ and one γ from π^0
- Predict location of second γ
- Cuts to eliminate $\pi^+\pi^0\gamma$ events

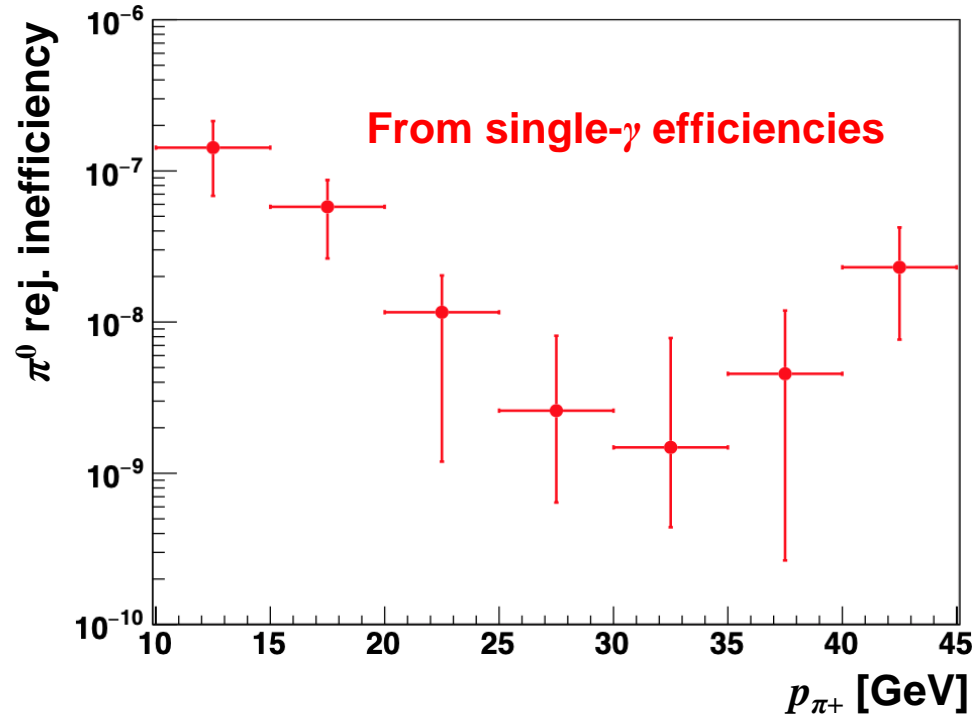
Inefficiency includes γ losses from interaction with material

Obtain correction for method bias by comparing MC results with MC truth

Fold single-particle efficiencies with MC kinematics for $\pi^+\pi^0(\gamma)$

$$\varepsilon_{\pi^0} = 2.7^{+1.5}_{-1.9} \times 10^{-8}$$

$$15 \text{ GeV} < p_{\pi^+} < 35 \text{ GeV}$$



Derive limit on $\text{BR}(\pi^0 \rightarrow \text{invisible})$

$$\text{BR} < 4.4 \times 10^{-9} \text{ (90\% CL)}$$

JHEP 02 (2021) 201

Single event sensitivity (SES)



$$\text{SES} = \frac{\text{BR}^{\text{exp}}(K^+ \rightarrow \pi\nu\bar{\nu})}{N_{\pi\nu\nu}^{\text{exp}}} = \frac{1}{N_K^{\text{obs}} \epsilon_{\pi\nu\nu}}$$

$N_{\pi\nu\nu}^{\text{exp}}$ Expected (SM) $\pi\nu\nu$ decays

N_K^{obs} Total K^+ flux

$\epsilon_{\pi\nu\nu}$ Overall acceptance for observing $\pi\nu\nu$

$$= \frac{\text{BR}^{\text{exp}}(K^+ \rightarrow \pi^+\pi^0)}{N_{\pi\pi}^{\text{obs}}} \cdot \frac{\epsilon_{\pi\pi}}{\epsilon_{\pi\nu\nu}}$$

$N_{\pi\pi}^{\text{obs}}$ Observed $\pi\pi$ decays

$\epsilon_{\pi\pi}$ Overall acceptance for observing $\pi\pi$

$$\frac{\epsilon_{\pi\pi}}{\epsilon_{\pi\nu\nu}} = \frac{\epsilon_{\pi\pi}^{\text{sel}}}{\epsilon_{\pi\nu\nu}^{\text{sel}}} \frac{\epsilon_{\pi\pi}^{\text{RV}}}{\epsilon_{\pi\nu\nu}^{\text{RV}}} \frac{\epsilon_{\pi\pi}^{\text{trig}}}{\epsilon_{\pi\nu\nu}^{\text{trig}}} \dots$$

Acceptances obtained with MC

Cancellation of systematic effects

(e.g., K^+ , π^+ selection efficiencies) in ratio

$$\epsilon_{\pi\pi} \sim 0.08$$

$$\epsilon_{\pi\nu\nu} \sim 0.03 - 0.06, \text{ depending on period}$$

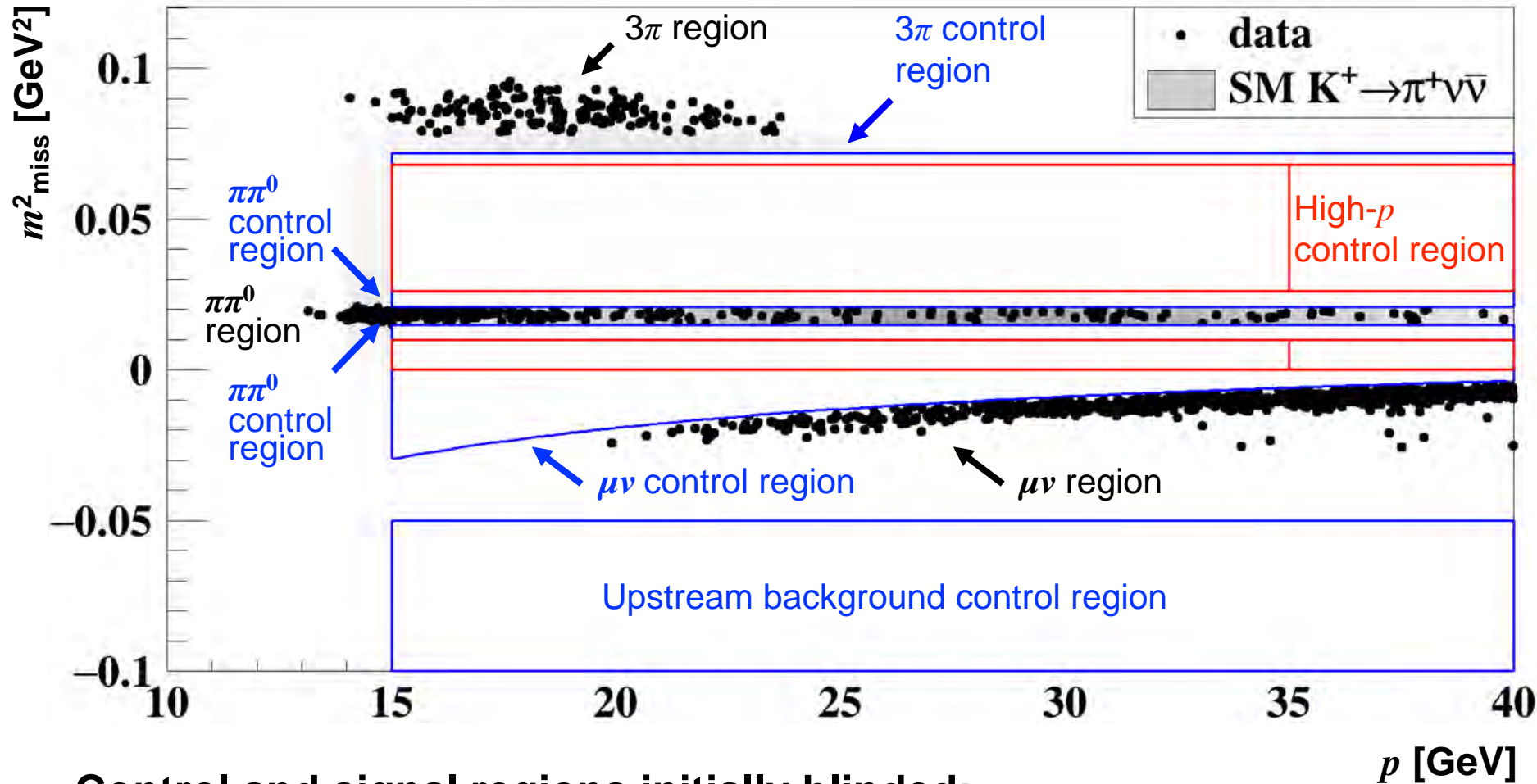
$$\frac{\epsilon_{\pi\pi}^{\text{trig}}}{\epsilon_{\pi\nu\nu}^{\text{trig}}} = \frac{\epsilon_{\text{trig}}^{\text{MinBi}}}{D \epsilon_{\text{trig}}^{\text{PNN}}}$$

ϵ^{MinBi} Minimum bias trigger efficiency ~ 1

D Minimum bias scaledown (400)

ϵ^{PNN} PNN trigger efficiency ~ 0.9

Data after selection (2017)



Control and signal regions initially blinded:

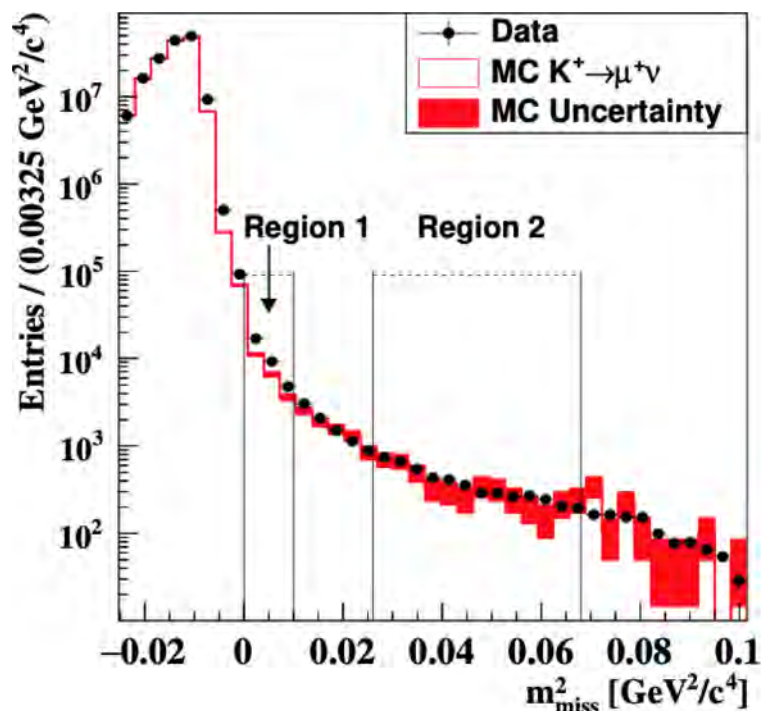
Control regions are unblinded to validate background estimates before signal regions are unblinded

Background rejection for $K^+ \rightarrow \pi^+ \nu \bar{\nu}$



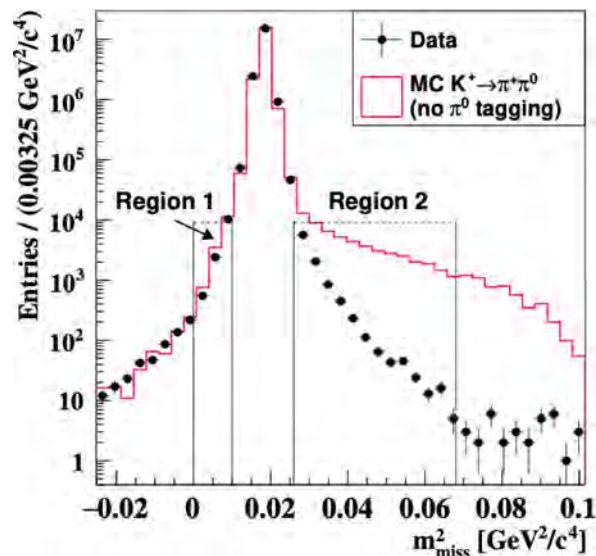
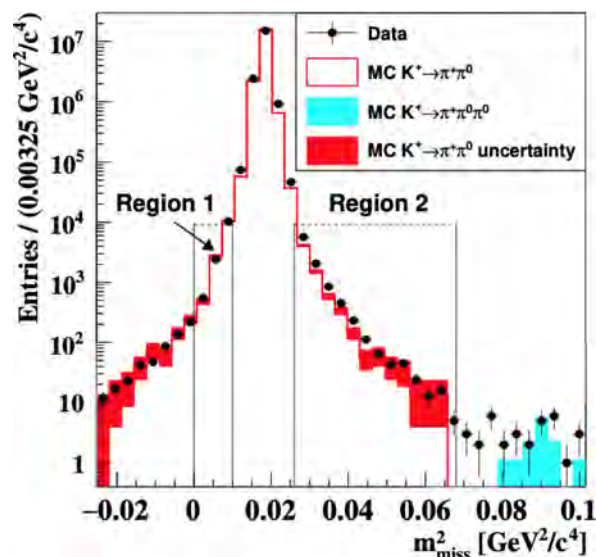
- $\pi^+\pi^0$, $\mu^+\nu$, $\pi^+\pi^-\pi^+$ backgrounds estimated from tails of m^2_{miss} distribution in control samples
- Upstream background estimated by inverting $K^+ \rightarrow \pi^+$ matching cuts

$K^+ \rightarrow \mu^+\nu$



Control sample: like $\pi^+\nu\nu$ selection but μ instead of π ID required

$K^+ \rightarrow \pi^+\pi^0$



Control sample:

- Reconstruct π^0
- Impose 2-body kinematics with nominal K^+ momentum

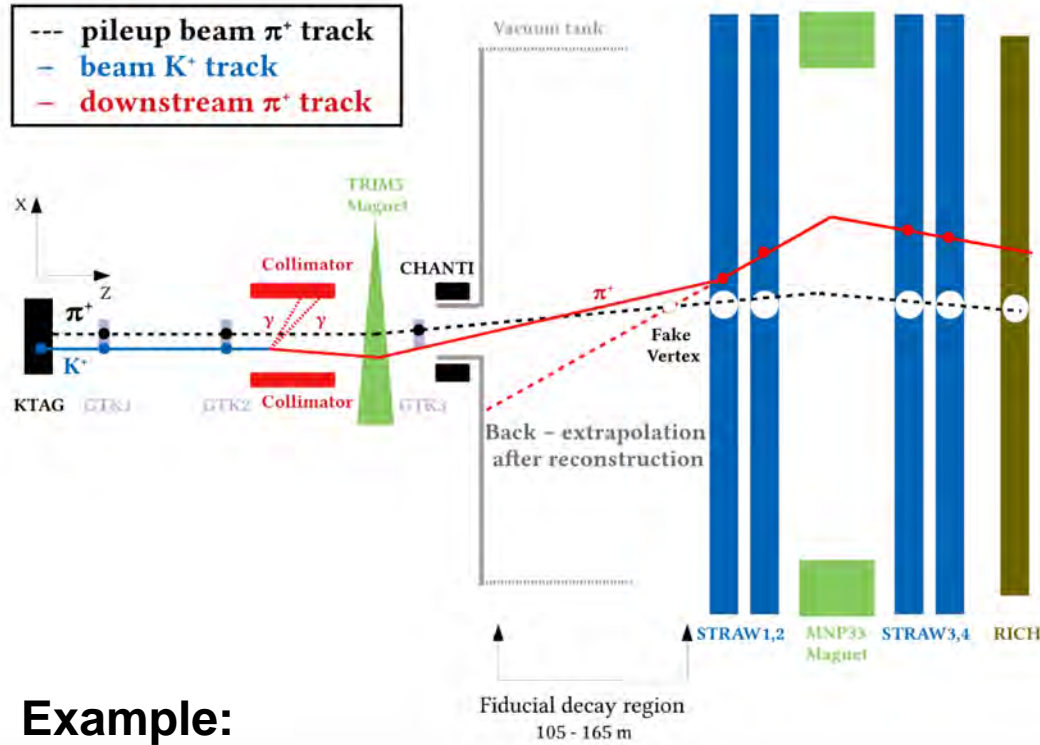
$$\varepsilon_{\pi^0} = 1.3 \times 10^{-8}$$

Control sample does not include $K^+ \rightarrow \pi^+\pi^0\gamma!$

- Overlaps signal region
- Photon veto more efficient
- Confirm MC with single- γ analysis

Background from upstream activity

Accidental matching of K^+ and π^+ tracks can occur when K^+ decays or beam particle interacts upstream of GTK3

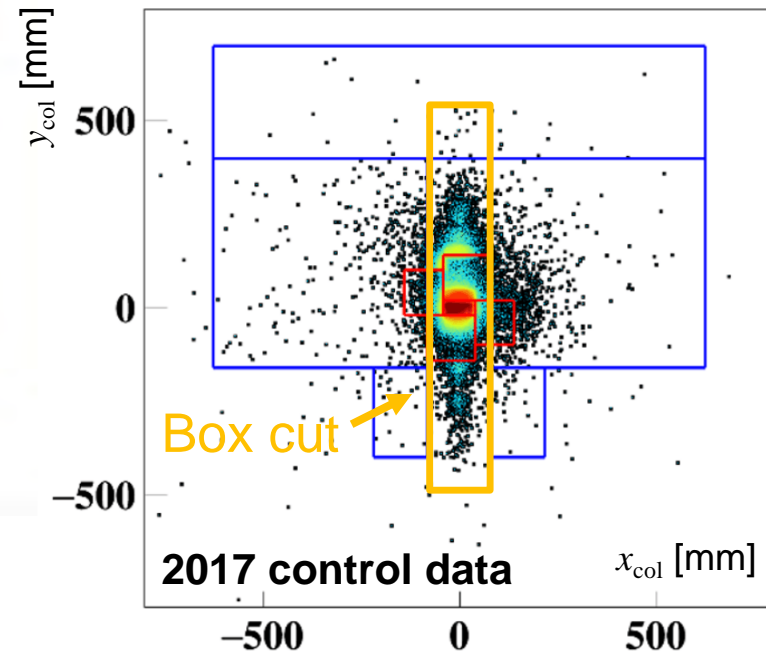


Example:

- K^+ decays between GTK2 and GTK3
- Decay π^+ misreconstructed due to scattering in first straw chamber
- Accidental π^+ leaves track in GTK

Upstream background rejected with cuts on DCA and timing between KTAG-GTK-RICH

Track projection to final collimator with *inverted* cuts:

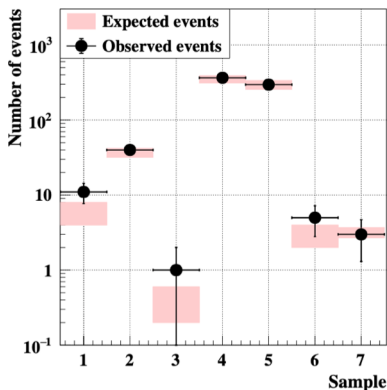
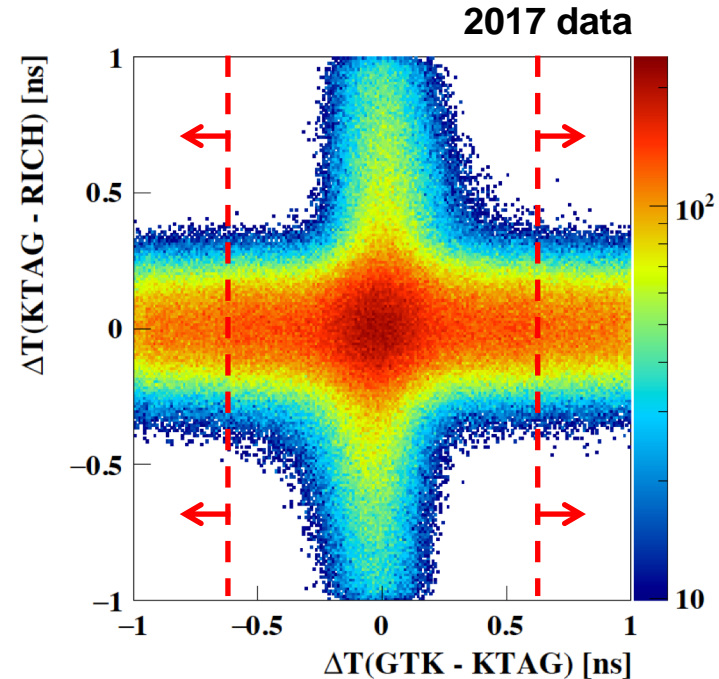
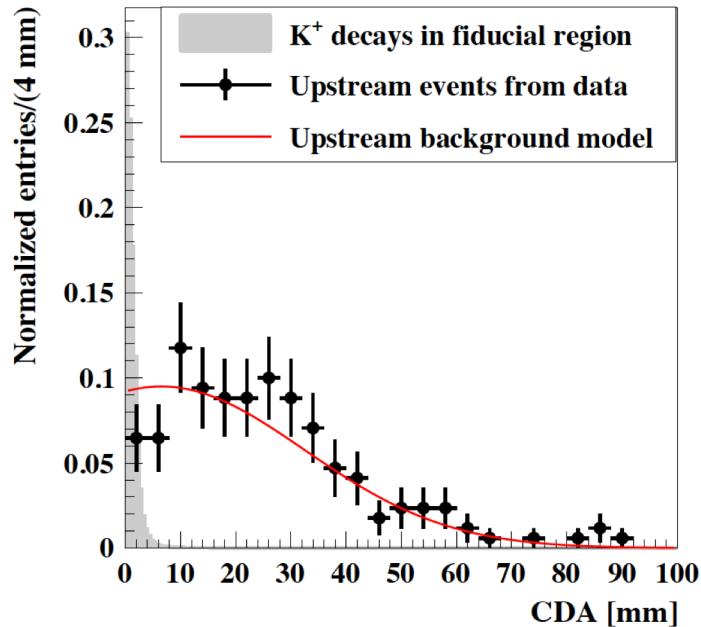


“Box cut” effective but incurs 40% loss of $\pi\nu\nu$ efficiency

Background from upstream activity

Background model:

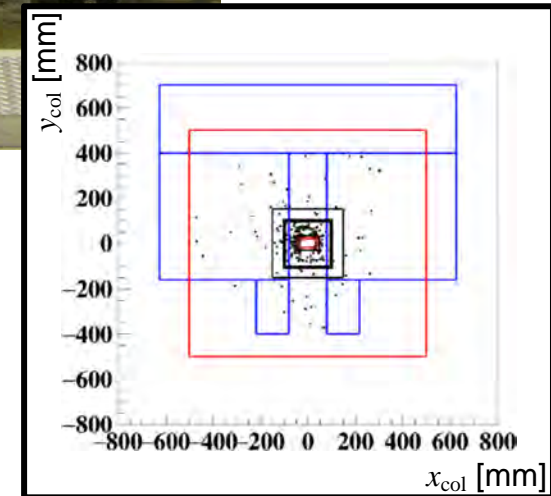
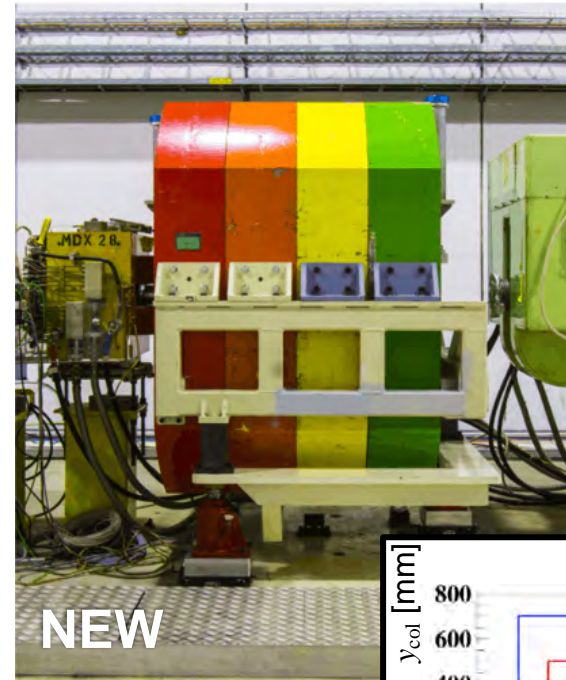
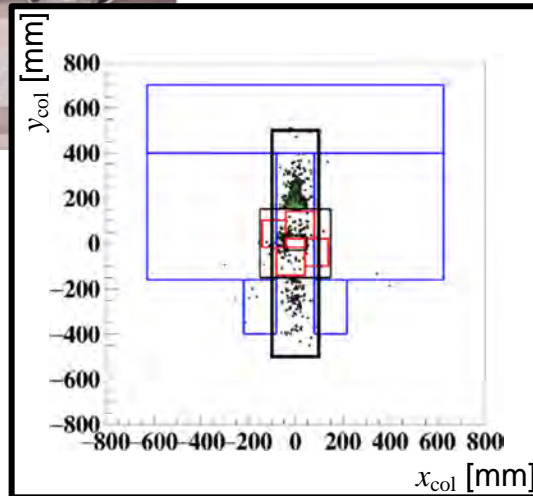
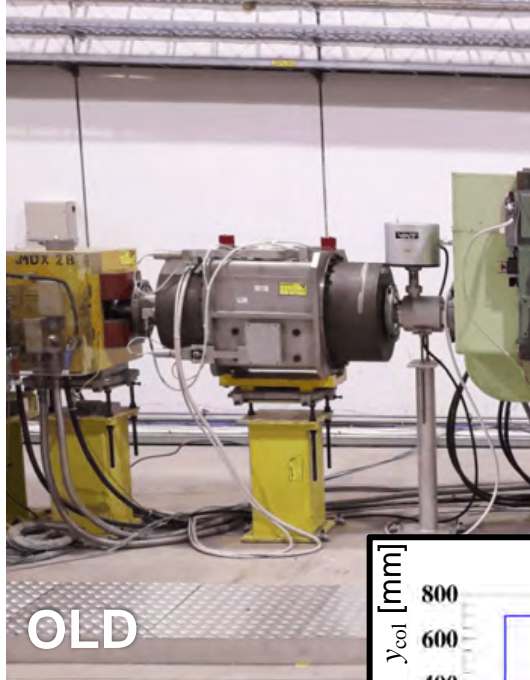
MC model validated with control data with Δt (GTK – KTAG) cut inverted



Final estimate of upstream background validated by comparison with 7 different subsamples defined by different inversions of background suppression cuts

- box cuts, GTK veto, near-beam charged veto, m^2_{miss}

New final collimator in 2018



New final collimator installed shortly after start of 2018 run:

“Box cut” eliminated \rightarrow +60-70% $\pi\nu\nu$ acceptance with S/B unchanged

Expected signal and background



Process	Expected evts 2017 data	Expected evts 2018 data
$K^+ \rightarrow \pi^+ \nu \nu$ (SM)	$2.16 \pm 0.13 \pm 0.26_{\text{ext}}$	$7.58 \pm 0.40 \pm 0.75_{\text{ext}}$
$K^+ \rightarrow \pi^+ \pi^0(\gamma)$	0.29 ± 0.04	0.75 ± 0.40
$K^+ \rightarrow \mu^+ \nu(\gamma)$	0.15 ± 0.04	0.49 ± 0.05
$K^+ \rightarrow \pi^+ \pi^- e^+ \nu$	0.12 ± 0.08	0.50 ± 0.11
$K^+ \rightarrow \pi^+ \pi^+ \pi^-$	0.008 ± 0.008	0.24 ± 0.08
$K^+ \rightarrow \pi^+ \gamma \gamma$	0.005 ± 0.005	< 0.01
$K^+ \rightarrow \pi^0 \ell^+ \nu$	< 0.001	< 0.001
Upstream background	0.89 ± 0.31	$3.30^{+0.98}_{-0.73}$
Total background	1.46 ± 0.33	$5.28^{+0.99}_{-0.74}$

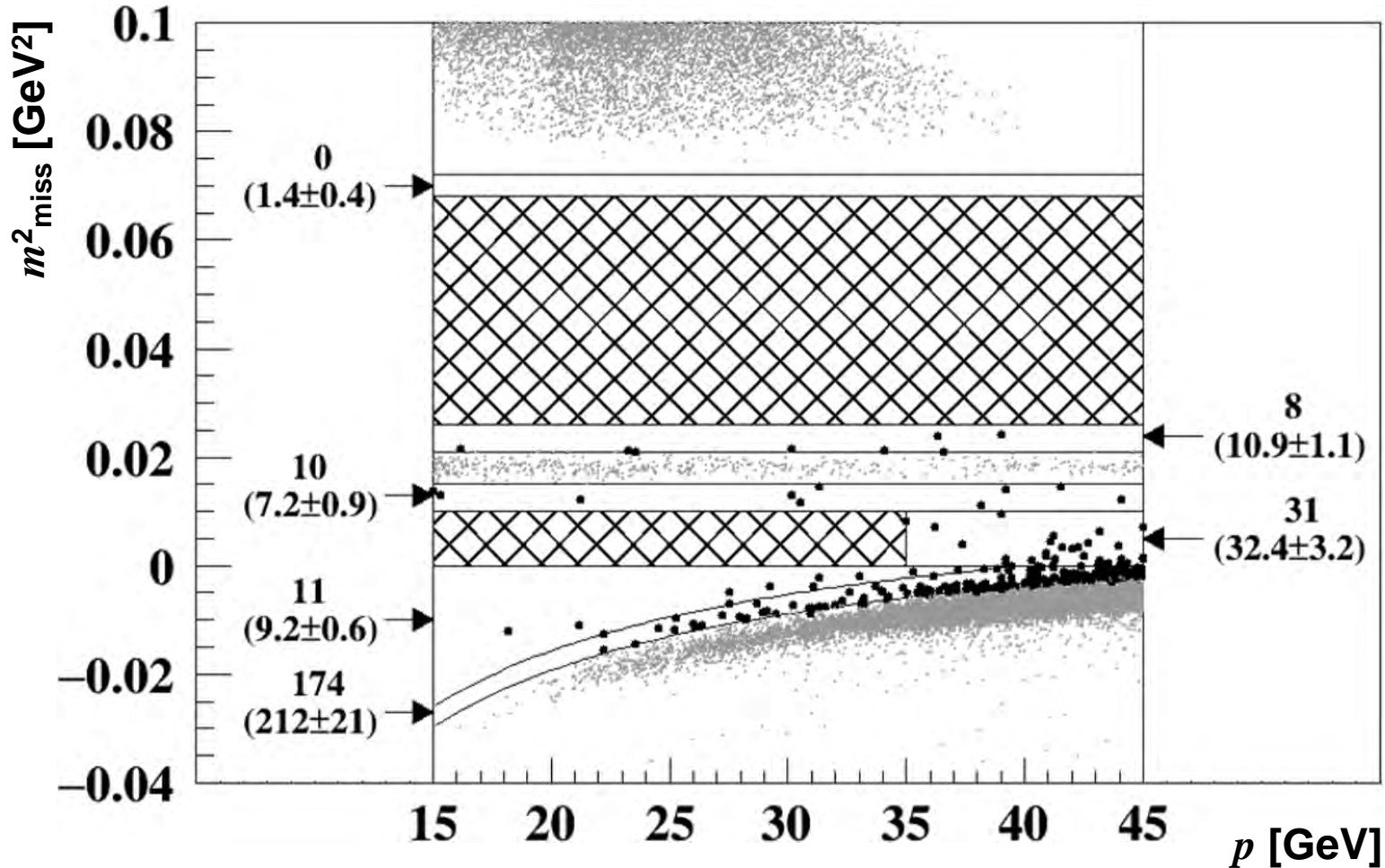
2x acceptance increase from 2016 \rightarrow 2018:

New collimator and other analysis optimizations (p_{max} 35 \rightarrow 45 GeV for R2)

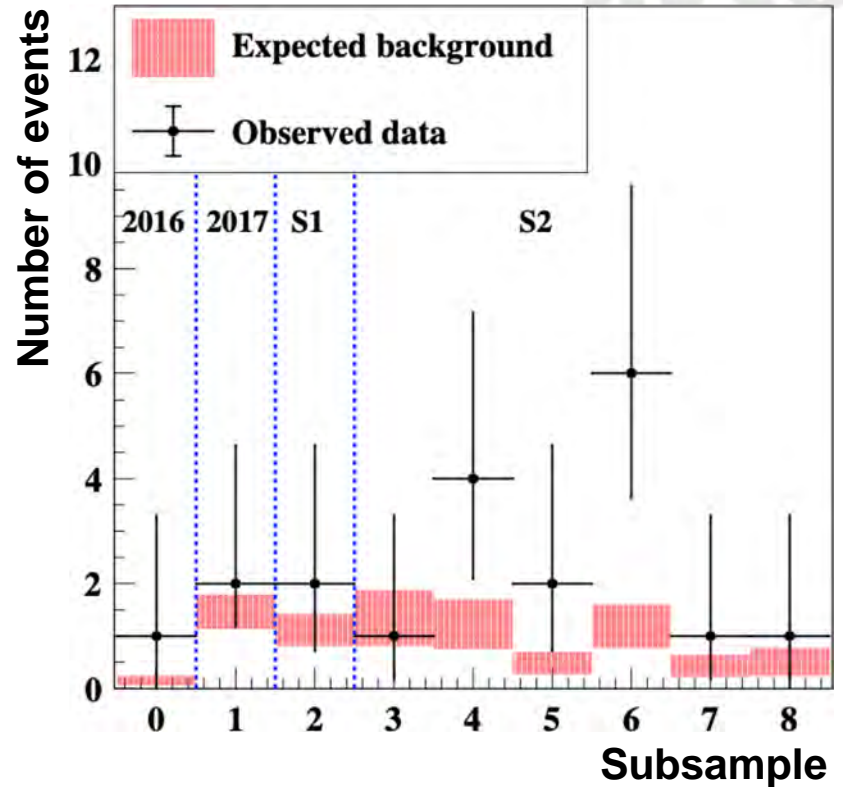
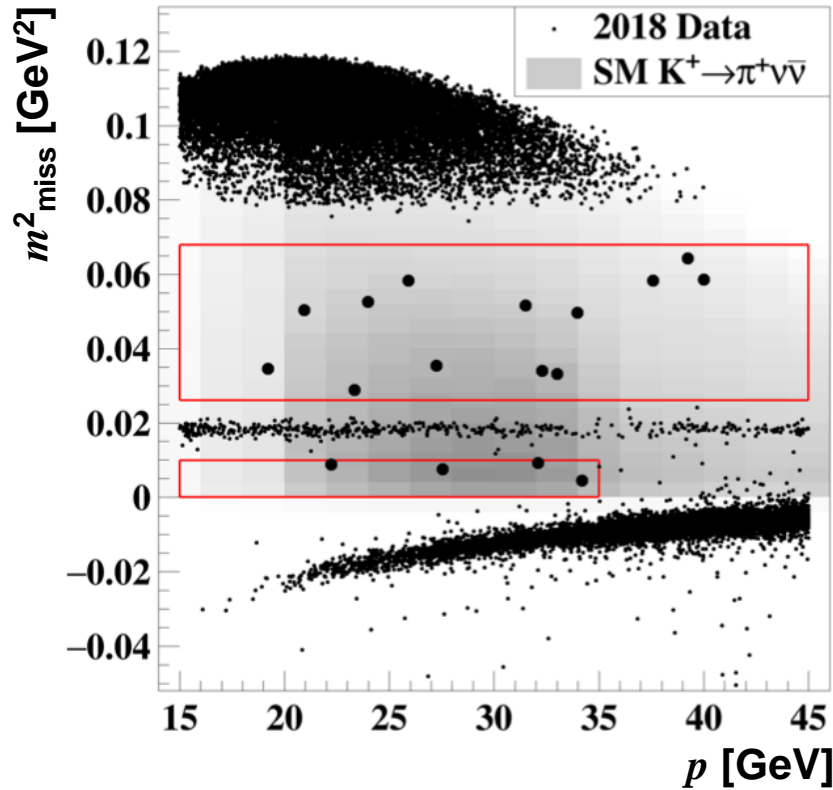
Background validation, 2018 data



Verify good agreement between expected and observed counts in each background control region



Final results: 2016-2018



	2016	2017	2018
Kaon decays in FV	0.12×10^{12}	1.5×10^{12}	2.6×10^{12}
Expected signal	0.26	2.16 ± 0.29	7.58 ± 0.85
Expected background	0.15 ± 0.09	1.46 ± 0.33	$5.28^{+0.99}_{-0.74}$
Observed	1	2	17

NA62 through LS3



Summary of NA62 Run 1 (2016-2018):

- Expected signal (SM): 10 events
- Expected background: 7 events
- Total observed: 20 events
- 3.4σ signal significance
- Most precise measurement to date

$$\text{BR}(K^+ \rightarrow \pi^+ \nu \nu) = (10.6^{+4.0}_{-3.4 \text{ stat}} \pm 0.9_{\text{syst}}) \times 10^{-11}$$

Plans for NA62 Run 2 (from LS2 to LS3, 2021-2024):

NA62 resumed data taking in July 2021!

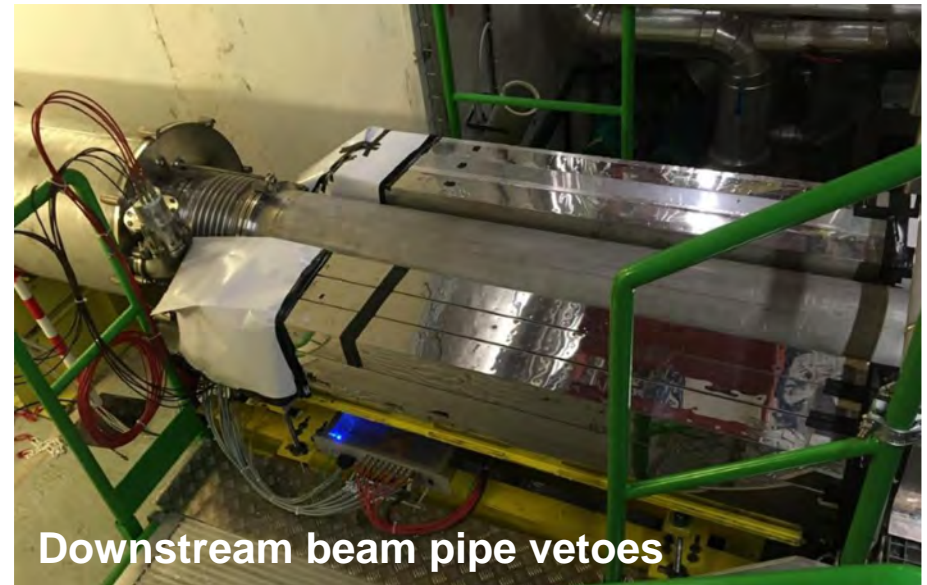
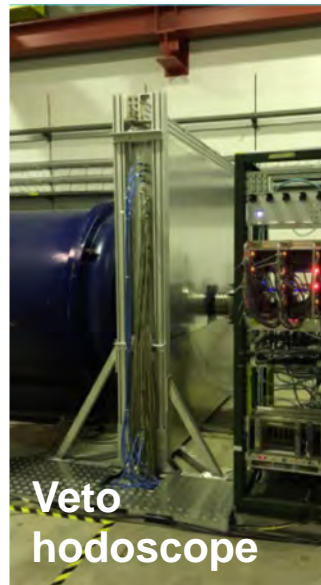
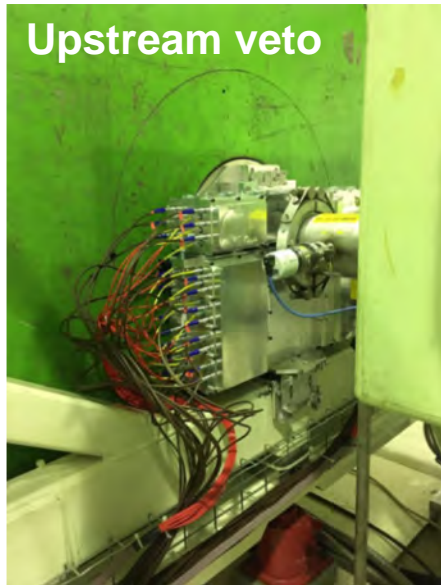
Key modifications to reduce background from upstream decays and interactions:

- Rearrangement of beamline elements around GTK achromat
- 4th station added to GTK beam tracker
- New veto hodoscope upstream of decay volume and additional veto counters around downstream beam pipe

Running at higher beam intensity (70% \rightarrow 100%)

Expect to measure $\text{BR}(K^+ \rightarrow \pi^+ \nu \nu)$ to O(10%) by LS3

NA62 through LS3



NA62 resumed data taking in July 2021!

Key modifications to reduce background from upstream decays and interactions:

- Rearrangement of beamline elements around GTK achromat
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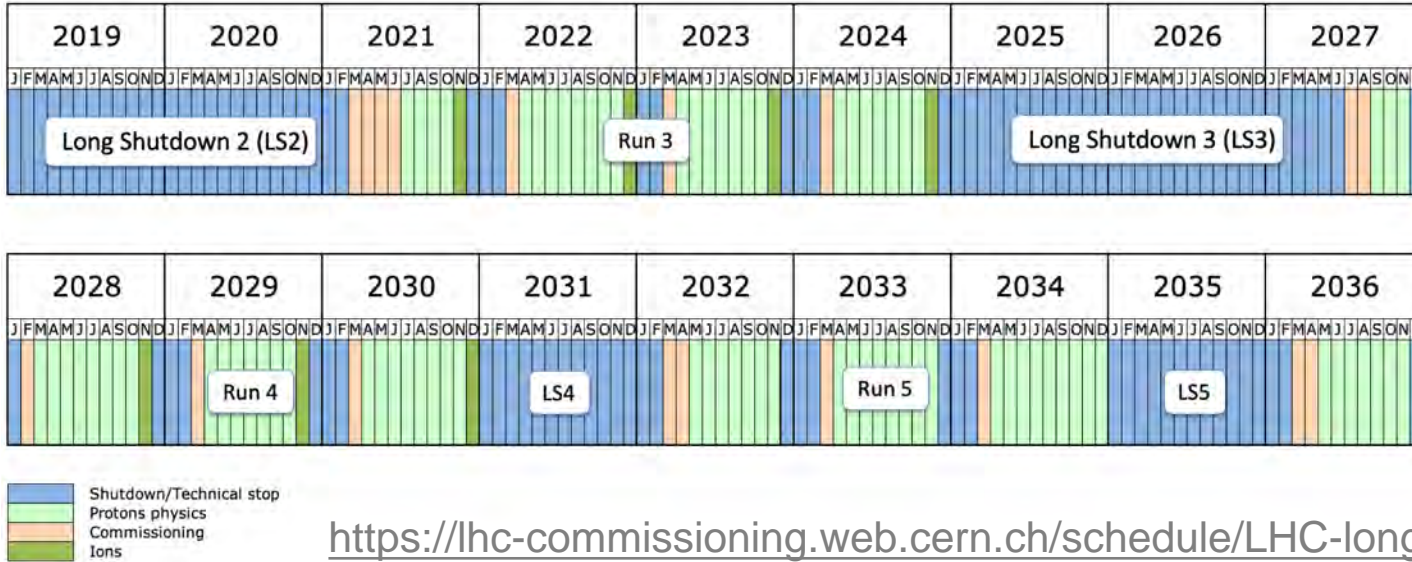
Running at higher beam intensity (70% → 100%)

Expect to measure $\text{BR}(K^+ \rightarrow \pi^+ \nu \bar{\nu})$ to $\text{O}(10\%)$ by LS3

Fixed target runs at the SPS

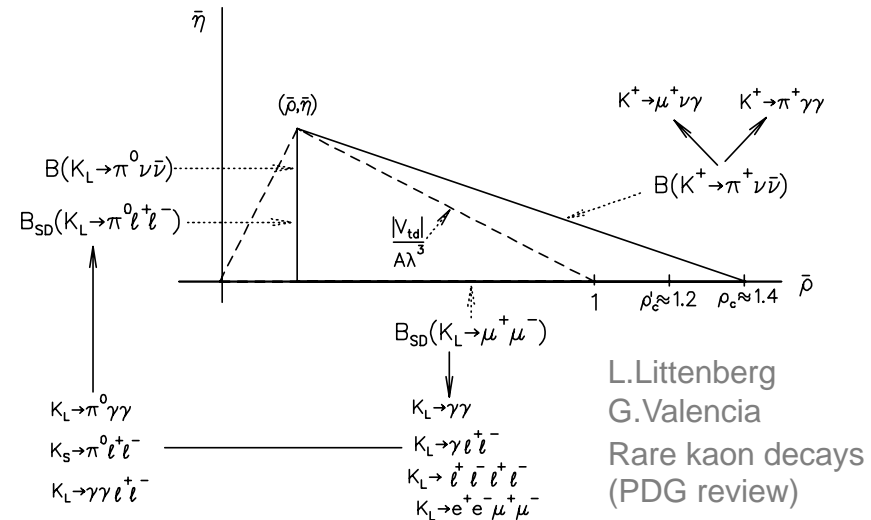


Fixed target runs planned to accompany LHC running through 2036



There is an opportunity at the SPS for an **integrated program** to pin down new physics in kaon decays

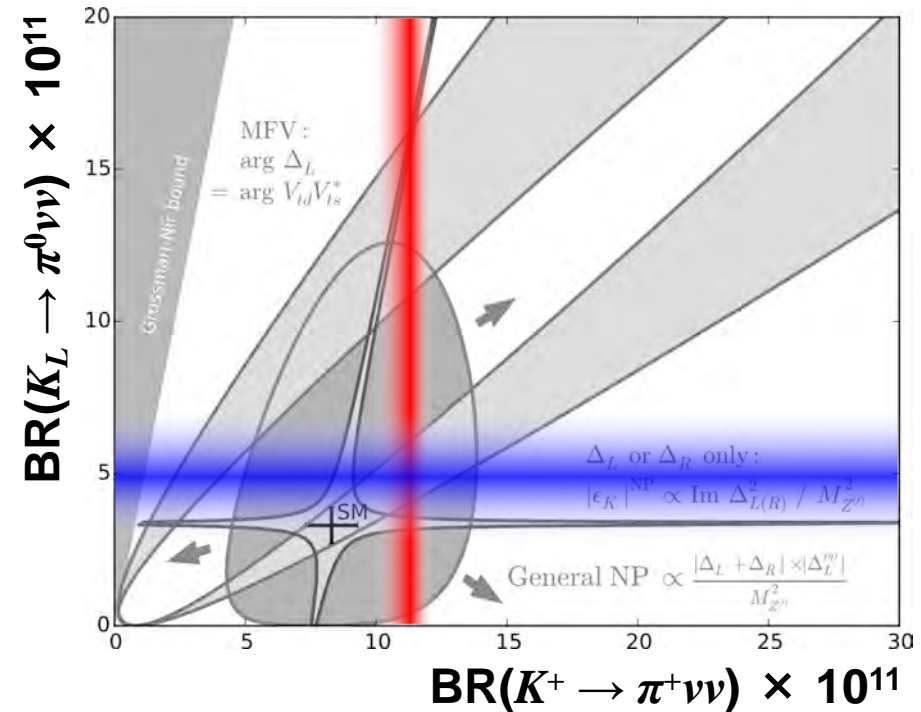
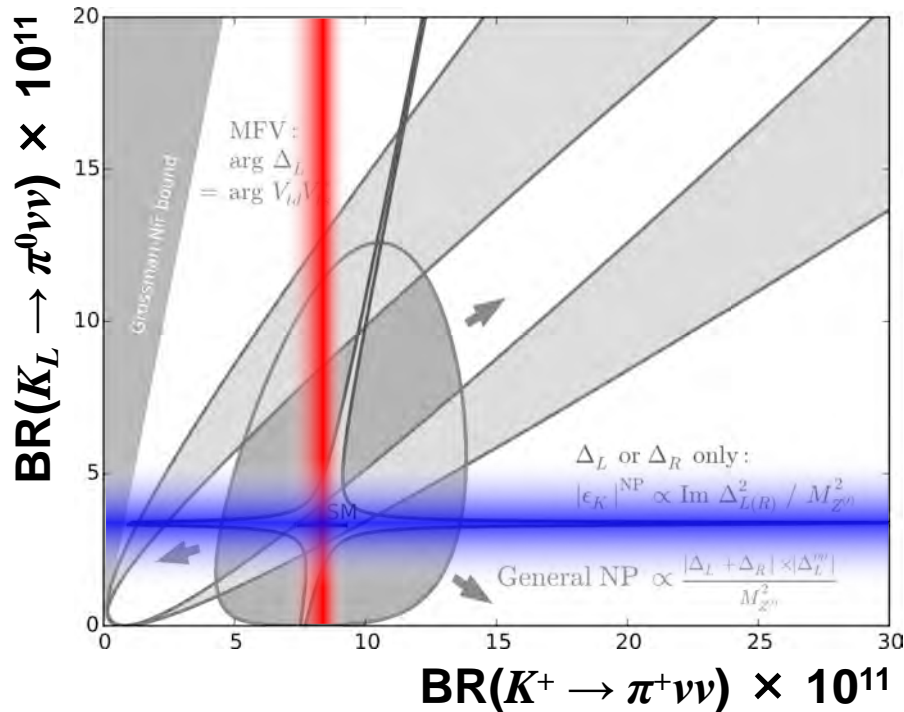
Measurement of all rare kaon decay modes—**charged and neutral**—to give clear insight into the flavor structure of new physics



Physics opportunities with kaons



Precision measurements of $K \rightarrow \pi\nu\nu$ BRs can provide model-independent tests for new physics at mass scales of up to $O(100 \text{ TeV})$



- $BR(K^+ \rightarrow \pi^+ \nu \nu) = \mathbf{BR_{SM}}$ with $\delta BR = \mathbf{5\%}$
- $BR(K_L \rightarrow \pi^0 \nu \nu) = \mathbf{BR_{SM}}$ with $\delta BR = \mathbf{20\%}$

- $BR(K^+ \rightarrow \pi^+ \nu \nu) = \mathbf{1.33 BR_{SM}}$ with $\delta BR = \mathbf{5\%}$
- $BR(K_L \rightarrow \pi^0 \nu \nu) = \mathbf{1.50 BR_{SM}}$ with $\delta BR = \mathbf{20\%}$

Ultra-high-intensity kaon beams



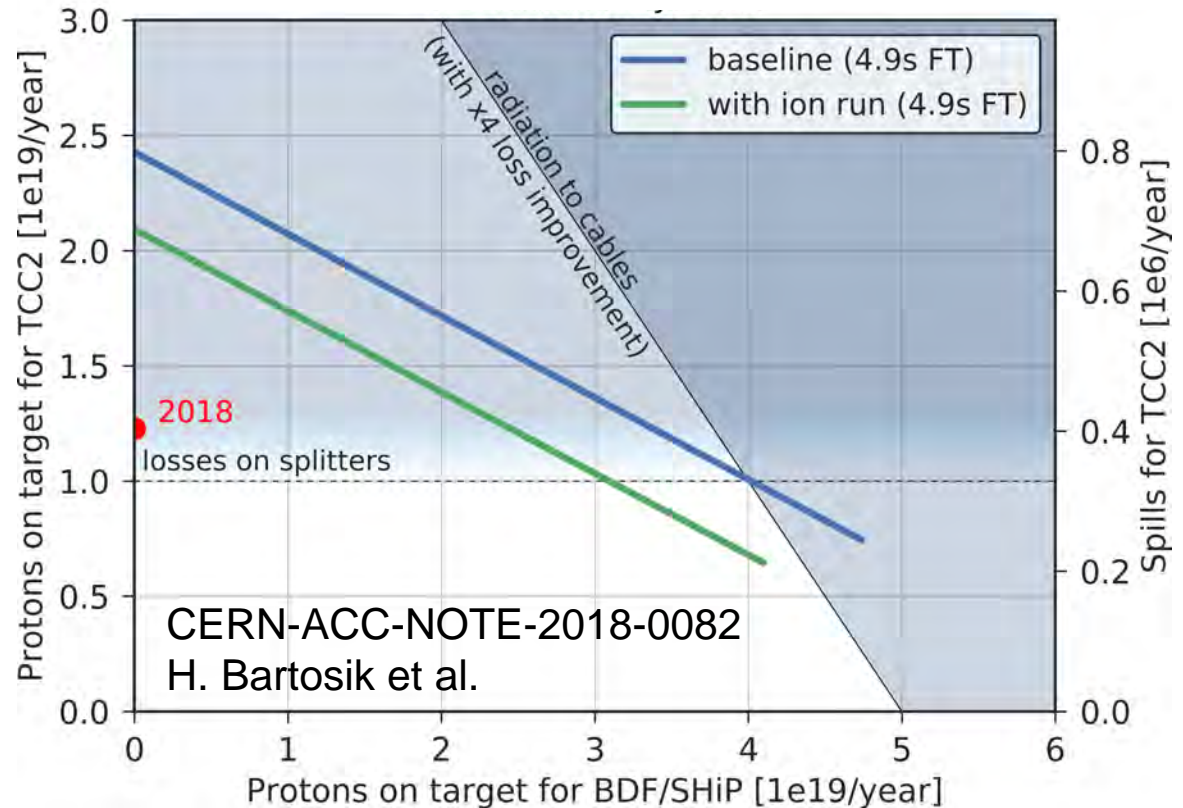
Operational scenarios and limits on the intensity deliverable to the North Area targets were studied in context of the BDF proposal as part of Physics Beyond Colliders

Experiments to measure $K \rightarrow \pi \nu \nu$ BRs at the SPS would require:

- $K^+ \rightarrow \pi^+ \nu \nu$
 6×10^{18} pot/year
4x increase
- $K_L \rightarrow \pi^0 \nu \nu$
 1×10^{19} pot/year
6x increase

increases with respect to present primary intensity

SPS proton sharing (4.9 sec flat top, 80% uptime)



A kaon experiment at 6x present intensity is compatible with a diverse North Area program

High-intensity proton beam study

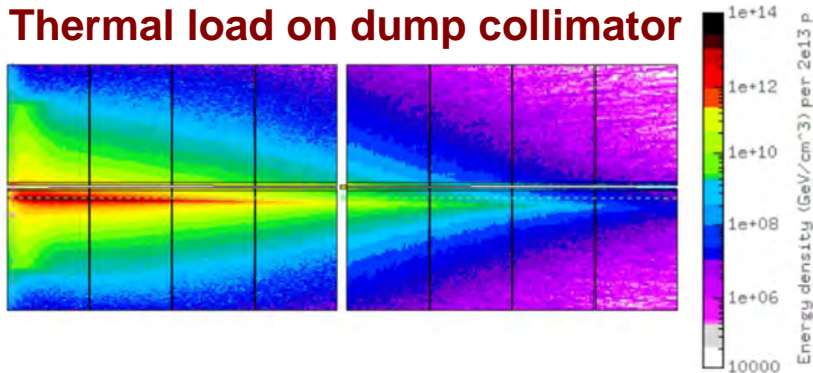


Conclusions from PBC Conventional Beams working group

Issue	Approach
Extraction losses	Good results on ZS losses and spill quality from SPS Losses & Activation WG (SLAWG) workshop, 9-11 November 2017: https://indico.cern.ch/event/639766/
Beam loss on T4	Vertical by-pass to increase T4 → T10 transmission to 80%
Equipment protection	Interlock to stop SPS extraction during P0Survey reaction time
Ventilation in ECN3	Preliminary measurements indicate good air containment Comprehensive ventilation system upgrade not needed
ECN3 beam dump	Significantly improved for NA62 Need to better understand current safety margin
T10 target & collimator	Thermal load on T10 too high → Use CNGS-like target? Dump collimator will require modification/additional cooling
Radiation dose at surface above ECN3	8 mrad vertical targeting angle should help to mitigate Preliminary results from FLUKA simulations Proposed target shielding scheme appears to be adequate Mixed mitigation strategy may be needed for forward muons

Beam and target simulations

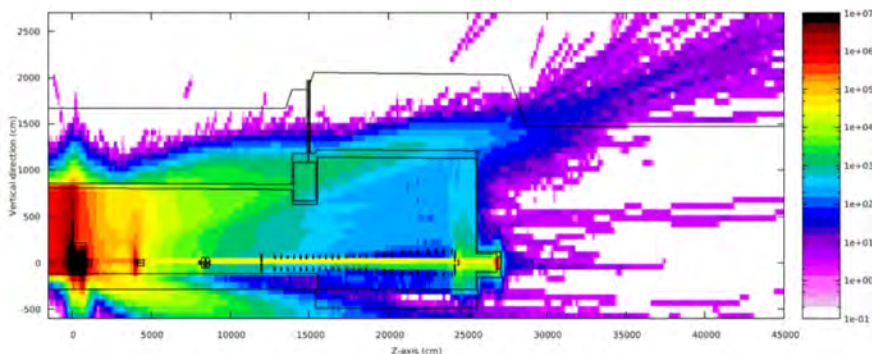
Thermal load on dump collimator



CNGS rod target



Dose rate simulation in ECN3, K_L beam



Thermal simulations of target and TAX dump collimator

- Identified upgrades needed for high-intensity beam
- Target: CNGS-like design: carbon-carbon supports, pressurized air cooling
- TAX: Cooling elements nearer to center of collimator, like for SPS beam dump

Neutral beam and prompt surface dose

- **Neutrons:** Shielding adequate to reduce surface dose; need access shaft airlock
- **Muons:** Additional shielding at target and/or at downstream end of ECN3

Complete evaluation of random veto and trigger rates with full FLUKA beamline simulation for all particles down to 100 MeV

- Random veto rate = 140 MHz

$K^+ \rightarrow \pi^+ \nu \nu$ at high-statistics



The NA62 decay-in-flight technique is now well established!

- Background estimates validated by in-depth study with data and MC
- Lessons learned in 2016-2018 will be put in action in 2021-2024

Possible next step:

An experiment at the SPS to measure $\text{BR}(K^+ \rightarrow \pi^+ \nu \nu)$ to within $\sim 5\%$!

Requires 4x increase in intensity \rightarrow matches present limit with charged secondary beam (after major upgrades)

Basic design of experiment will work at high intensity

Key challenges:

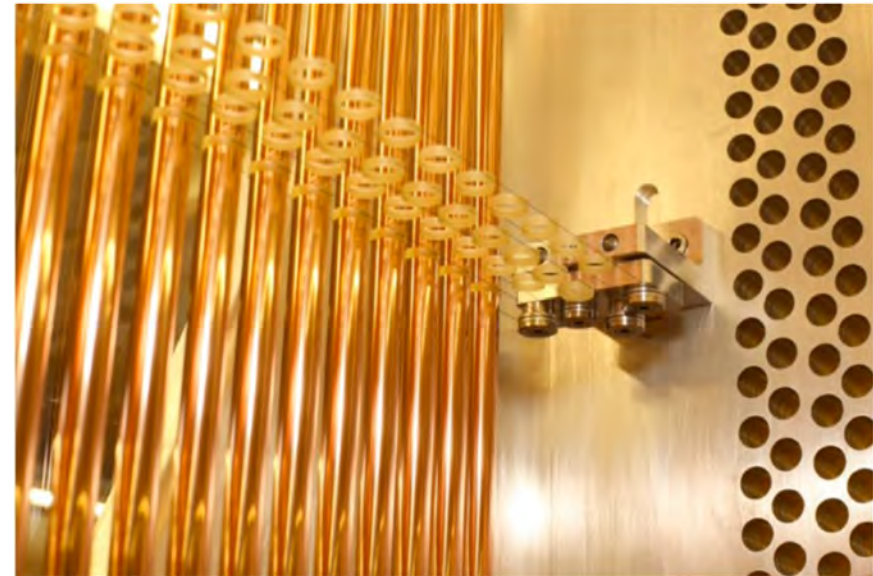
- Require much improved time resolution to keep random veto rate under control
- Must maintain other key performance specifications at high-rate:
 - Space-time reconstruction, low material budget, single photon efficiencies, control of non-gaussian tails, etc.

Synergies to be explored:

- Challenges often aligned with (sometimes more stringent than) High Luminosity LHC projects and next generation flavor/dark matter experiments

NA62 straw chambers

- Straw diameter: 9.8 mm
- Hit trailing-time resolution: ~ 30 ns
- Maximum drift time: ~ 150 ns
- Mylar straws: 36 wall μm thickness
- Material budget: 1.7% X_0



Straw chambers for 4x intensity

- **Main feature: Straw diameter ~ 5 mm**
- **Improved trailing-time resolution: ~ 6 ns (per straw)**
- **Smaller maximum drift time: ~ 80 ns**
- **Rate capability increased 6-8x**
- Layout: 4 chambers, ~ 21000 straws
- Decreased straw wall thickness: ~ 20 μm , with copper and gold plating
- Material budget: 1.4% X_0

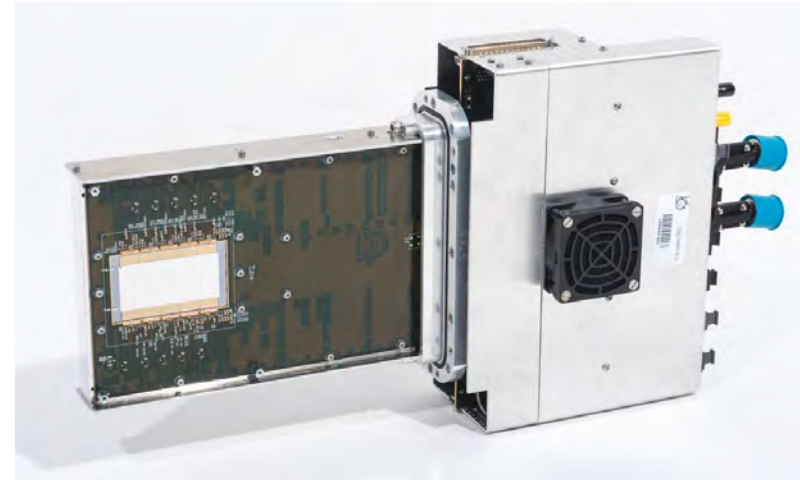
Design studies in progress at CERN and Dubna

Experimental challenges: GTK



GTK for 4x intensity

- Time resolution < 50 ps per plane, no non-gaussian tails!
- Pixel size: < $300 \times 300 \mu\text{m}^2$
- Efficiency: > 99% (incl. fill factor)
- Material budget: 0.3-0.5% X_0
- Beam intensity: 3 GHz over $\sim 3 \times 6 \text{ cm}^2$
- Maximum local intensity: 8 MHz/mm²
- Radiation resistance: $2.3 \times 10^{15} \text{ n eq/cm}^2/\text{yr}$

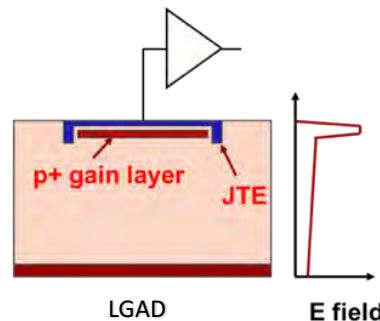


NA62 Gigatracker station

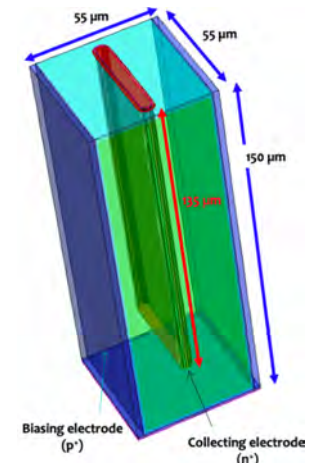
Continue to improve planar sensors while monitoring progress on new technologies

Possible synergies with ongoing development efforts:

LGAD: Low Gain Avalanche Detectors



TimeSPOT: time-stamping 3D sensors



$K_L \rightarrow \pi^0 \nu \bar{\nu}$: Experimental issues

Essential signature: 2γ with unbalanced p_\perp + nothing else!

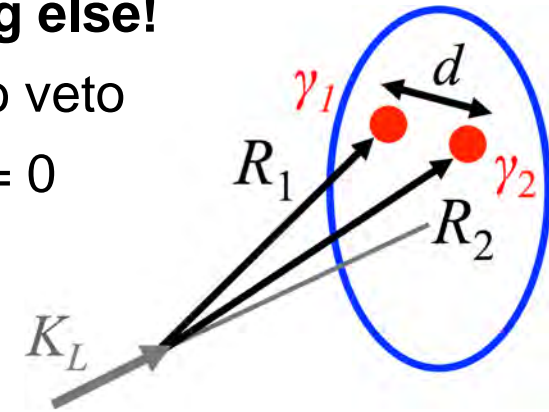
All other K_L decays have ≥ 2 extra γ s or ≥ 2 tracks to veto

Exception: $K_L \rightarrow \gamma\gamma$, but not a big problem since $p_\perp = 0$

K_L momentum generally is not known

$M(\gamma\gamma) = m(\pi^0)$ is the only sharp kinematic constraint

Generally used to reconstruct vertex position



$$m_{\pi^0}^2 = 2E_1 E_2 (1 - \cos \theta)$$

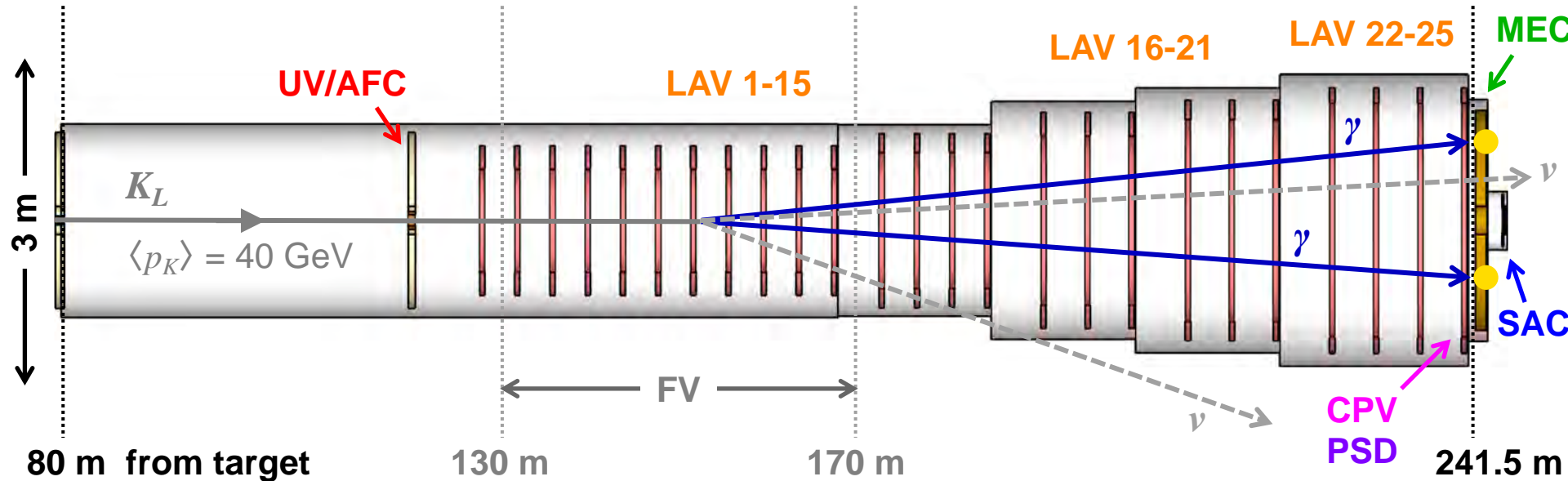
$$R_1 \approx R_2 \equiv R = \frac{d\sqrt{E_1 E_2}}{m_{\pi^0}}$$

Main backgrounds:

Mode	BR	Methods to suppress/reject
$K_L \rightarrow \pi^0 \pi^0$	8.64×10^{-4}	γ vetoes, π^0 vertex, p_\perp
$K_L \rightarrow \pi^0 \pi^0 \pi^0$	19.52%	γ vetoes, π^0 vertex, p_\perp
$K_L \rightarrow \pi e \nu(\gamma)$	40.55%	Charged particle vetoes, π ID, γ vetoes
$\Lambda \rightarrow \pi^0 n$		Beamline length, p_\perp
$n + A \rightarrow X \pi^0$		High vacuum decay region

A $K_L \rightarrow \pi^0 \nu \bar{\nu}$ experiment at the SPS?

400-GeV SPS proton beam on Be target at $z = 0$ m



K_L EVER target sensitivity:

5 years starting Run 4

~ 60 SM $K_L \rightarrow \pi^0 \nu \bar{\nu}$

$S/B \sim 1$

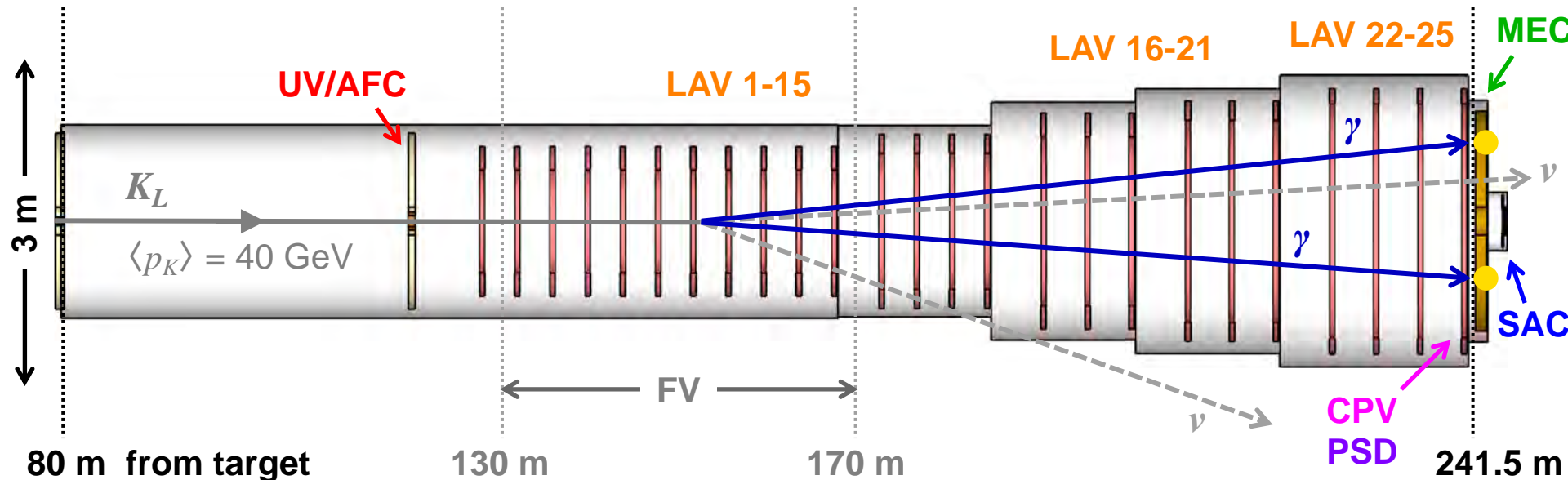
$\delta BR/BR(\pi^0 \nu \bar{\nu}) \sim 20\%$

- High-energy experiment: Complementary to KOTO
- Photons from K_L decays boosted forward
 - Makes photon vetoing easier - veto coverage only out to 100 mrad
- Roughly same vacuum tank layout and fiducial volume as NA62

A $K_L \rightarrow \pi^0 \nu \bar{\nu}$ experiment at the SPS

K_LEVER

400-GeV SPS proton beam on Be target at $z = 0$ m



Main detector/veto systems:

- UV/AFC** Upstream veto/Active final collimator
- LAV1-25** Large-angle vetoes (25 stations)
- MEC** Main electromagnetic calorimeter
- SAC** Small-angle vetoes
- CPV** Charged particle veto
- PSD** Pre-shower detector

K_LEVER target sensitivity:

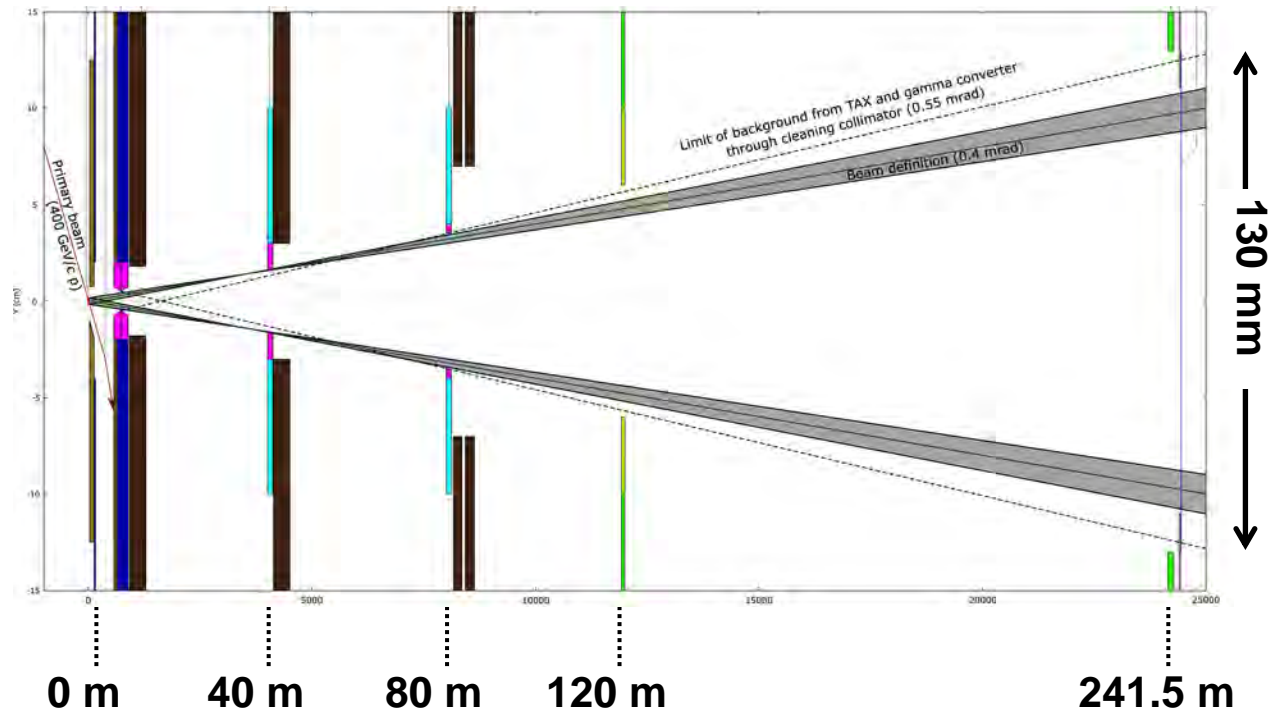
5 years starting Run 4

~ 60 SM $K_L \rightarrow \pi^0 \nu \bar{\nu}$

$S/B \sim 1$

$\delta BR/BR(\pi^0 \nu \bar{\nu}) \sim 20\%$

- 400 GeV p on 400 mm Be target
- Production angle $\theta = 8.0$ mrad
- Solid angle $\Delta\theta = 0.4$ mrad
- 2.1×10^{-5} K_L /pot in beam
- $\langle p(K_L) \rangle = 40$ GeV
- Probability for decay inside FV $\sim 4\%$
- Acceptance for $K_L \rightarrow \pi^0 \nu \nu$ decays occurring in FV $\sim 5\%$



- **4 collimation stages** to minimize neutron halo, including beam scattered from absorber
- **Photon absorber** in dump collimator

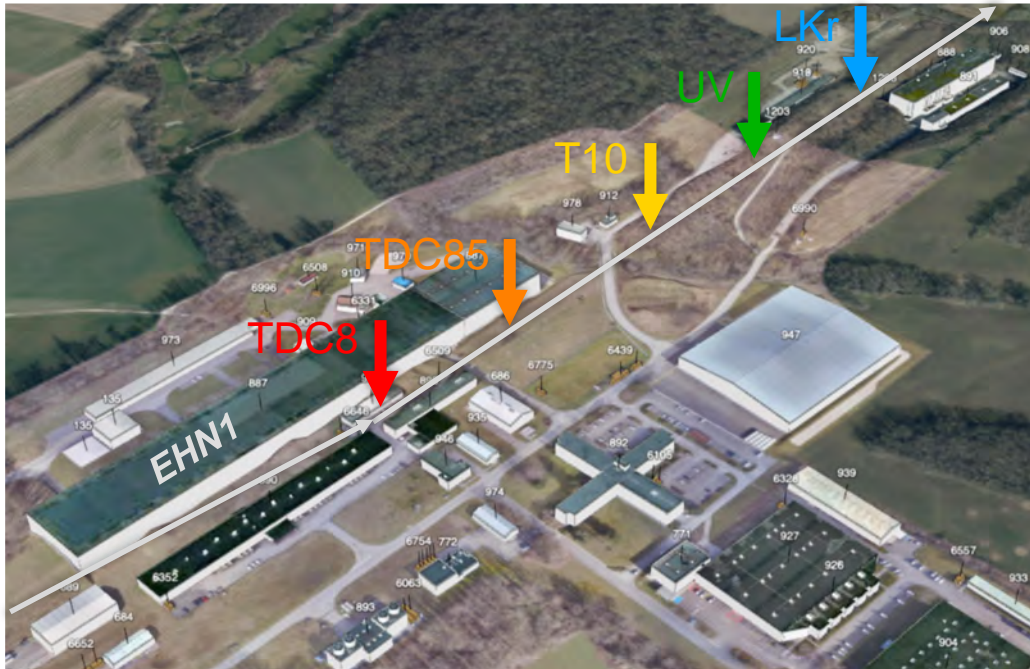
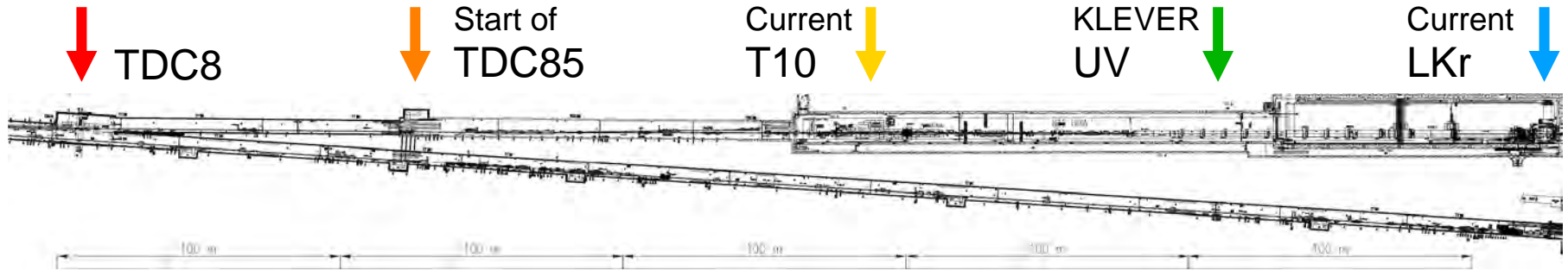
NB: Choice of higher production angle under study to decrease rate of $\Lambda \rightarrow n\pi^0$ decays in detector:

Possible changes to beamline configuration and experimental layout

Long beamline to suppress $\Lambda \rightarrow n\pi^0$ *K_LEVER*

Maintain $\theta = 8$ mrad and increase length of beamline

E.g.: Move T10 from TCC8 to start of TDC85 (120 m \rightarrow 270 m from T10 to UV)



- Maintain K_L momentum
Fewer design changes for KLEVER
- Preserve K_L flux per solid angle
Still lose 2x in K_L flux due to tighter beam collimation
- Infrastructure work needed
- RP issues for area downstream of TDC85 to be investigated
- **Alternatively, ECN3 extension would solve problem**

Shashlyk calorimeter with spy tiles

Requirements for main electromagnetic calorimeter (MEC):

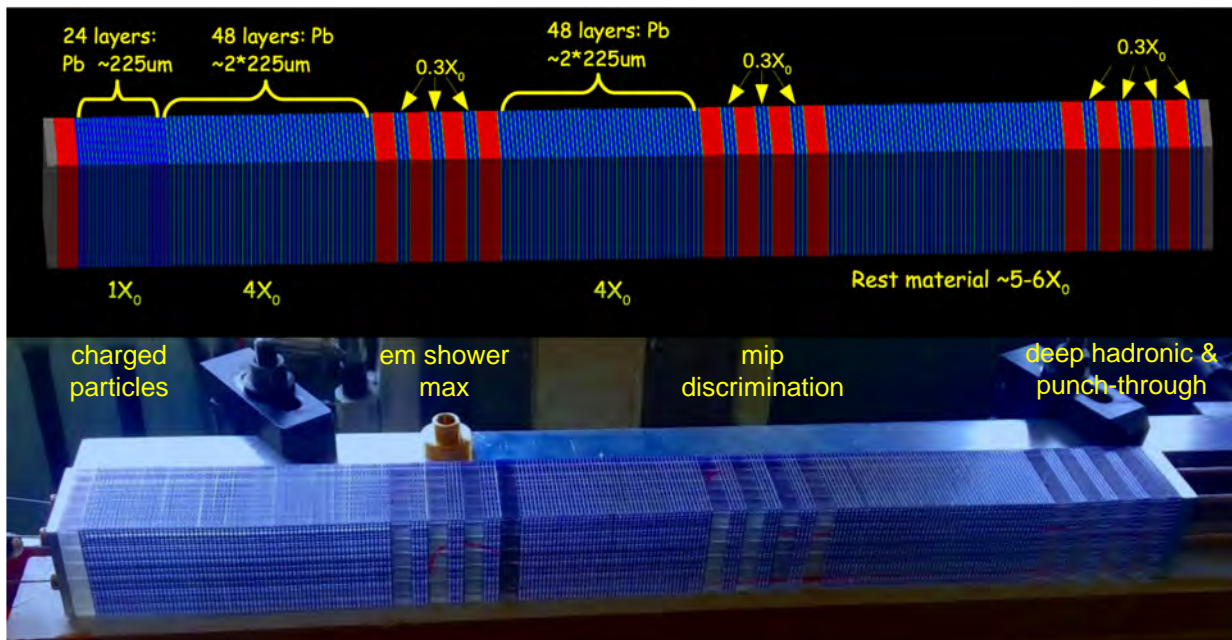
Excellent efficiency, time resolution $\sim 100\text{ps}$, good 2-cluster separation



LKr calorimeter from NA62:

Photon detection efficiency probably adequate

Time resolution $\sim 500\text{ ps}$ for π^0 with $E_{\gamma\gamma} > 20\text{ GeV}$ \rightarrow requires improvement



Main electromagnetic calorimeter (MEC):

Fine-sampling shashlyk based on PANDA forward EM calorimeter produced at Protvino

0.275 mm Pb + 1.5 mm scintillator

PANDA/KOPIO prototypes:

$$\sigma_E/\sqrt{E} \sim 3\%/\sqrt{E} \text{ (GeV)}$$

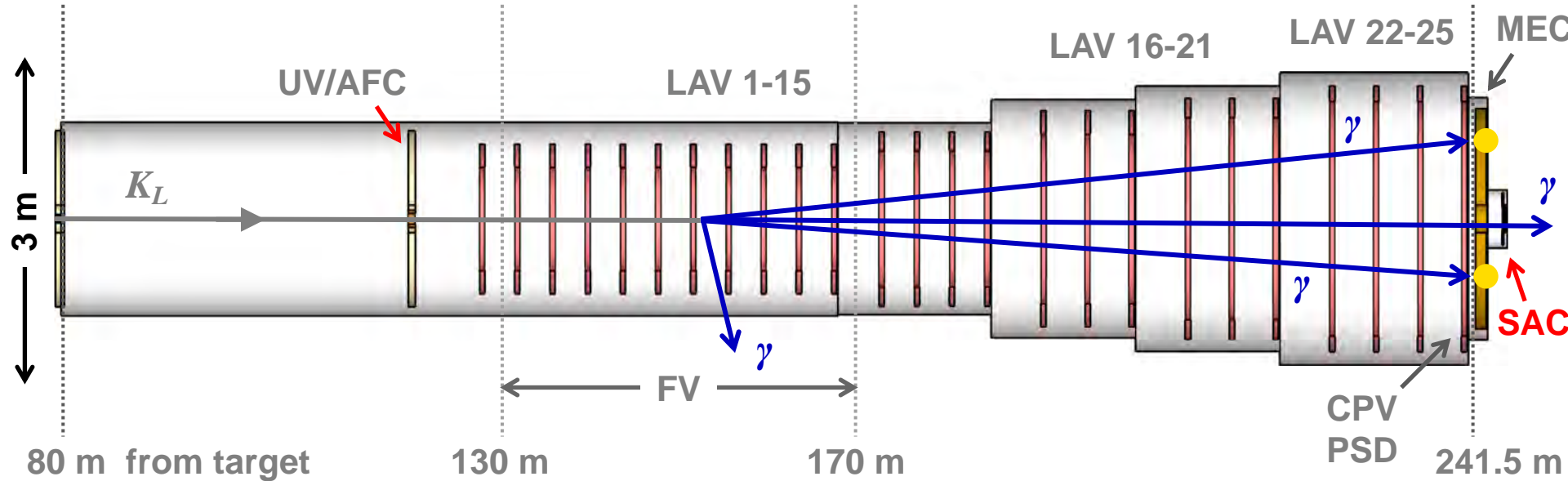
$$\sigma_t \sim 72\text{ ps}/\sqrt{E} \text{ (GeV)}$$

$$\sigma_x \sim 13\text{ mm}/\sqrt{E} \text{ (GeV)}$$

Longitudinal shower information from spy tiles

- PID information: identification of μ , π , n interactions
- Shower depth information: improved time resolution for EM showers

Small-angle photon veto



Small-angle photon calorimeter system (SAC)

- Rejects high-energy γ s from $K_L \rightarrow \pi^0\pi^0$ escaping through beam hole
- Must be insensitive as possible to 430 MHz of beam neutrons

Beam comp.	Rate (MHz)	Req. $1 - \epsilon$
$\gamma, E > 5 \text{ GeV}$	50	10^{-2}
$\gamma, E > 30 \text{ GeV}$	2.5	10^{-4}
n	430	—

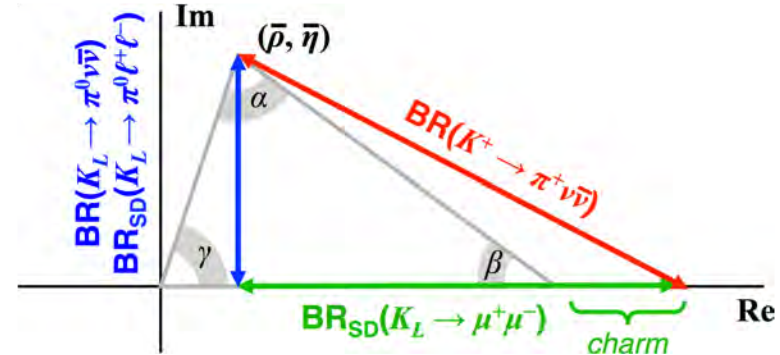
Possible solutions:

- Tungsten/silicon-pad sampling calorimeter with crystal metal absorber to exploit enhancement of photon conversion by coherent interaction with lattice
- Compact Cerenkov calorimeter with oriented crystals

What about $K_L \rightarrow \pi^0 \ell^+ \ell^-$?

$K_L \rightarrow \pi^0 \ell^+ \ell^-$ vs $K \rightarrow \pi \nu \bar{\nu}$:

- Somewhat larger theoretical uncertainties from long-distance physics
 - SD CPV amplitude: γ/Z exchange
 - LD CPC amplitude from 2γ exchange
 - LD indirect CPV amplitude: $K_L \rightarrow K_S$
- $K_L \rightarrow \pi^0 \ell^+ \ell^-$ can be used to explore helicity suppression in FCNC decays



$K_L \rightarrow \pi^0 \ell^+ \ell^-$ CPV amplitude
constrains UT in same way
as $BR(K_L \rightarrow \pi^0 \nu \bar{\nu})$

Experimental status:

$$BR(K_L \rightarrow \pi^0 e^+ e^-) < 28 \times 10^{-11}$$

Phys. Rev. Lett. 93 (2004) 021805

$$BR(K_L \rightarrow \pi^0 \mu^+ \mu^-) < 38 \times 10^{-11}$$

Phys. Rev. Lett. 84 (2000) 5279–5282

Main background: $K_L \rightarrow \ell^+ \ell^- \gamma \gamma$

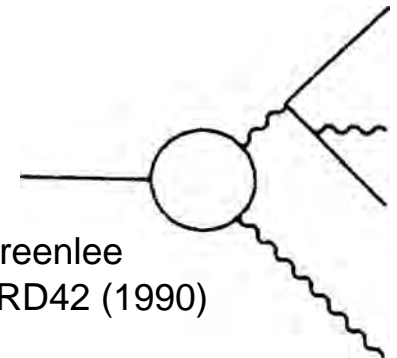
- Like $K_L \rightarrow \ell^+ \ell^- \gamma$ with hard bremsstrahlung

$$BR(K_L \rightarrow e^+ e^- \gamma \gamma) = (6.0 \pm 0.3) \times 10^{-7}$$

$$E_\gamma^* > 5 \text{ MeV}$$

$$BR(K_L \rightarrow \mu^+ \mu^- \gamma \gamma) = 10^{+8}_{-6} \times 10^{-9}$$

$$m_{\gamma\gamma} > 1 \text{ MeV}$$



Greenlee
PRD42 (1990)

Integrated program with K^+ and K_L beams

Availability of high-intensity K^+ and K_L beams at the SPS:

Important physics measurements at boundary of NA62 and KLEVER!

Example: Experiment for rare K_L decays with charged particles

- K_L beamline, as in KLEVER
- Tracking and PID for secondary particles, as in NA62

Physics objectives:

- $K_L \rightarrow \pi^0 \ell^+ \ell^-$
Excellent π^0 mass resolution – look for signal peak over Greenlee background
- Lepton-flavor violation in K_L decays
- Radiative K_L decays and precision measurements
- K_L decays to exotic particles

Will provide valuable information to characterize neutral beam

- Example: Measurement of K_L , n , and Λ fluxes and halo
- Experience from KOTO and studies for KLEVER show this to be critical!

Just getting started!

Summary and outlook



$K \rightarrow \pi \nu \nu$ and other rare kaon decays are uniquely sensitive indirect probes for new physics at high mass scales

Need precision measurements of both rare K^+ and K_L decays!

During Run 1 (2016-2018), NA62 observed **20 candidate $K^+ \rightarrow \pi^+ \nu \nu$ events** with **10 expected signal** events and **7 expected background** events

$$\text{BR}(K^+ \rightarrow \pi^+ \nu \nu) = (10.6^{+4.0}_{-3.4 \text{ stat}} \pm 0.9_{\text{syst}}) \times 10^{-11}$$

NA62 will improve on current knowledge of $\text{BR}(K^+ \rightarrow \pi^+ \nu \nu)$ in short term, ultimately reaching O(10%) precision

Next generation rare kaon experiments with high-intensity beams and cutting-edge detectors will provide a powerful tool to search for physics beyond the Standard Model

An integrated program of K^+ and K_L experiments is taking shape at CERN

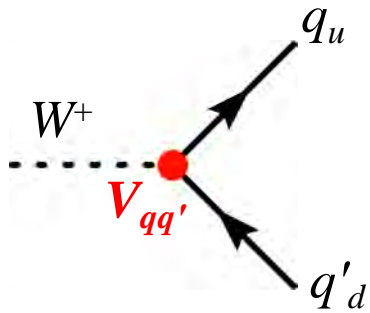


Additional information

Matthew Moulson, INFN Frascati
for the NA62 Collaboration

The CKM matrix

$$\begin{pmatrix} V_{ud} & V_{us} & V_{ub} \\ V_{cd} & V_{cs} & V_{cb} \\ V_{td} & V_{ts} & V_{tb} \end{pmatrix} = \begin{pmatrix} 1 - \frac{\lambda^2}{2} & \lambda & A\lambda^3(\rho - i\eta) \\ -\lambda & 1 - \frac{\lambda^2}{2} & A\lambda^2 \\ A\lambda^3(1 - \rho - i\eta) & -A\lambda^2 & 1 \end{pmatrix} + \mathcal{O}(\lambda^4)$$



V is unitary: $V^\dagger V = \mathbf{1}$

$$\sum_i V_{ij} V_{ik}^* = \sum_i V_{ji} V_{ki}^* = \delta_{jk}$$

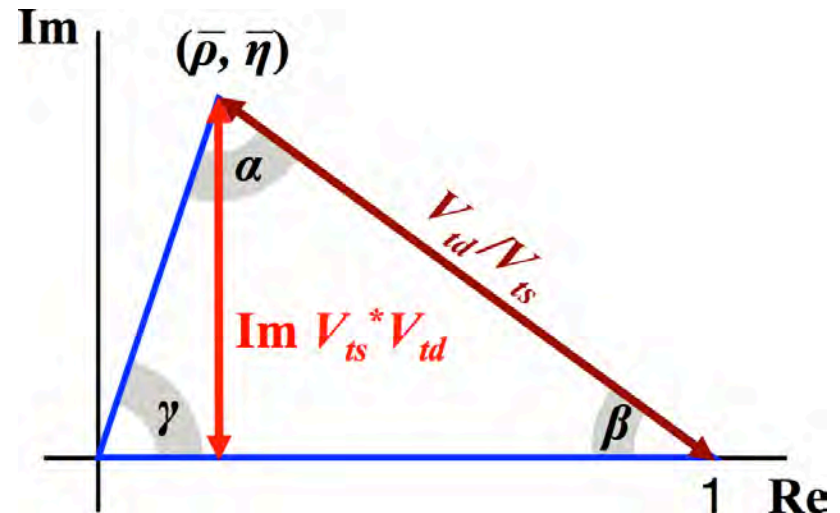
B unitarity triangle

$$V_{ud} V_{ub}^* + V_{cd} V_{cb}^* + V_{td} V_{tb}^* = 0$$

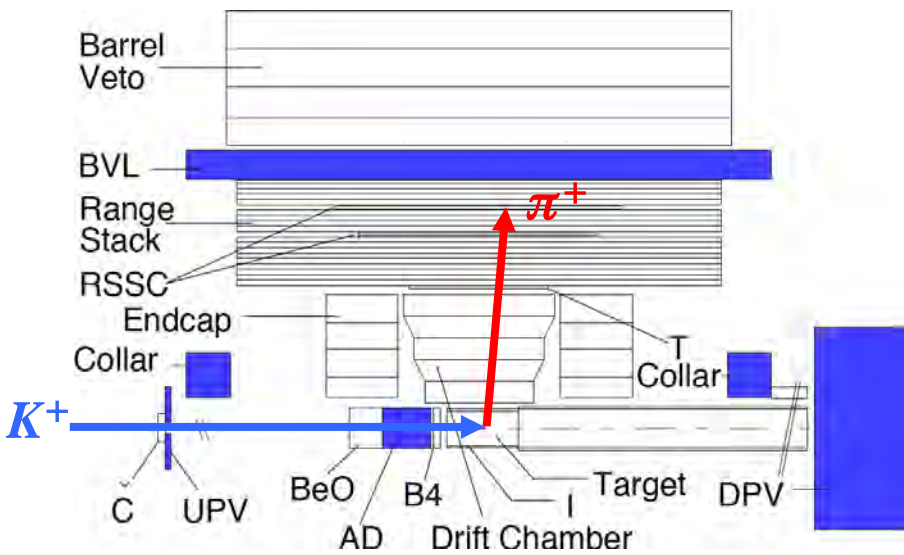
K unitarity triangle

$$V_{ud} V_{us}^* + V_{cd} V_{cs}^* + V_{td} V_{ts}^* = 0$$

Observable	Measurement
$K^+ \rightarrow \pi^+ \nu \bar{\nu}$	$ V_{ts}^* V_{td} $
$K_L \rightarrow \pi^0 \nu \bar{\nu}$	$\text{Im } V_{ts}^* V_{td} \propto \eta$
$B_d \rightarrow J/\psi K_S$	$\sin 2\beta$
$\frac{\Delta m_{B_d}}{\Delta m_{B_s}} = \frac{B_d - \bar{B}_d}{B_s - \bar{B}_s}$	$ V_{td}/V_{ts} $

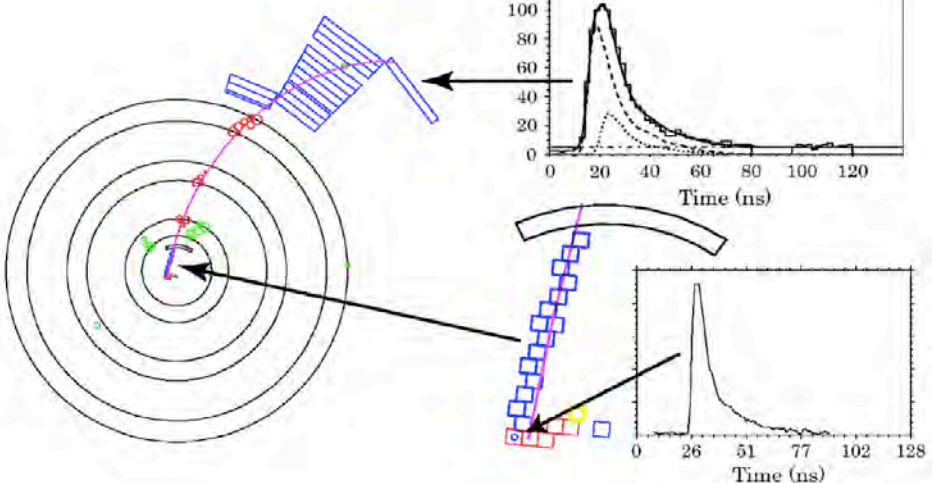


State of the art: BNL 787/949



Side view

Beam view



700 MeV K^+ beam stopped in active scintillating-fiber target

Drift chamber ($B = 1T$) to measure π^+

Range stack:

- 19 layers of 1.9-cm thick scintillator
- Measures E and R for π^+
- Waveform digitizers record π - μ - e decay chain

4π photon vetoes

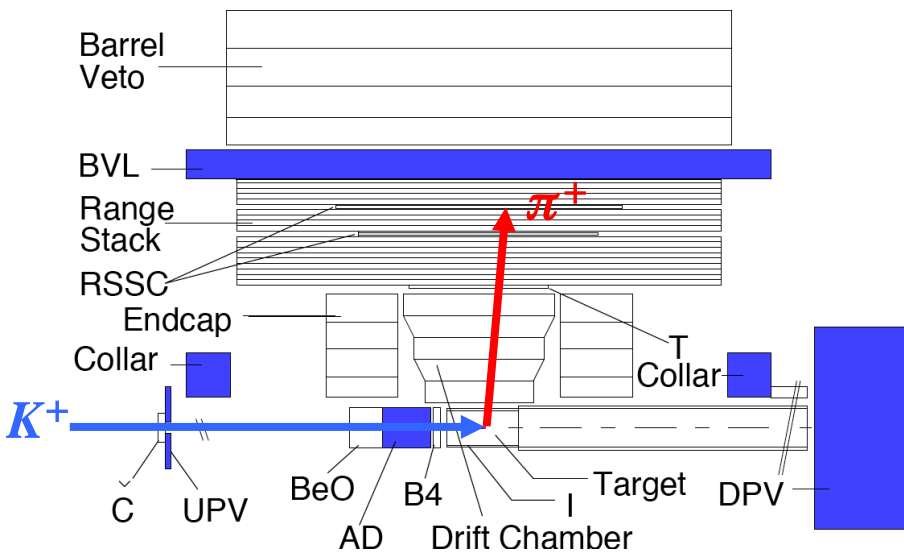
Main 787 running from 1995-1998

Upgraded to 949 in 2001:

Expected 10 events in 60 week run

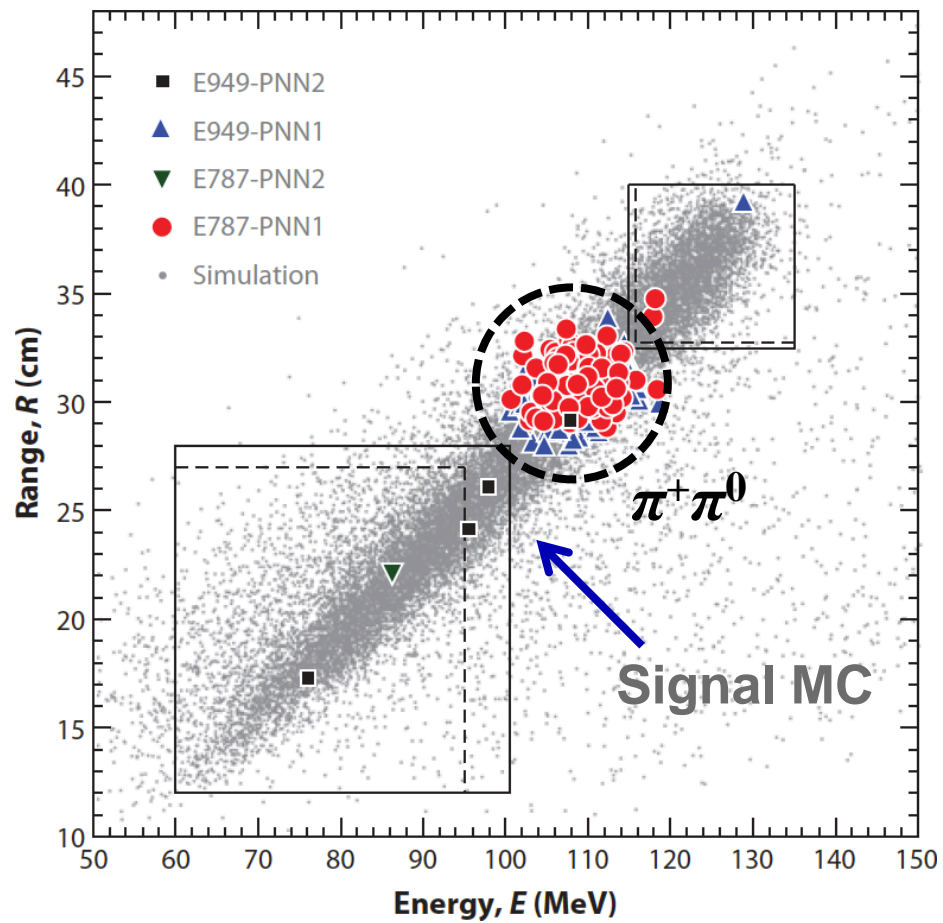
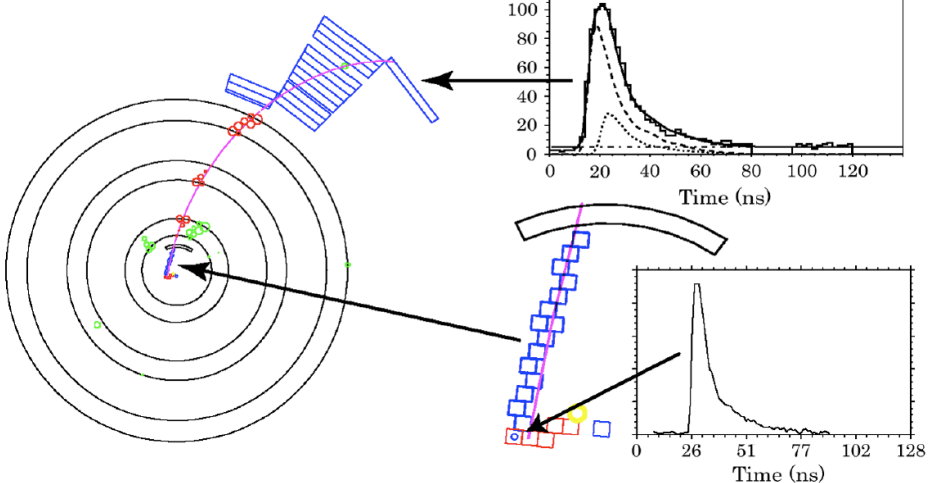
Canceled in 2002 after 12 weeks!

State of the art: BNL 787/949



Side view

Beam view



7 candidate $K^+ \rightarrow \pi^+ \nu \nu$ events
 $BR = (1.73^{+1.15}_{-1.05}) \times 10^{-10}$
 $2 \times BR_{SM}$ but entirely consistent

$K_L \rightarrow \pi^0 \nu \bar{\nu}$ at J-PARC



Primary beam: 30 GeV p

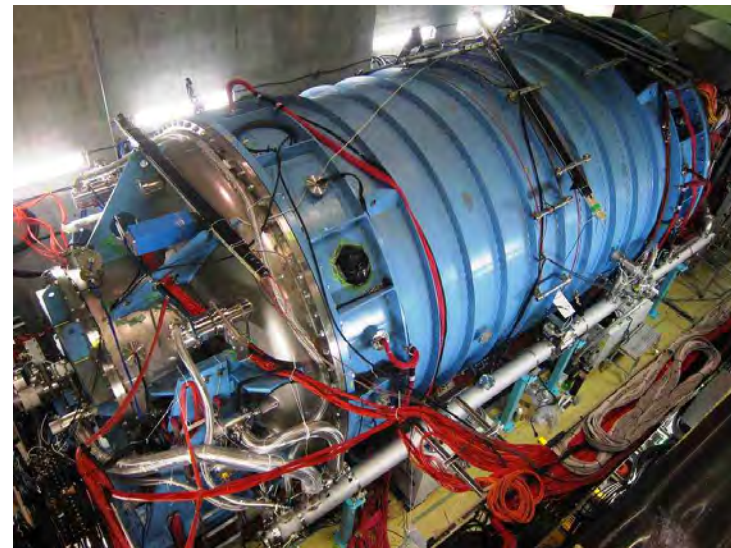
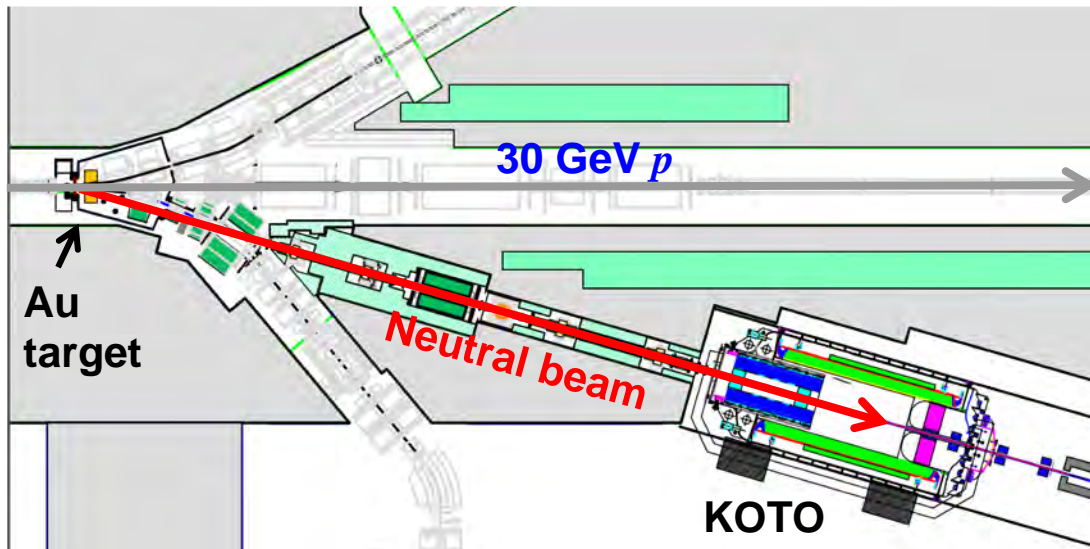
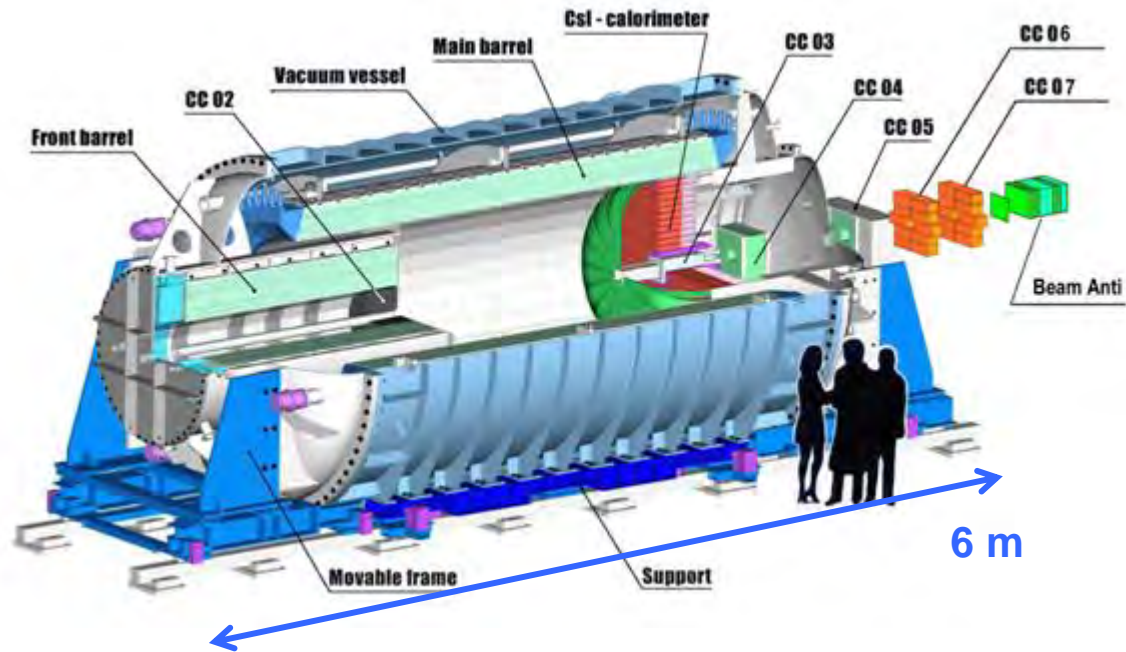
50 kW = 5.5×10^{13} p/5.2 s (2019)

Neutral beam (16°)

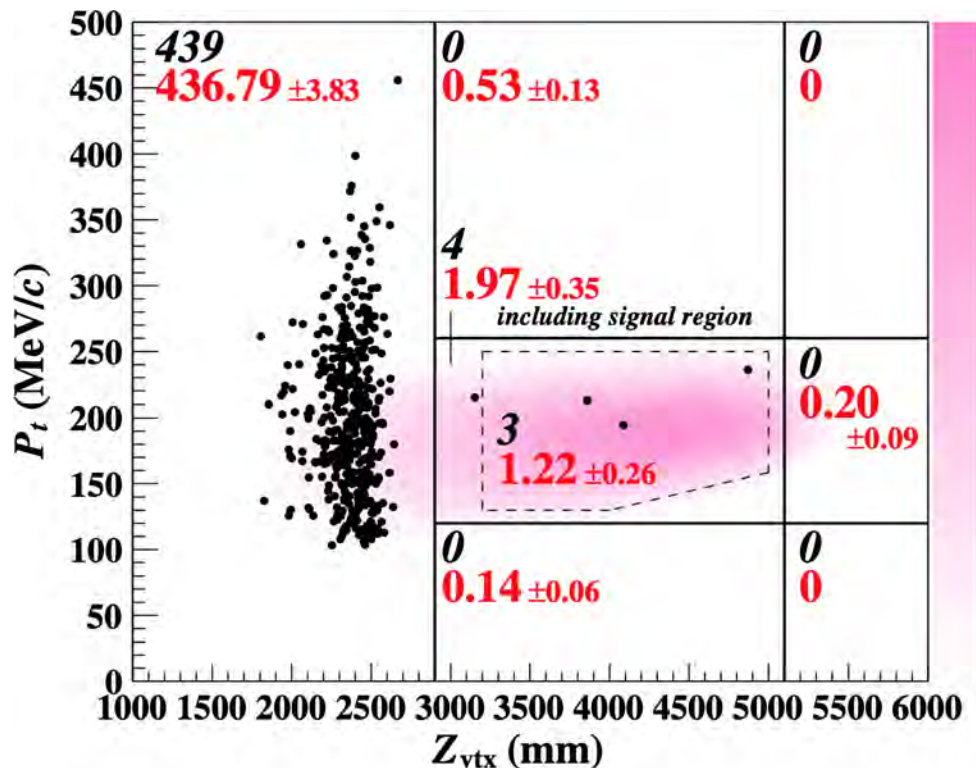
$\langle p(K_L) \rangle = 2.1$ GeV

50% of K_L have 0.7-2.4 GeV

8 μ sr “pencil” beam



Final result: 2016-2018 data



Expected backgrounds

Source	Expected (68%CL)
$K_L \rightarrow \pi^0 \pi^0 \pi^0$	0.01 ± 0.01
$K_L \rightarrow \gamma \gamma$ halo	0.26 ± 0.07
Other K_L decays	0.005 ± 0.005
$K^+_{e3} + K^+_{\mu3} + K^+_{\pi2}$	0.87 ± 0.25
n interaction in Csl	0.017 ± 0.002
η from n in CV	0.03 ± 0.01
π^0 from upstream int.	0.03 ± 0.03
Total	1.22 ± 0.26

* Newly evaluated source since KAON 2019

$BR(K_L \rightarrow \pi^0 \nu \nu) < 4.9 \times 10^{-9}$ (90%CL)

30.5×10^{19} pot

$SES = (7.20 \pm 0.05_{\text{stat}} \pm 0.66_{\text{syst}}) \times 10^{-10}$

0.04 signal + 1.22 background events expected

3 events in signal box

K_L flux from $K_L \rightarrow 2\pi^0 = 6.8 \times 10^{12}$

$\pi^0 \nu \nu$ acceptance from MC:

Decay in FV: 3.3%

Overall acceptance: 0.6%

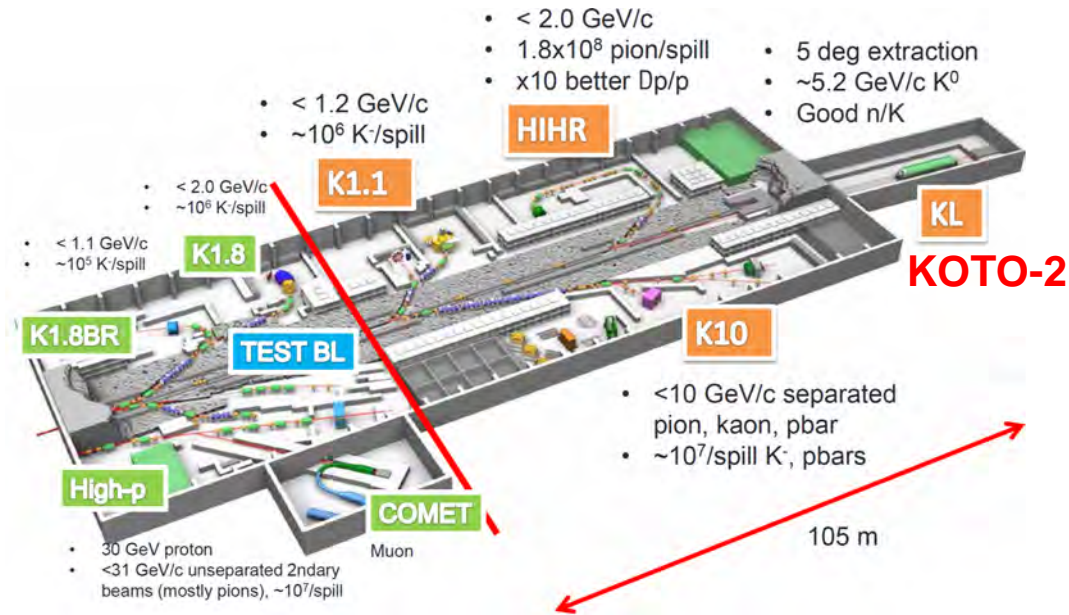
PRL 126 (2021) 121801

KOTO long-term plans: Step-2



- Plan outlined in 2006 proposal to upgrade to O(100) SM event sensitivity over the long term
- Now beginning design work for a new experiment to achieve this sensitivity

- Increase beam power to > 100 kW
- New neutral beamline at 5°
 $\langle p(K_L) \rangle = 5.2$ GeV
- Increase FV from 2 m to 12 m
Complete rebuild of detector
- Requires hadron-hall extension

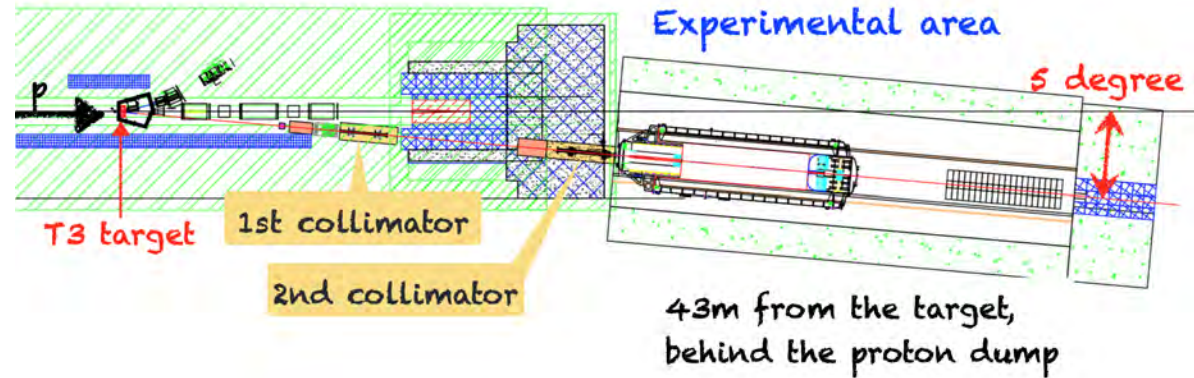


- Hadron-hall extension is a joint project with nuclear physics community
KOTO Step-2 is a flagship project
- Described in KEK Road Map 2021 for research strategy 2022-2027
- Focused review conducted in Aug 2021, with KOTO providing Step-2 input

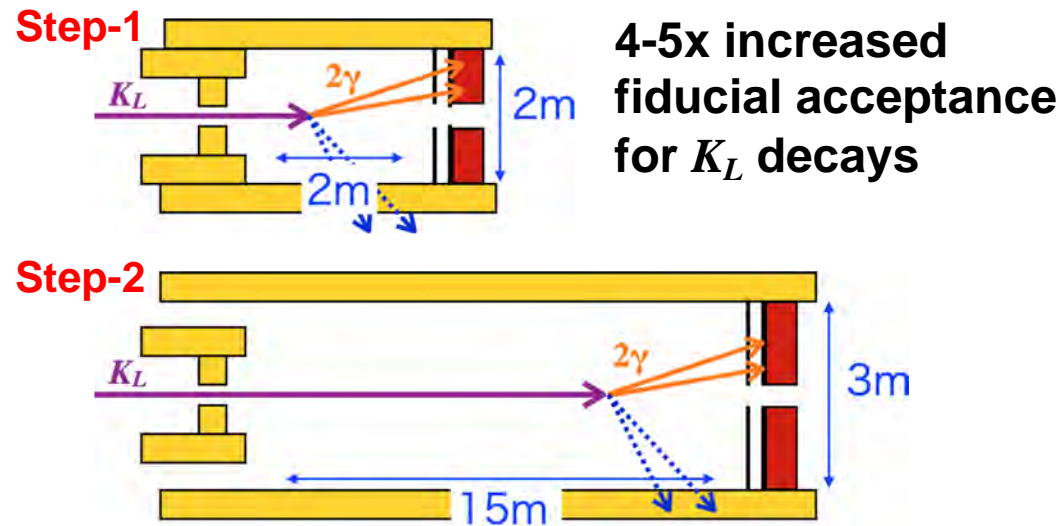
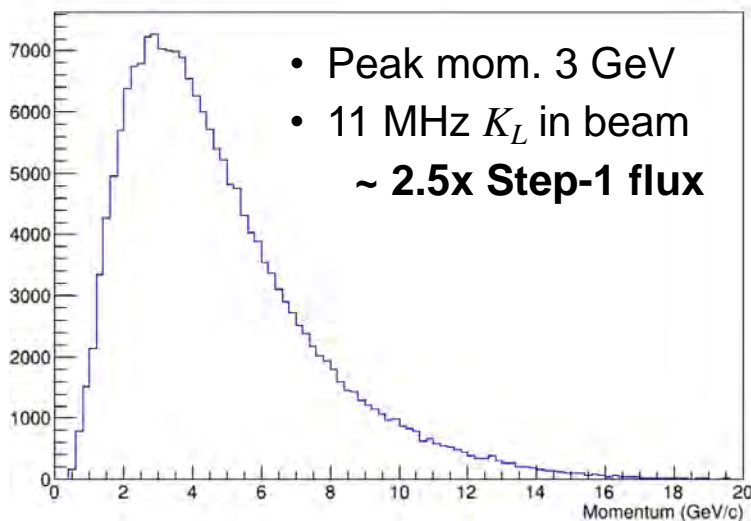
KOTO Step-2 detector

Step-2 beamline setup in hadron-hall extension

- Smaller angle ($16^\circ \rightarrow 5^\circ$)
- Longer beamline (20 \rightarrow 43 m)
- 2 collimators



K_L spectrum at beam exit



New sensitivity studies for smaller beam angle & larger detector:
 ~ 60 SM evts with $S/B \sim 1$ at 100 kW beam power (3×10^7 s)

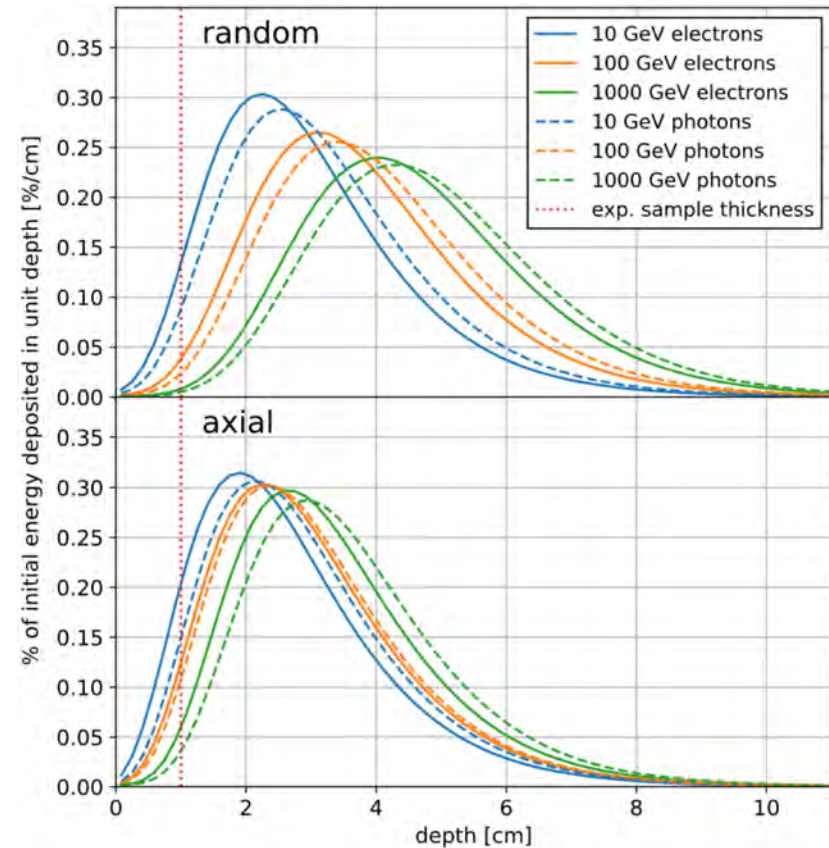
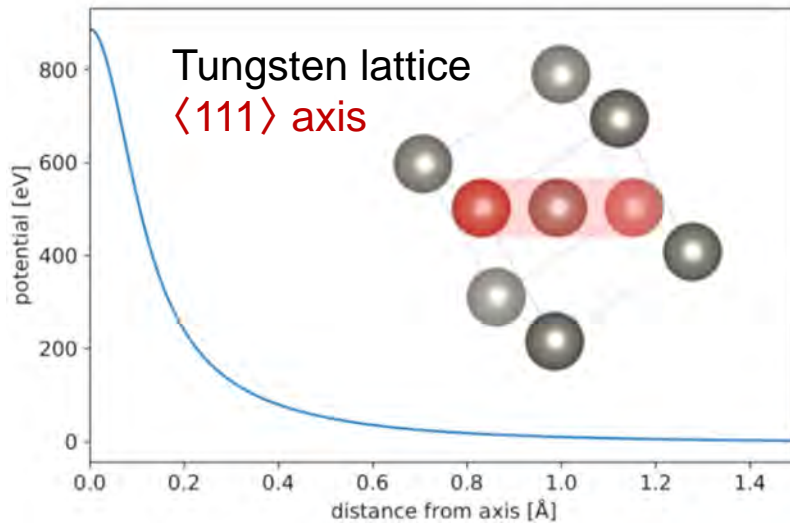
Coherent effects in crystals

30 mm tungsten ($9X_0$) beam photon absorber

- reduces γ flux in beam 1000x:
- scatters $\sim 35\%$ of K_L in beam

Can it be made thinner?

Exploit coherent effects in crystals!



Coherent superposition of Coulomb fields

Electric field ε approx. const. $\sim 10^{10}$ - 10^{12} V/cm

Effective field $\varepsilon' = \gamma_{\text{eff}}$ ($\gamma_{\text{eff}} = E/m_e c$)

For $\varepsilon' \sim \varepsilon_0 = 2\pi m^2 c^3 / eh$ virtual pairs disassociate

Pair production enhanced by coherent effects at small θ_γ and high E_γ

- Early initiation of EM showers
- Minimize fluctuations of deposited energy vs depth